

HAYMARK, M.A.

Continual analog of the Schur lemma and its application to the
Plancherel formula for complex classical groups. Izv. AN SSSR.
Ser.mat.20 no.1:3-16 Ja-F '56. (MLRA 9:4)

1. Predstavleno akademikom S.L. Sobolevym.
(Groups, Theory of)

NAYMARK, M.A.

SUBJECT USSR/MATHEMATICS/Algebra CARD 1/1 PG - 853
AUTHOR NAYMARK M.A.
TITLE On irreducible linear representations of the complete
Lorentz group.
PERIODICAL Doklady Akad.Nauk 112, 583-586 (1957)
reviewed 6/1957

After Gel'fand and Jaglom have given formulas in infinitesimal form for the representations of the complete Lorentz group, now the author gives formulas in integral form. It is proved that the obtained representations are irreducible and pairwise non-equivalent and it is shown that every irreducible representation of the complete Lorentz group is equivalent to one of the obtained representations.

INSTITUTION: Physical-Technical Institute, Moscow.

16(1)

PHASE I BOOK EXPLOITATION

SOV/1857

Naymark, Mark Aronovich

Lineynyye predstavleniya gruppy Lorentsa (Linear Representations of the Lorentz Group) Moscow, Fizmatgiz, 1958. 376 p. 7,000 copies printed.

Ed.: D.P. Zhelobenko; Tech. Ed.: S.N. Akhlanov.

PURPOSE: This book is intended for theoretical physicists. The author's basic results and methods, which, although previously published elsewhere, are now presented systematically in this book, may be of interest to specialists in certain fields of mathematics. The book may also be used as a textbook on the general theory of group representations for those who have had university courses in analysis and analytic geometry.

COVERAGE: The author gives a systematic presentation of linear representations of proper and full groups. Completely irreducible representations of the proper Lorentz group in an infinitesimal form as well as spin representation are described. In addition, the theory of infinite dimensional representations of the proper Lorentz group in the form of integrals, the theory of characters, and the Plancherel formula for the proper Lorentz group are presented. An exact statement of and a solution to the problem of the description to the accuracy of

Card 1/5

Linear Representations(Cont.)

SOV/1857

equivalence of all completely irreducible Lorentz groups are given. The book contains four chapters. The first two are of an introductory character, where fundamentals of a three-dimensional rotation group and of full and proper Lie groups are given. The general theory of the representation of groups is presented in the form which is most suitable for the discussion of the following chapters. Chapter III. is the most important and deals with the study of representations of the proper and full Lorentz group, which for the first time is given in detail. The last chapter is concerned with a theory of invariant equations which, although not completed, has many important applications. The author thanks L.M. Gel'fand, M.I. Girayev, D.P. Zhelobenko, and S.V. Formin for help in preparing the manuscript. There are 59 references: 43 Soviet, 13 English and 3 French.

TABLE OF CONTENTS:

Preface	6
Ch. I. The Three-dimensional Rotation Group and the Lorentz Group	
1. The Three-dimensional rotation group	9
1. General definition of a group. 2. Definition of a three-dimensional rotation group. 3. Description of rotations with the aid of orthogonal	
Card 2/9	

Linear Representations(Cont.)

80V/1857

matrices. 4. Euler's angles. 5. Description of rotations with the aid of unitary matrices. 6. Invariant integral on the rotation group. 7. Invariant integral on a unitary matrix.

- 2. The Lorentz group 23
 - 1. General Lorentz group. 2. Full and proper Lorentz group.

Ch. II. Representations of the Three-dimensional Rotation Group

- 3. Basic concepts of the theory of finite-dimensional representations 29
 - 1. Linear spaces. 2. Linear operators. 3. Definition of a finite dimensional representation of a group. 4. Continuous finite dimensional representation of the three-dimensional rotation group. 5. Unitary representations.

- 4. Irreducible representations of the three-dimensional rotation group in infinitesimal form 34

- 1. Differentiability of the representations of the group G_0 . 2. Basic infinitesimal matrices of the group G_0 . 3. Basic infinitesimal operators of the representation of the group G_0 . 4. Relationships between basic infinitesimal operators of the representation of the group G_0 . 5. Conditions under which representations are unitary. 6. General form of basic infinitesimal operators of the irreducible representation of the group G_0 .

Card 3/9

Linear Representations(Cont.)

SOV/1857

- 5. Realization of finite dimensional irreducible representations of the three-dimensional rotation group 49
 - 1. Connection of representations of the group G_0 with representations of the unitary group U .
 - 2. Spin representation of the group U .
 - 3. Realization of representation ρ_m in the space of polynomials.
 - 4. Basic infinitesimal operators of the representation ρ_m .
 - Orthogonality relation.

- 6. Decomposition of a given representation of the three-dimensional rotation group into irreducible representations 59
 - 1. The case of finite dimensional, unitary representation.
 - 2. Completeness theory.
 - 3. General definition of the representation.
 - 4. Continuous representations.
 - 5. Integrals of vector and operator functions.
 - 6. Decomposition of the representation of the group U into irreducible representations.
 - 7. The case of a unitary representation.

Ch. III. Irreducible Linear Representations of a Proper and Full Lorentz Group

- 7. Infinitesimal operators of the linear representation of the proper Lorentz group 82
 - 1. Infinitesimal Lorentz matrices.
 - 2. Relationships between infinitesimal Lorentz matrices.
 - 3. Infinitesimal operators of the representation of the proper Lorentz group.
 - 4. Relationship between basic infinitesimal

Card 4/9

Linear Representations(Cont.)

80V/1857

operators of the representation.

- 8. Determination of infinitesimal operators of the representation of the group O_{F+}

- 1. Statement of problem. 2. Determination of operators H_+, H_-, H_3 .
- 3. Determination of operators F_+, F_-, F_3 . 4. Conditions under which representations are unitary.

- 9. Finite dimensional representations of the proper Lorentz group 107

- 1. Spin description of the proper Lorentz group. 2. Relationship between the representations of groups O_{F+} and O_C . 3. Spin representations of the group O_{C4} . Infinitesimal operators of the spin representation. 5. Irreducibility of the spin representation. 6. Infinitesimal operators of the spin representation in canonical basis.

- 10. Fundamental series of representations of the group O_C 121

- 1. Certain subgroups of the group O_C . 2. Canonical decompositions of elements of the group O_{C3} . 3. Adjacent classes with respect to K . 4. Parametrization of the space Z . 5. Invariant integral on the group Z .
- 6. Determination of fundamental series of representations [of the group O_C].
- 7. Irreducibility of representations of the fundamental series.

- 11. Description of representations of the fundamental series and spin representations with the aid of the unitary group 134

Card 5/9

Linear Representations(Cont.)

