

SVETKIN, Yu.V.; MINLIBAYEVA, A.N.

Interaction of ketone with nitrogen-containing bases. Part 16: Chloroacetylation of urea and its derivatives. Zhur.ob.khim. 34 no.1:44-47 Ja '64. (MIRA 17:3)

1. Bashkirskiy gosudarstvennyy universitet.

STETKIN, Yu.V.; MINLIBAYEVA, A.N.

Reaction of ketene with nitrogen-containing bases. Part 18:
Chloroacetylation of acid amides and imides. Zhur. ob. khim.
35 no.5:836-838 My '65. (MIRA 18:6)

1. Moldavskiy nauchno-issledovatel'skiy institut pishchevoy
promyshlennosti.

ZAGOREVSKIY, V.; DUDYKINA, N. V.; Prinimala uchastiye MINLIKEYVA, G. I.

Ring expansion in the reduction of oximes. Zhur. ob. khim. 33
no.1:322-323 '63. (MIRA 16:1)

1. Institut farmakologii i khimioterapii MN SSSR.

(Oximes) (Reduction, Chemical)

MINOR, B., inz.

Technical progress in electric traction of the Polish Railways.
Przegl kolej elektrotech 15 no.7:3 of cover Jl '63.

Minlos, R. A. Plane variation of functions of two variables
and the cylindrical measure of sets in three-dimensional
space. Doklady Akad. Nauk SSSR (N.S.) 81, 733-736
(1951). (Russian)

The author considers a measure $\mu(M)$ of a set M of points
in the unit cube $J^{(3)}$, $0 \leq x \leq 1$, $0 \leq y \leq 1$, $0 \leq z \leq 1$, defined by

$$\mu(M) = \int_0^1 \phi(t, M) dt$$

where $\phi(t, M)$ is the Hausdorff linear measure of the inter-
section of M with the plane $z=t$, and upper Lebesgue inte-
gration is used. The expression for $\mu(M)$ was used by Kron-
rod [Uspehi Matem. Nauk 5, no. 1 (35), 24-134 (1950);
these Rev. 11, 648] to define the "planar variation" of a
one-valued function $f(x, y)$, with $0 \leq f(x, y) \leq 1$, over the
unit square $J^{(2)}$, $0 \leq x \leq 1$, $0 \leq y \leq 1$, the set M then consisting
of the points of $J^{(3)}$ at which $z=f(x, y)$. The author shows
that when M is a Borel set $\mu(M)$ equals the "cylindrical
measure" of M , which he defines like Hausdorff two-dimen-
sional measure except that the covering sets are restricted
to be right circular cylinders with axes parallel to the z -axis,
the magnitude of each cylinder being taken to be the area
of an axial section. H. P. Mulholland (Birmingham).

S. W. Jett

Reviews,

Vol 13 No. 7

MINLOS, R. A.

USSR/Mathematics - Quantum - Physics

Card 1/1

Authors : Gel'fand, I. M., Memb. Corres. of Acad. of Sc. USSR. and Minlos, R. A.

Title : Solution of equations of quantized fields

Periodical : Dokl. AN SSSR, 97, Ed. 2, 209 - 212, July 1954

Abstract : A solution of equations of quantized fields. A somewhat new mathematical method, generally outlined in the article, has been applied to the solution of the quantized field equations. Two references.

Institution : ...

Submitted : April 28, 1954

GRADSHTEYN, I.S. (Moscow) ROBINSON, P.S. (Khar'kov); MINLOS, R.A. (Moscow)
SHOPOVTS, Z.A. (Yaroslavl'); GEL'FOND, A.O. (Moscow); YAGLOM, A.M.
(Moscow); ROBINSON, R.M. (SShA); DUBNOV, Ya.S. (Moscow); STECHKIN,
S.B. (Moscow)

Problems of higher mathematics. Mat. press. no.1:224-227 '57.
(Mathematics--Problems, exercises, etc.)
(MIRA 11:7)

HINLES, R.A., Camp Day School [illeg] (file) "California's ~~new~~ ^{random} state
and their continuation in a degree." Nov, 1938. 3 pp. (See also entry
M.W.
in *Bonaparte*, 110-201-01 (L, 2-3, 117)

2.

MINLOS, R.A.