80V/1857

1. Description of the space \tilde{L} with the aid of the unitary subgroup.
2. The space $L_2^m(\mathcal{U})$.
3. Realization of representations of the fundamental series in space $L_2^m(\mathcal{U})$.
4. Representations S_K contained in \mathcal{I}_m .
5. Elementary spherical functions.
6. Infinitesimal operators of representations of \mathcal{I}_m in a canonical basis.
7. The case of spin representations.
12. Complementary series of representations of the group \mathcal{O}_n 147
 1. Statement of problem concerning complementary series [of unitary representation].
 2. Conditions for positive definiteness.
 3. Spaces and $C_n \times H_n$.
 4. Description of representations of complementary series in space $C_n \times H_n$.
 5. Description of complementary series of representations with the aid of a unitary subgroup.
 6. Representations S_K contained in \mathcal{I}_0 .
 7. Elementary spherical functions of representations of fundamental series.
 8. Infinitesimal operators of \mathcal{I}_0 representations in a canonical basis.
13. The trace of representations of fundamental and complementary series 160.
 1. Invariant integral on the group \mathcal{O}_n .
 2. Invariant integrals on the group K .
 3. Certain relations in the form of integrals.
 4. Group ring of the group \mathcal{O}_n .
 5. Relation between representations of the group \mathcal{O}_n and its group ring.
 6. The case of unitary representation of the group \mathcal{O}_n .
 7. The trace of representations of the fundamental series.
 8. The trace of representation of the complementary series.

Card 6/9

Linear Representations(Cont.)

SOV/1857

14. Analog of Plancherel formula 179
 1. Statement of problem. 2. Certain subgroups of the group K . 3. Canonical decomposition of elements of the group K . 4. Certain relations in the form of integrals. 5. Certain auxiliary functions and their relations. 6. Deduction of the analog of the Plancherel formula. 7. Mutually reverse formulas. 8. Decomposition of a regular representation of the group \mathcal{O} into irreducible representations.
15. Description of all completely irreducible representations of the proper Lorentz group 199
 1. Conjugate representation. 2. Operators $E_{\mathcal{O}}^k$. 3. Equivalence of representations. 4. Completely irreducible representations. 5. Operators $e_{\mathcal{O}}^k$. 6. The ring $\mathcal{L}_{\mathcal{O}}^k$. 7. Relations between representations of rings $\mathcal{L}_{\mathcal{O}}^k$ and $\mathcal{L}_{\mathcal{O}}^k$. 8. Commutativity of rings $\mathcal{L}_{\mathcal{O}}^k$. 9. The equivalence criterion. 10. Functional $\lambda(\kappa)$ in the case of the irreducible representation of a fundamental series. 11. Functions $\mathcal{L}_{\mathcal{O}}(\mathcal{E})$. 12. The ring $\mathcal{L}_{\mathcal{O}}^k$. 13. General form of the functional $\lambda(\mathcal{G})$. 14. General form of the linear multiplicative functional $\lambda(\mathcal{G})$ in the $\mathcal{L}_{\mathcal{O}}^k$ ring. 15. Complete series of completely irreducible representations of the group \mathcal{O} .
 16. Basic theorems.
16. Description of all completely irreducible representations of the full Lorentz group 253

Card 7/9

Linear Representations(Cont.)

SOV/1857

1. Statement of problem. 2. Basic properties of the operator S . 3. Group ring of the group O_f . 4. Induced representations. 5. Description of completely irreducible representations of the O_f ring. 6. Realization of completely irreducible representations of the group O_f . 7. Basic theorem.

Ch. IV. Invariant Equations

17. Equations invariant with respect to rotations of three-dimensional space 279

1. General definition of a magnitude. 2. The concept of an equation which is invariant with respect to transformations of the group O_3 . 3. Invariance conditions in infinitesimal form. 5. General form of operators L_1, L_2, L_3 .

18. Equations invariant with respect to proper Lorentz transformations 295

1. General linear representations of the proper Lorentz group in an infinitesimal form. 2. Certain particular cases of representations of the group O_{3+} . 3. Concept of the equation which is invariant with respect to proper Lorentz transformations. 4. General form of the equation which is invariant with respect to transformations of the group O_{3+} .

19. Equations invariant with respect to transformations of the full Lorentz group 318

1. General linear representations of the full Lorentz group in an infinitesimal form. 2. Description of equations which are invariant with

Card 8/9

Linear Representations(Cont.)

80V/1857

respect the full Lorentz group

- 20. Equations obtained from the invariant Lagrange function 325
 - 1. Invariant bilinear form
 - 2. Lagrange function
 - 3. Determination of the values of a rest mass and of a spin
 - 4. Conditions under which charge and energy densities are definite
 - 5. The case of the finite dimensional equation
 - 6. Examples of invariant equations

Supplements 360

References 374

AVAILABLE: Library of Congress

LK/sfm
7-17-59

Card 9/9

AUTHOR: Haymark, M.A. 20-119-5-8/59

TITLE: On the Decomposition Into Irreducible Representations of the Tensorial Product of the Representations of the Principal Series of the Proper Lorentz Group (O razlozhenii tenzornogo proizvedeniya predstavleniy osnovnoy serii sobstvennoy gruppy Lorentsa na neprivodimyye predstavleniya)

PERIODICAL: Doklady Akademii Nauk^{SSSR}, 1958, Vol 119, Nr 5, pp 872-875 (USSR)

ABSTRACT: The author investigates the decomposition of the tensor product of infinite-dimensional representations of the principal series of the Lorentz group, where, as it is usual, instead of the representations of the Lorentz group itself, the author takes the representations of the group of matrices of second order being locally isomorphic to it, the determinant of which is 1. By the integral

$$f(z, \chi) = \int f(z_1, z_2) a(z_1, z_2, z, \chi) dz_1 dz_2$$

an isometric mapping $Sf(z_1, z_2) = f(z, \chi)$ of the space of complex functions of two variables is defined on a certain Hilbert space of measurable functions $f(z, \chi) = f(z, z, \sigma)$, where z and σ are the parameters of the representations of the principal series of the Lorentz group. By this mapping S the desired decomposition of

Card 1/2

On the Decomposition Into Irreducible Representations of the Tensorial Product of the Representations of the Principal Series of the Proper Lorentz Group 20-119-5-8/59

the tensor product of two representations is reached.
There are 3 Soviet references.

PRESENTED: December 4, 1957, by A.N.Kolmogorov, Academician

SUBMITTED: December 2, 1957

Card 2/2

AUTHOR: Haymark, M.A. S07/20-121-4-5 '54

TITLE: On the Resolution of Irreducible Representations of the Fundamental Series of a Complex Unimodular Group of n-th Order with Respect to Representations of a Complex Unimodular Group of Second Order (O razlozhenii neprivodimyykh predstavleniy osnovnoy serii kompleksnoy unimodulyarnoy gruppy n-go poryadka po predstavleniyam kompleksnoy unimodulyarnoy gruppy \forall orogo poryadka)

PERIODICAL: Doklady Akademii nauk SSSR, 1958, Vol 121, Nr 4, pp 590-593 (USSR)

ABSTRACT: Let A_n be the complex unimodular group of n-th order. The author uses his own results [Ref 1] and the results published together with Gel'fand [Ref 2,3] on the representations of the main series of complex unimodular groups, in order to obtain in the case $n = 3$ a representation of the A_n in form of a continuous sum of irreducible representations of the A_2 . There are 3 Soviet references.

PRESENTED: April 2, 1958, by S.L. Sobolev, Academician

SUBMITTED: March 31, 1958

Card 1/1

HAYMARK, M.A.

Decomposition of tensor products of irreducible representations of proper Lorentz's group into irreducible representations. Trudy Mosk.mat.ob-va 8:121-154 '59. (MIRA 13:2)
(Groups, Theory of)

Naymark, M.A.

16(O) PHASE I BOOK EXPLOITATION NOV/31/77

Matematika v SSSR za sovok let. 1917-1957. tom 1: Osnovnye stat'i (Mathematics in the USSR for Forty Years, 1917-1957, Vol. 1: Main Articles) Moscow, Fizmatgiz, 1959. 1002 p. 5,500 copies printed.

Eds: A. G. Kurash, (Chief Ed.), V. I. Bityutkov, V. O. Belyuzhsky, Yu. A. Dynkin, G. Ya. Shilov, and A. P. Yuzvitskii; Ed. (Inside book): A. P. Laptev; Tech. Ed.: S. M. Kholmov.

PURPOSE: This book is intended for mathematicians and historians of mathematics interested in Soviet contributions to the field.

COVERAGE: This book is Volume I of a major 2-volume work on the history of Soviet mathematics. Volume I surveys the chief contributions made by Soviet mathematicians during the period 1917-1957. Volume II will contain a bibliography of major works since 1917 and biographic sketches of some of the leading mathematicians. This work follows the tradition set by two earlier works: Matematika v SSSR za pyatnadtsat' let (Mathematics in the USSR for 15 Years) and Matematika v SSSR za tridtsat' let (Mathematics in the USSR for 30 Years). The book is divided into the major divisions of the field, i.e., algebra, topology, theory of probabilities, functional analysis, etc., and a listing of some 1500 Soviet mathematicians in each division. A listing of some 1500 Soviet mathematicians is included with references to their contributions in the field.

MAINLINE	1. Linear Integral Equations	649
	1. Fredholm equations	649
	2. Completely continuous operators	651
	3. Kernels dependent on the parameter	654
	4. One dimensional singular integrals	656
	5. Equations with differential kernels	665
	6. Multidimensional singular integral equations	669
	7. Integro-differential equations	673
	Functional Analysis	675
	FUNCTIONAL ANALYSIS	677
	1. Banach and Hilbert spaces	686
	2. Semi-ordered spaces and spaces with cones	690
	3. Normed rings	700
	4. Representations of rings and groups	710
	5. Differential equations in abstract spaces	729
	6. Equations with nonlinear continuous kernels	740
	7. Spectral analysis of self-conjugate differential operators	763
	8. Spectral analysis of non-self-conjugate operators	773
	9. Linear topological spaces, Generalized functions	781
	Probability Theory	782
	1. Distributions, Random functions and processes	783
	2. Stationary processes and homogeneous random fields	783
	3. Markov processes with continuous time	789
	4. Limit theorems	791
	5. Distributions of sums of independent and weakly dependent summands and infinitely divisible distributions	791

16(1)
AUTHOR: Naymark, M.A. SOV/20-125-6-5/61

TITLE: On the Decomposition Into Irreducible Representations of the Tensor Product of a Representation of the Principal Series and Representation of the Complementary Series of the Lorentz Group (O razlozhenii na neprivodimyye predstavleniya tenzornogo proizvedeniya predstavleniya osnovnoy serii i predstavleniya dopolnitel'noy serii sobstvennoy gruppy Lorentsa)

PERIODICAL: Doklady Akademii nauk SSSR, 1959, Vol 125, Nr 6, pp 1196 - 1199 (USSR)

ABSTRACT: With the same methods and denotations as in [Ref 1] the author decomposes the tensor product of the representations of the principal series and of the complementary series of the Lorentz group into irreducible representations. Instead of the Lorentz group the author uses the group isomorphic to it of the matrices of second order with determinant = 1. Numerous errors from former papers of the author [Ref 1,2] are corrected.

Card 1/2

On the Decomposition Into Irreducible Representations SOV/20-125-6-5/6i
of the Tensor Product of a Representation of the Principal Series and
Representation of the Complementary Series of the Lorentz Group

There are 4 Soviet references.

ASSOCIATION: Moskovskiy fiziko-tekhnicheskii institut (Moscow Physico-
Technical Institute)

PRESENTED: January 8, 1959, by A.N. Kolmogorov, Academician

SUBMITTED: January 5, 1959

Card 2/2

NAYMARK, N.A.

Decomposition of tensor products of irreducible representations
of a proper Lorentz group into irreducible representations.
Trudy Mosk.mat.ob-va 9:237-282 '60. (MIRA 13:9)
(Groups, Theory of)

67351

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~~16(4)~~ 14.2000 13.4/70
AUTHOR: Naymark, M.A.

SOV/20-130-2-5/69

TITLE: Resolution Into Irreducible Representations of a Tensor Product of two Representations of Lorentz Eigen Group Supplementary Series

PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol 130, Nr 2, pp 261 - 264 (USSR)

ABSTRACT: The paper is a continuation and completion of the investigations [Ref 4 - 6] of the author on the decomposition of the tensor product of two irreducible unitary representations of the Lorentz eigen group into irreducible representations. In the present paper the author considers the last possible case, i.e. the tensor product of two representations ρ_1 and ρ_2 both belonging to the supplementary series. The author distinguishes the cases $\rho_1 + \rho_2$ and $\rho_1 + \rho_2^*$. The result is summarized in a theorem. The notations are those of [Ref 4,5]. I.M. 4

Card 1/2

2755

Resolution Into Irreducible Representations SOV/20-130-2-5/69
of a Tensor Product of two Representations of Lorentz Eigen Group
Supplementary Series

Gel'fand is mentioned by the author.
There are 6 Soviet references.

ASSOCIATION: Moskovskiy fiziko-tekhnicheskiy institut (Moscow Physico-
Technical Institute)

PRESENTED: September 17, 1959, by A.N. Kolmogorov, Academician

SUBMITTED: September 16, 1959

X

Card 2/2

NAYMARK, M.A.

Tensor product of the representations of Lorenz's characteristic
group supplementary series. Dokl.AN SSSR 132 no.5:1027-1030
Je '60. (MIRA 13:6)

(Calculus of tensors)

88207

No. 2000

S/020/60/134/002/032/041XX
C 111/ C 333

AUTHOR: Naymark, M. A.

TITLE: Factor-Representations of a Locally Compact Group

PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol. 134, No. 2,
pp. 275-277

TEXT: Let G be a locally compact group which satisfies the second axiom of countability; a "representation U of G " is defined to be a continuous unitary representation $g \rightarrow U_g$ of the group G in the separable Hilbert space \mathcal{H}_U . U is called factor-representation, if the weakly closed ring M generated by all $U_g, g \in G$ is a factor in the sense of von Neumann. If $\mathcal{H}_U = \int_{\Lambda} \mathcal{H}_U(\lambda) d\mu(\lambda)$ is the decomposition of \mathcal{H}_U with respect to the center Z of M , then U is decomposed into representations $U(\lambda)$ in $\mathcal{H}_U(\lambda)$ which are factor-representations for almost all $\lambda \in \Lambda$. This decomposition is called canonical decomposition of the representation in factor-representations.

Theorem 1: Let $\mathcal{H}_U = \int_{\Lambda} \mathcal{H}_U(\lambda) d\mu(\lambda)$ and $U = \{U(\lambda)\}$ be the canonical decomposition of the representation U . Then there exists a set $\Lambda_0 \subset \Lambda$ of μ -measure zero so that the representations $U(\lambda)$ and $U(\lambda')$ are disjoint (see (Ref.3)) for all $\lambda, \lambda' \in \Lambda - \Lambda_0, \lambda \neq \lambda'$.

Card 1/4

8327

S/020/60/134/002/032/041XX
C 111/ C 333

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Factor-Representations of a Locally Compact Group

Theorem 2: Assume that $\mathfrak{G} = \int_{\Lambda} \mathfrak{G}(\lambda) d\mu(\lambda)$ and $U = \{U(\lambda)\}$ is the canonical decomposition of the representation U of a group G of the type I. Then there exists a set $\Lambda_0 \subset \Lambda$ of μ -measure zero and measurable families $\mathfrak{G}_k(\lambda)$, $k = 1, 2, \dots$, such that 1.) for $\lambda, \lambda' \in \Lambda - \Lambda_0$, $\lambda \neq \lambda'$, the representations $U(\lambda)$, and $U(\lambda')$ are multiples of nonequivalent, irreducible representations; 2.) $\mathfrak{G}(\lambda) = \sum_k \mathfrak{G}_k(\lambda)$ for $\lambda \in \Lambda - \Lambda_0$. 3.) $\mathfrak{G}_k(\lambda)$ is invariant under $U(\lambda)$ for $\lambda \in \Lambda_0$; 4.) if $\lambda \in \Lambda - \Lambda_0$ and $\mathfrak{G}_k(\lambda) \neq (0)$, then the restriction of $U(\lambda)$ on $\mathfrak{G}_k(\lambda)$ is irreducible.

Theorem 3: The representation U is the space \mathfrak{G} is assumed to be the continuous sum of the representations $U(\lambda)$ in the spaces $\mathfrak{G}(\lambda)$ so that $\mathfrak{G} = \int_{\Lambda} \mathfrak{G}(\lambda) d\mu(\lambda)$, $U = \{U(\lambda)\}$. Assume that there exists a set $\Lambda' \subset \Lambda$ of μ -measure zero such that all $U(\lambda)$ for $\lambda \in \Lambda - \Lambda'$ are pairwise quasi-equivalent (see (Ref.3)) factor-representations. Then U is also a factor-representation. If, moreover, all $U(\lambda)$ for $\lambda \in \Lambda - \Lambda'$ are factor-representations of the type I, then U is also of type I and, therefore, a finite or

Card 2/4

88207

S/020/60/134/002/032/041XX
C 111/ C 333

Factor-Representations of a Locally Compact Group

denumerable discrete sum of mutually equivalent irreducible representations.

Theorem 4: Every continuous positive-definite function $\varphi(g)$ on the group G of the type I is representable as

$$\varphi(g) = \int_{\Lambda} \left[\sum_k \varphi_k(g, \lambda) \right] d\mu(\lambda), \text{ where } \varphi_k(g, \lambda)$$

are elementary continuous positive-definite functions of g and measurable functions of λ , where f

- 1.) $\varphi_k(g, \lambda)$ and $\varphi_f(g, \lambda)$ define equivalent irreducible representations,
- 2.) $\varphi_k(g, \lambda)$ and $\varphi_f(g, \lambda')$ for $\lambda \neq \lambda'$ define nonequivalent irreducible representations.

There are 7 references: 1 Soviet, 2 French, 1 Hungarian and 3 American.

Card 3/4

88207

S/020/60/134/002/032/041XX
C 111/ C 333

J

Factor-Representations of a Locally Compact Group

[Abstracter's note: (Ref.3) is a paper of G. N. Mackey in Ann. Math., 1953, Vol. 58, No. 2, 193].

ASSOCIATION: Moskovskiy fiziko-tehnicheskii institut (Moscow Physicotechnical Institute)

PRESENTED: May 6, 1960, by A. N. Kolmogorov, Academician

SUBMITTED: April 7, 1960

Card 4/4

NAYMARK, M. A.

Expansion of an unitary representation of locally compact
group into factor-representations. Sib. mat. zhur. 2 no.1:89-
99 Ja-F '61. (MIRA 14:5)
(Groups, Theory of)

NAYMARK, H.A.

Expansion of the tensor product of irreducible representations
of the Lorentz group into irreducible representations. Part
3. Case of the tensor product of representations of the com-
plementary series. Trudy Mosk. Mat. ob-va 10:181-216 '61.

(MIRA 14:9)

(Hilbert space) (Calculus of tensors)

LYUSTERNIK, L.A.; MEN'SHOV, D.Ye.; NAYMARK, M.A.; UL'YANOV, P.L.

Abram Iezekillovich Plesner; on his 60th birthday. Usp.
mat. nauk 16 no.1:213-218 Jz-F '61. (MIRA 14:6)
(Plesner, Abram Iezokillovich, 1900--)

NAIMARK, M.A.

Isomorphic representation of rings and groups. Dokl. AN SSSR 137
no.2:278-281 Apr '61. (MIRA 14:2)

1. Predstavleno akademi'kon A.N.Kolmogorovym.
(Rings (Mathematics))

NAYMARK, H. A.

"On factor representations of a locally compact group"

report submitted at the Intl Conf of Mathematics, Stockholm, Sweden,
15-22 Aug 62

NAYM/HK, M.A. (Moscow)

On commuting unitary operators in spaces with indefinite metric.
Acta math Szeged 24 no.3/4:177-189 '63.

1. Submitted February 28, 1963.

NATMARK, M.A.

Structure of factor representations of a locally compact group.
Dokl. AN SSSR 148 no. 4: 775-778 F '63. (MIRA 16:4)

1. Matematicheskiy institut im. V.A. Steklova AN SSSR.
Predstavleno akademikom L.S. Pontryaginym.
(Groups, Theory of)

NAYMARK, M.A.

Unitary representations of a Lorentz group in a $\tilde{\Pi}$ k space. Dokl.
AN SSSR 152 no.5:1064-1067 0 '63. (MIRA 16:12)

1. Matematicheskiy institut im. V.A.Steklova AN SSSR.
Predstavleno akademikom L.S.Pontryaginym.

NAYMARK, M. A.

Unitary representations of solvable groups in spaces with
indefinite metrics. Izv. AN SSSR. Ser. mat. 27 no. 5:1181-
1185 S-0 '63. (MIRA 16:11)

NAYMARK, M.A.

Unitary permutation operators in a Π_X space. Dokl. AN SSSR 149
no.6:1261-1263 Ap '63. (MIRA 16:7)

1. Matematicheskiy institut im. V.A.Steklova AN SSSR. Predstavleno
akademikom L.S.Pontryaginym.
(Operators (Mathematics)) (Hilbert space)

NAYMARK, M.A. (Moskva)

Unitary representations of a Lorentz group in spaces with indefinite
metric. Mat. stor. 65 no.2:198-211 0 '64. (MIRA 17:11)

NAYMARK, M.A.

Commutative algebras of operators in II_1 space. Dokl. AN
SSSR 156 no. 4:734-737 Je '64. (MIRA 17:6)

1. Matematicheskiy institut im. V.A. Steklova AN SSSR.
Predstavleno akademikom P.S. Novikovym.

NAYMARK, M.A.

(MURROW)

Commutative algebras of operators in the Π_1 space. Rev math
Roum 9 no.6:499-528 '64.

KUPRYAVTSFV, I.D., doktor fiz.-matem.nauk; NAYMARK, M.A., doktor f. z.-matem.
nauk

Conference on functional analysis, the theory of approximations
and operators in the German Democratic Republic. Vest. AN SSSR
34 no.9:101 S '64. (MIRA 17410)

KUDRYAVTSEV, L.D., prof.; NAYMARK, M.A., prof.

Colloquium on linear spaces and linear operators. Vest. AN
SSSR 34 no.12:64 D '64 (MIRA 18:1)

NAYMANN, M.A.

Structure of unitary representations of locally bicompact groups
in a T_1 space. Izv. AN SSSR. Ser. mat. 29 no.3:689-700 '65.
(MIRA 18:6)

NAYMARK, M.A.

Conditions for unitary equivalence of commutative symmetrical algebras in II_k space. Dokl. AN SSSR 160 no.6:1257-1260 F '65.
(MIRA 18:2)

1. Matematicheskiy institut im. V.A. Steklova AN SSSR. Submitted September 21, 1964.

NAYMARK, M.A.

Commutative algebras of operators in a II_k space. Dokl. AN SSSR
161 no.4:767-770 Apr '65. (MIRA 18:5)

1. Matematicheskiy institut im. V.A.Steklova AN SSSR. Submitted
September 7, 1964.

NAYMARK, M.A.

Unitary representations of locally bicompact groups in \mathbb{R}_1 space.
Dokl. AN SSSR 160 no.2:281-283 Ja '65.

(MIA 10:2)

ACC NR: AP7011843

SOURCE CODE: UR/0038/66/030/006/1229/1256

AUTHOR: Neymark, M. A.

ORG: none

TITLE: Degenerate operator algebras in pontryagin space π sub K

SOURCE: AN SSSR. Izvestiya. Seriya matematicheskaya, v. 30, no. 6, 1966, 1229-1256

TOPIC TAGS: algebra, mathematic space

SUB CODE: 12

ABSTRACT: Algebra R is called degenerate if there exist such a homomorphism $A \rightarrow \lambda(A)$ of algebra R in the field of complex numbers and such a natural number p that $(A - \lambda(A))^p = 0$ for all $A \in R$. The article includes a description of commutative, symmetric, degenerate algebras - to within equivalence - of bounded linear operators in the space Π_ϵ . Orig. art. has: 5 formulas.

[IPRS: 40,423]

Card 1/1

0732

0445

NAYMARK, M.I.

**Let us put an end to interruptions in processing in the clothing
industry. Leg. prom. 15 no.11:15-16 N '55. (MLRA 9:2)
(Clothing industry)**

NAYMARK H. M.I.

NAYMARK, H. I.

Coordination of multiple-style dressmaking processes in the output
stages. Leg. prom. 18 no.1:45-46 Ja '58. (MIRA 11:2)
(Dressmaking)

GUMILEVSKAYA, S.A.; VILENKINA, A.M.; NAYMARK, M.I.

Organizing the start and accounting in multiple-pattern production
processes. Leg. prom. 18 no.3:8-9 Nr '58. (MIRA 11:4)
(Dressmaking)

MAYMARK, M.I. (Moskva)

Chart for the distribution of operations among replacements for
absent workers. Shvein.prom. no.5:11-15 J1-Ag [i.e.S-0] '61.
(MIRA 14:10)

(Clothing industry---Management)

1. NAYMARK, N. A.

2. USSR (600)

"Vibration of a Thin Resilient Layer Resting on a Resilient Semispace Due to the Action of a concentrated Harmonic Force Applied to the Layer's Free Surface."
Trudy seismologicheskogo Instituta, No. 127, 1948 (1-15)

9. Meteorologiya i Gidrologiya, No. 3, 1949. Report U-2551. 30 Oct 52

KUKIN, G.N.; MAYMARK, N.I.

Using the electrical analogies method for studying the de-
formations of textile fibers. Report No.1. Izv.vys.ucheb.
sav.; tekhn.tekst.prom. no.5:12-19 '61. (MIRA 14:11)

1. Moskovskiy tekstil'nyy institut.
(Deformations (Mechanics))—Electromechanical
analogies)
(Textile fibers, Synthetic)

KAYMARK, N.I.

Some peculiarities of the deformation of cotton yarn.

Report presented at the 13th Conference on high-molecular compounds
Moscow, 8-11 Oct 62

NAYMARK, N. I.

Use of electric analogies for studying the deformation of
textile fibers. *Izv. vys. ucheb. zav.: tekhn. tekst. prom.*
no.4:99-104 '62. (MIRA 15:10)

1. Moskovskiy tekstil'nyy institut.

(Yarn—Testing) (Electromechanical analogies)

L 63576-65 RWP(j)/EWT(m)/T Pc-4 RM

ACCESSION NR: AP5013982

UR/0183/65/300/003/0038/0040
677.464.1

TOPIC TAGS: polymer, polymeric structure, polymer property, tricotate fiber, structure analysis, superlattice, ultrasonic grinding

ABSTRACT: The relation of structure to physico-mechanical properties and the

"APPROVED FOR RELEASE: Monday, July 31, 2000

CIA-RDP86-00513R001136220

ACCESSION NR: AP5013982

APPROVED FOR RELEASE: Monday, July 31, 2000

CIA-RDP86-00513R001136220

TEREKHOV, V.S., arkhitektor; HAYMARK, S.I., arkhitektor

Standardizing storehouses of ore preparation enterprises of
ferrous metallurgy. Prom. stroi. 40 [i.e. 41] no.6:12-16 Je '63.
(MIRA 16:10)

HAYMISH, S.I., arkhitektor

Two types of roadside warehouses for mineral fertilizers. 1964.
Atrol. 42 no. 3:17-20 3 164.

SKLYAROV, Yuriy Andreyevich; NAYMARK, S.L., red.

[Tyumen' builds] Tiumen' stroitsia. Tiumen', Tiumenskoe
knizhnoe izd-vo, 1963. 34 p. (MIRA 17:4)

NAYMARK, V. Ye., kand.fiz.-mat.nauk; GUREVICH, Ya.B., kand.tekhn.nauk

Plastic properties of Kh25H20 modified steel castings. Prot1.
metalloved. 1 fiz. met. no.4:623-638 '55. (MIRA 11:4)
(Steel castings) (Plasticity)

Handwritten: Gurevich, V. Ye.

GUREVICH, Ya.B., kand. tekhn. nauk; NAYMARK, V. Ye., kand. fiz.-mat. nauk

Deformability of Kh25N20 steel castings. Probl. metalloved. i fiz.
met. no. 4:639-647 '55. (MIRA 11:4)
(Steel castings) (Rolling (Metalwork))

HAYMARK, Ye.A.; TRET'YAK, L.K.

Treatment with synthomycin of dysentery and infant toxicosis. Vopr.
pediat. 20 no.6:18-20 Nov-Dec 1952. (GIML 23:4)

1. Assistant, Candidate Medical Sciences for Haymark; Assistant for
Tret'yak.

POKOMAREVA, V.N.; HAYMARK, Ye.A., kand.med.nauk

Treatment by stages for dysentery patients under conditions of a children's hospital. Vop. okh. mat. i det. 5 no. 2:74-78 Kr-Ap '60. (MIRA 13:10)

1. Iz Detskoy infektsionnoy bol'nitsy No. 11 Oktyabr'skogo rayona Moskvyy (glavnyy vrach V.F. Perzhina). (DYSENTERY)

KAPLAN, G.Sh.; BELUKHIN, V.G.; NAYMARK, Yu.Yu.

Determination of the optimum geometry of a cutting tool
securing chip breaking. Trudy Stud. nauch. ob-va LIEI no.3:
39-48 '59. (MIRA 16:10)

NAYMENKO, M.

"The Rocket Artillery of the Russian Army," In the collection: The History of Russian Military-Technical Ideas. M. War Publ. House, 1952, pp. 64-87

NAYMIS, I.

Zabolevaniya zhiivotnykh ot nepravil'nogo kormleniya i plokhikh kormov
(Diseases of Animals Caused by Improper Feeding and Poor Feeds), Vil'nyus.
Gospolitnaushizdat. 1950. 44 pages with illustrations. In the Lithuanian language.

U-5235

NAYMISHEN, K. I.

Extensive repair of railroad passenger cars without uncoupling. Moskva, Gos, transp. zhel-dor. izd-vo, 1953. 26 p. (54-32098)

TF455.H3

KHADZHIDEKOV, G.; NAYMOV, G.

Maffucci's syndrome, Svr. med. 14 no.4:69-76 '63.

(DYSCHONDROPLASIA) (HEMANGIOMA, CAVERNOUS)

NAYMOV, G. F.

"The Effect of Vegetative Propagation on the Vitality and Viability of Plants (For Instance, Kok-saghiz)." Cand Agr Sci, Khar'kov Agricultural Inst, Khar'kov, 1954.
(RZhBiol, No 1, Jan 55)

Survey of Scientific and Technical Dissertations Defended at USSR Higher Educational Institutions (13)
SO: Sum. No. 598, 29 Jul 55

NAYMOV, N A.

UKHOV, B.S., prof., doktor tekhn.nauk [deceased]; VOROB'YEV, V.A., prof., doktor tekhn.nauk, zasluzhennyy deyatel' nauki i tekhniki; YEGOROV, Yu.A., prof., doktor iskusstvovedcheskikh nauk; STRAMENTOV, A.Ye., prof., doktor tekhn.nauk; SIROTKIN, V.P., prof., doktor tekhn.nauk; TOROPOV, A.S., dotsent, kand.tekhn.nauk; KRYLOV, B.A., kand.tekhn.nauk; SHREYBER, A.K., kand.tekhn.nauk; OSMOLOVSKIY, M.S., dotsent, kand.arkhitektury, inzh.-arkhitektor; POGODIN-ALEKSEYEV, G.I., prof., doktor tekhn.nauk, obshchiy red.; NAYMOV, N.A., dotsent, kand.tekhn.nauk, nauchnyy red.; KOKOSHEKO, A.G., red.; NAYMOV, K.M., tekhn.red.

[Industrial and residential construction; textbook for higher party schools] Promyshlennoe i grazhdanskoe stroitel'stvo; uchebnoe posobie dlia vysshikh partiinykh shkol. Moskva, 1959. 454 p.

(MIRA 13:2)

1. Kommunisticheskaya partiya Sovetskogo soyuza. Vysshaya partiynaya shkola. 2. Chlen-korrespondent Akademii stroitel'stva i arkhitektury (for Stramentov). 3. Rukvoditel' kafedry promyshlennogo proizvodstva i stroitel'stva Vysshey partiynoy shkoly pri Tsentral'nom komitete Kommunisticheskoy partii Sovetskogo soyuza (for Pogodin-Alekseyev.)

(Construction industry)

(City planning)

HAYKOVA, A. S.

PA 149T31

USSR/chemistry - Acetic Acid System Aug 49
Physics - Electroconductivity of
Acetic Acid

"Electroconductivity and Viscosity of the System Acetic Acid-Monochloroacetic Acid, IV,"
A. S. Haykova, Lab of Phys Chem, Tomsk Polytech
Inst Imeni S. M. Kirov, 7 1/2 pp

"Zhur Obshch Khim" Vol XIX, No 8

Investigated electroconductivity at 40, 60, 75° C, revealing a minimum on temperature curve for coefficient of electroconductivity when molecular ratios of components were 1:1. Studied viscosity at these temperatures also, and derived an S-shaped
149T31

USSR/chemistry - Acetic Acid System Aug 49
(Contd)

curve, indicating formation of a compound whose viscosity is intermediate between those of its components. Submitted 3 Apr 48.

149T31

ABULADZE, M.A.; ANDREYCHUK, Yu.A., mostovoy master; NAYMUSHIN, A.A., starshiy dorozhnyy master (Sevastopol'). KRIUSHIN, I.A., dorozhnyy master (stantsiya Adanya Krasnoyarskoy dorogi)

Letters to the editor. Put' i put.khoz. no.12:35-36 D '58.
(MIRA 12:1)

1. Nachal'nik rel'sosvarochnogo poyezda, stantsiya Orsha Belorusskoy dorogi (for Abuladze).
(Railroads--Track)

NAYMUSHIN, A.A., starshiy dorozhnyy master (g.Sevastopol')

Track inspector Skiba. Put' 1 put. khoz. 5 no.3:14, Mr '61.
(MIRA 14:3)

(Railroads—Employees)

NAYMUSHIN, A.S.

Remodeling a gas fractionating unit. Nefteper. 1 neftekhim.
no.7:43-46 '63 (MIRA 17:7)

1. Permakiy neftepererabatyvayushchiy zavod.

SOV/98-59-8-2/33

14(10,11), 18(5)

AUTHORS: Naymushin, I., Head, Gindin, A., Chief Engineer, Shergin, B., Secretary of the Party Committee, Georgiyevskiy, S., Secretary

TITLE: Open Letter From the Workers on the Bratsk Construction Project

PERIODICAL: Gidrotekhnicheskoye stroitel'stvo, 1959, Nr 8, pp 3-4 (USSR)

ABSTRACT: As mentioned in the opening article, this is an open letter sent to all construction sites, industrial undertakings, technical institutes, and to the workers on the Krasnoyarsk GES project in particular. Based on the resolutions of the June Plenum of the Central Committee of the Soviet Communist Party, and born of a desire to hasten the fulfillment of the plan, the letter calls for help to be extended by more experienced teams to those in a less fortunate position. In particular, it calls for aid from the workers of the town of Angarsk, the Glavmosstroy and the Glavmospromstroyaterialov of the Mosgorispolkom (Moscow City Executive Committee) in this field of housing construction on the Bratsk site, admitting its inexperience in this sphere; from the Krivoy Rog ore-mining team in the construction of the Korshunov

Card 1/2

SOV/98-59-8-2/33

Open Letter From the Workers on the Bratsk Construction Project

iron-ore combine (output 12 million tons a year); from timber combines, in order to help with the construction of the largest wood-processing enterprise in the USSR (output 4 million cubic meters a year); and from the Academy of Construction and Architecture of the Ukrainian SSR in the field of the removal of earth and rock by means of explosives. In return, the Bratsk workers on the Padun Falls offer their help and experience to all who need it, especially to the workers on the Krasnoyarsk site on the Yenisey, who lag behind the former somewhat in the fulfillment of their part of the plan to provide a network of power stations in Siberia.

ASSOCIATION: Bratskgesstroy (Bratsk Construction Project) (Naymashin): Bratskiy gorkom KPSS (Bratsk Town Committee, CPSU (Georgiyevskiy)

Card 2/2

TOLKACHEV, A.V., dots.; NAYMUSHIN, I.G., inzh.; KRAFT, G.A.

Operational experience of the TE2 diesel locomotive in passenger traffic. Zhel. dor. transp. 41 no.5:64 My '59.

(MIRA 12:7)

1. Zaveduyushchiy dinamometricheskim vagonom Tashkentskege instituta inzhenerov zheleznodorozhnogo transporta (per Kraft).
(Diesel locomotives) (Railroads—Passenger traffic)

NAYMUSHIN, I.

First units of the Bratsk Hydroelectric Power Station are about to go into operation. Na stroi. Ros. no.10:4-7 0 '61. (MIRA 14:11)

1. Nachal'nik Bratskoy gidroelektrstantsii.
(Bratsk Hydroelectric Power Station)

ZASYAD'KO, A.F.; KUCHERENKO, V.A.; PAVLENKO, A.S.; GRISHMANOV, I.A.;
FROLOV, V.S.; SHASHKOV, Z.A.; YEFREMOV, M.T.; SMIRNOV, M.S.;
CHIZHOV, D.G.; NOVIKOV, I.T.; NOSOV, R.P.; ASKOCHENSKIY, A.N.;
NIKRASOV, A.M.; LAVREYENKO, K.D.; TARASOV, N.Ya.; GABDANK, K.A.;
LEVIN, I.A.; GINZBURG, S.Z.; ALEKSANDROV, A.P.; KOMZIN, I.V.;
OZEROV, I.N.; SOSNIN, L.A.; BELYAKOV, A.A.; ~~HAYMUSHIN, I.I.~~
INYUSHIN, M.V.; ACHKASOV, D.I.; RUSSO, G.A.; DROBYSHEV, A.I.;
PLATONOV, N.A.; ZHIMERIN, D.G.; PROMYSLOV, V.F.; ERISTOV, V.S.;
SAPOZHNIKOV, F.V.; KASATKIN, M.V.; ALEKSANDROV, M.Ya.; KOTILEVSKIY,
D.G.

Fedor Georgievich Loginov; obituary. Elek.sta. 29 no.8:1-2
Ag '58. (MIRA 11:11)

(Loginov, Fedor Georgievich, 1900-1958)

NAYMUSHIN, K. I.

NAYMUSHIN, K. I.; SHCHERBAKOV, V. F., redaktor.

[Extensive repair of railroad passenger cars without uncoupling]
Ukrupnenny bezotsepochnyy remont passazhirskikh vagonov. Moskva,
Gos. transp. shel-dor. izd-vo, 1953. 26 p. (MIRA 7:4)
(Railroads--Passenger cars--Maintenance and repair)

НАМУШИН, Е.И., (г. Свердловск)

Repairing passenger cars without uncoupling. Zhel.dor.transp.
37 no.1:76-77 Ja '56. (MLRA 9:3)

1. Nachl'nik vagonnoguchastka.
(Railroads--Cars--Maintenance and repair)

L 6962-66 EWT(1)/PCS(k)/T WR

ACC NR: AP5020366

SOURCE CODE: UR/0141/65/008/003/0540/0546

AUTHOR: Maymushin, M. P. ¹¹

45
43
B

ORG: Moscow Power Engineering Institute ¹¹ (Moskovskiy energeticheskiy institut)

TITLE: The excitation of a cylinder with variable surface impedance

SOURCE: IVUZ. Radiofizika, v. 8, no. 3, 1965, 540-546

TOPIC TAGS: electric impedance, numeric integration, cylindric flow, antenna configuration, waveguide antenna

ABSTRACT: A two-dimensional problem associated with the excitation of a circular cylinder with a surface impedance varying along the circumference of the cylinder is considered. The integral equation for the surface density of the electric or magnetic current is solved by the numerical method of Krylov-Bogolyubov [L. V. Kantorovich, V. I. Krylov, Priblizhennyye metody vysshego analiza, GIFML, M-L., 1962]. A digital computer used this method to produce the results given in the figures. In Fig. 1, the antenna is placed on an ideally conducting cylinder and excited by a longitudinal slit. The current phases for the various cases are al-

UDC: 621.396.671

Cara 1/3

ACC NR: AP50203

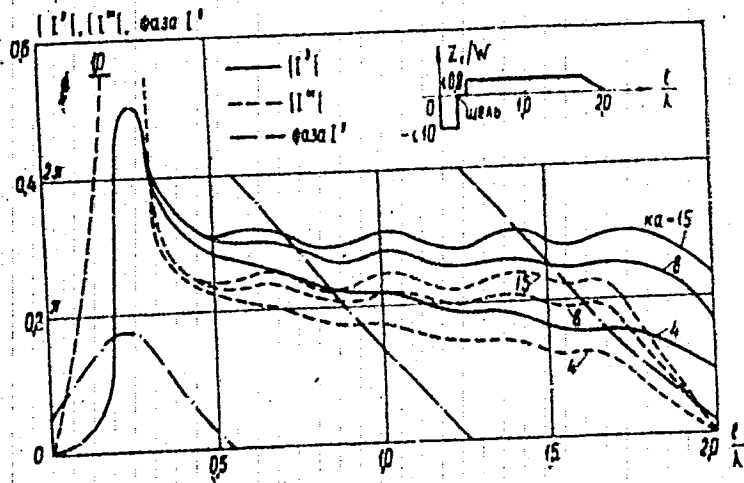


Fig. 1. Distribution of electric and magnetic current density along the antenna.

Card 2/3

L 6962-66

ACC NR: AP5020366

2

most identical. The impedance distribution is the same for all antennas. The region with the capacitive reactance situated behind the slit serves the role of a reflector and absorbs the source radiation in the reverse direction. A region with inductive reactances is situated on the opposite side of the slit. The linear variation in the phase shows that the current is of the traveling wave type. This can also be observed from the small oscillations and the value of the current along the antenna. Due to the discontinuity in the surface wave, radiation takes place along the entire length of the antenna and the amplitude of the traveling wave is decreased. A directional diagram shows that the bending of the antenna produces an increase in the radiation pattern minima and an extension of the principal lobe. The current distribution on the antenna radiation pattern covering the entire circumference of the cylinder is shown. In this case while a large part of the cylinder impedance has a constant value near the slit, the value varies and sets up a traveling wave along the circumference of the cylinder. The traveling wave attenuates very little after passing over the cylinder due to the high value of impedance and the relatively small curvature. In this case the radiation pattern also follows approximately the law of the attenuating traveling wave but does so with greater nonuniformity produced by the natural radiation of the slit. "The author expresses his deep gratitude to G. T. Markov for supervising the work." Orig. art. has: 11 equations, 4 figures.

SUB CODE: EM/

SUBM DATE: 07Sep54/

ORIG REF: 003/

OTH REF: 002

Card 3/3 *sk*

BRODSKIY, A.M.; LAVROVSKIY, K.P.; NAYMUSHIN, N.N.; TITKOV, V.B.;
FILATOVA, Ye.D.

Chromatographic analysis of mixtures of alkylenes and diolefins.
Khim. i tekhn. topl. i masel 4 no.3:30-32 Kr '59. (MIRA 12:4)

1. Institut nefti AN SSSR.
(Chromatographic analysis) (Olefins)

KALINENKO, R.A.; NAYMUSHIN, N.N.

Gas-liquid chromatographic analysis of complex mixtures of oxygen-compounds. Neftekhimiia 1 no.1:117-120 Ja-F '61. (MIRA 15:2)

1. Institut neftekhimicheskogo sinteza AN SSSR.
(Chromatographic analysis) (Oxygen compounds)

ANPILGOV, I., elektrosvarshchik; KAYMUSHIN, P.; CHISTOV, S., inzh.;
KURBANGALEYEV, A.; TRET'YACHENKO, B.

Worker correspondents of the periodical of the All-Union Central Council of Trade Unions "Okhrana truda i sotsial'noe strakhovanie" make a surprise inspection. Okhr.truda i sots. strakh. 3 no.6:46-50 Je '60. (MIRA 13:7)

1. Raydovaya brigada zhurnala "Okhrana truda i sotsial'noye strakhovaniye" (for all). 2. Ufimskiy neftepererabatyvayushchiy zavod (for Anpilgov). 3. Otvetstvennyy sekretar' gazet "Neftepererabotchik" (for Kaymushin). 4. Tekhnicheskiy inspektor oblastnogo soveta profsoyuzov Bashkirskego sovmarkhosa (for Kurbanaleyev). 5. Spetsial'nyy korrespondent zhurnala "Okhrana truda i sotsial'noye strakhovaniye" (for Tret'yachenko). (Bashkiria--Industrial hygiene)

NAYMUSHIN, P.A.

Operations at the Novoufimka Petroleum Refinery. Nefteper. 1
neftekhim. no. 4:3-6 '64. (MIRA 17:5)

1. Novo-Ufimskiy neftepererabatyvayushchiy zavod.

5.2620

69022

AUTHORS:

Tropova, V. F., Faymushina, K. V.

S/078/60/005/04/017/040
B004/B007

TITLE:

Polarographic Investigation of the
Complex Compounds of Cadmium With Thiosemicarbazide and
Semicarbazide

PERIODICAL:

Zhurnal neorganicheskoy khimii, 1960, Vol 5, Nr 4, pp 874 - 878
(USSR)

ABSTRACT:

In this paper the investigations of the thiosemicarbazide complexes of mercury and silver carried out in reference 1 were extended to cadmium. The investigation was carried out by means of the polarograph of the Gintsvetmet (Gosudarstvennyy institut po tavetnym metallam - State Institute of Nonferrous Metals) on a dropping mercury electrode. For measuring the pH an LP-5 tube-potentiometer was used. Table 1 gives the measured half-wave potentials of Cd^{2+} in the presence of thiosemicarbazide at 25°. Figure 1 shows the linear dependence of the half-wave potential on the logarithm of thiosemicarbazide concentration. The angular coefficient of the straight line is 0.064. The solution therefore contains complex ions with the coordinate number 2:

$[Cd(TS)_2]^{2+}$ (TS = $SC(NHNH_2)_2$). The instability constant was cal-

Card 1/4

69022

Polarographic Investigation of the Complex Compounds of Cadmium With Thiosemicarbazide and Semicarbazide

S/078/60/005/04/017/040

E004/H007

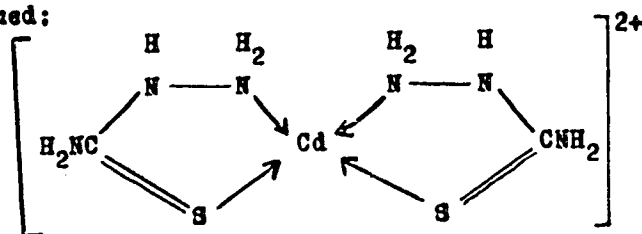
culated as being 5.5 ± 0.15 . In figure 2 the dependence of the stability of the cadmium-thiosemicarbazide-complex on pH is shown. The complex is stable between pH 5 - 7. With $\text{pH} < 1.2$ hydrazine hydrogen does not seem to participate in the formation of the complex. The authors therefore assume a similarity with the thiourea complex of cadmium in this region, and compare the half-wave potentials of these two compounds in table 2. In table 3 the dissociation constants of thiosemicarbazide at different pH are given. The cadmium semicarbazide complexes were investigated in a similar manner: Table 4: Half-wave potentials of Cd^{2+} in the presence of semicarbazide, figure 5: Dependence of the half-wave potential on the concentration of semicarbazide. Herefrom the existence of the complex $[\text{Cd}(\text{Sem})_2]^{2+}$ is proved ($\text{Sem} = \text{OC} \begin{array}{l} \text{NHNH} \\ \text{NH}_2 \end{array} 2$), the instability constant of which was calculated to be 3.3 ± 0.15 . Figure 4 shows the influence of pH on the half-wave potential. The optimum range for the existence of the semicarbazide complex is between pH 6 - 7. In table 5

Card 2/4

69022

Polarographic Investigation of the Complex Compounds of Cadmium With Thiosemicarbazide and Semicarbazide
 S/078/60/005/04/017/040
 B004/B007

the authors give the instability constants of the CdX_2^{2+} -complexes for X = thiourea, thiosemicarbazide, and semicarbazide. Thiosemicarbazide is bound to cadmium both by means of hydrazine nitrogen and also by sulfur. This is proved by the complex formation with semicarbazide on the one hand and with thiourea on the other. For the thiosemicarbazide complex of cadmium the following cylindrical structure is therefore assumed:



There are 4 figures, 5 tables, and 4 references, 2 of which are Soviet.

Card 3/4

69022

Polarographic Investigation of the Complex Compounds of Cadmium With Thiosemicarbazide and Semicarbazide

S/078/60/005/04/017/040
B004/B007

ASSOCIATION: Kazanskiy gosudarstvennyy universitet im. V. I. Ul'yanova-Lenina
(Kazan' State University imeni V. I. Ul'yanov-Lenin)

SUBMITTED: November 5, 1958

Card 4/4

Freidanson, Ye. Z.; Rabinovich, D. M.; Vinokurov, I. Ya.; Loshkina, N.A.;
Freidanson, Ye. Ye.
steel sheets and sections
Steel, no. 5 1965, 383

~~... the uniformity of cooling over the area of the metal is of special importance. Orig. art. has: 4 figures,~~

NAYMUSHINA, L. and TETERNIK, D.

"An experiment with disinfection of wool in the process of its first processing (washing)."

SO: Vet. 26 (4) 1949, p. 36

NAIKUSHINA, L.Ye., nauchnyy sotrudnik

New method for examining dry salted and wet salted hides and furs by the precipitation reaction. Trudy VNIIVSE 12:237-252 '57. (MIRA 11:12)

1. Laboratoriya sanitarii i deratizatsii Vsesoyuznogo nauchno-issledovatel'skogo instituta veterinarnoy sanitarii i ektoparazitologii.

(Hides and skins) (Anthrax)

NAIMUSHINA, L.Ye., nauchnyy sotrudnik

Thirty years' experience in using precipitating anthrax serum for examining hides and furs. Trudy VNIIVSE 12: 253-264 '57. (MIRA 11:12)

1. Laboratoriya sanitarii i deratizatsii Vsesoyuznogo nauchno-issledovatel'skogo instituta veterinarnoy sanitarii i ektoparazitologii.

(Anthrax) (Hides and skins)

YAMUSHINA, L.Ye., nauchnyy sotrudnik

Effect of insecticides and antiseptics used in preserving
hides and furs on the precipitation reaction. Trudy VNIIVSE
13:77-85 '58. (MIRA 11:12)
(Anthrax) (Hides and skins--Disinfection) (Agricultural chemicals)

NAYMUSHINA, L. Ye., Cand of Vet Sci -- (diss) "Reaction of Precipitation
During the Investigation of Skin-Fur Raw Products by Salt Concentrates,"
Moscow, 1959, 18 pp (All-Union Institute of Experimental Veterinary
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