16(1)

PHASE I BOOK EXPLOITATION

SOV/2242

Gel'fand, Izrail' Moiseyevich, Robert Adol'fovich Minlos, and Zorya Yakovlevna Shapiro

Predstavleniya gruppy vrashcheniy i gruppy Lorentsa, ikh primeniya (Rotation Group and Lorentz Group Representations and Their Applications) Moscow, Fizmatgiz, 1958. 368 p. 7,000 copies printed.

Eds.: F. A. Berezin and L. A. Stebakova; Tech. Ed.: S. S. Gavrilov.

PURPOSE: This book is intended for mathematicians and physicists and for students of mathematics and physics.

COVERAGE: This book is devoted to a detailed study of the representations of rotation groups in 3-dimensional space and to the Lorentz group. For the benefit of physicists and physics students the authors have included in the book all basic material on representation theory which is applicable to quantum mechanics. Mathematicians and mathematics students who are studying representation of Lie groups, may use the book as an introduction to the general theory of representations. In addition the material included

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Rotation Group and Lorentz Group (Cont.)

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in the book renders sufficiently clear the connection between representation theory and other branches of mathematics, such as spherical functions, tensors, differential equations, etc., which had not previously been analyzed in the general case. I. M. Gel'fand and Z. Ya. Shapiro wrote the first part of the book on rotation groups. K. A. Minlos wrote the second part on representations of the Lorentz group and relativistic-invariant equations. This part was based mainly on the work of I. M. Gel'fand and A. M. Yaglom "General Relativistic-invariant Equations and Infinite Dimensional Representations of a Lorentz Group" (Zhurnal eksperimental'noy i teoreticheskoy fiziki, Vol 18, No 8, 1948). The authors thank F. A. Berezin, editor of the book, for his assistance. There are 25 references: 23 Soviet, 1 German, and 1 English.

TABLE OF CONTENTS:

Preface

7

PART I. REPRESENTATIONS OF A ROTATION GROUP OF THREE-DIMENSIONAL SPACE

Ch. 1. The Rotation Group and Its Representation

9

Card 2/10

MINLOS, R.A.

p.3

SOV/52-3-2-10/10

AUTHOR: None Given

TITLE: A Summary of Papers Presented at the Sessions of the Scientific Research Seminar on the Theory of Probability, Moscow, September-March 1957-1958 (Rezyume dokladov, sdelannykh na zasedaniyakh nauchno-issledovatel'skogo seminara po teorii veroyatnostey, Moskva, sentyabr'-mart 1957-58 g.)

PERIODICAL: Teoriya veroyatnostey i yeye primeneniya, 1958, Vol III, Nr 2, pp 212-216 (USSR)

ABSTRACT: A. N. Kolmogorov - Ergodic stationary random processes with a discrete spectrum. If S is a set of numbers and $\xi(t)$ is a stationary ergodic function defined for all random values of t as

$$\xi(t) = \sum_{\lambda \in S} \varphi(\lambda) e^{i\lambda t}$$

then $p(\lambda) = |\varphi(\lambda)|$ is not random. Therefore, the unit probability can be expressed as $p(\lambda) = \sqrt{f(\lambda)} > 0$ and $\varphi(\lambda) = p(\lambda) e^{i\theta(\lambda)}$ where $\theta(\lambda)$ is defined as mod 2π and represents a random element of the space A_S of all the

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SOV/52-3-2-10/10

A Summary of Papers Presented at the Sessions of the Scientific Research Seminar on the Theory of Probability, Moscow, September-March 1957-1958

functions $\alpha(\lambda)$. The space A_S represents a compact group with a sub-group B_S . The factorial group

$F_S = A_S - B_S$ will determine the distribution of

the function $\xi(t)$ becoming isomorphic of the other two.
Ye. B. Dynkin - Infinitesimal operators of "jump" Markov processes. Published in Vol III, Nr 1 of this journal.

V. A. Volkonskiy - A random change of time in strictly Markov processes. If $x_t = x(t, \omega)$ is a homogeneous Markov process on the space E and $\tau_t(\omega)$ is a function non-decreasing at all ω , and that $\tau_t(\omega)$ at all t is a random value not dependent on future, then the function $y(t, \omega) = x(\tau_t(\omega), \omega)$ is a process obtained from x_t with random change of time τ_t . At some conditions of τ_t the

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SOV/52-3-2-10/10

A Summary of Papers Presented at the Sessions of the Scientific Research Seminar on the Theory of Probability, Moscow, September-March 1957-1958

the process y_t becomes a homogeneous strictly Markov process. In the case of a homogeneous process with a random change of time and a uniform deformation of space it is possible to obtain any continuous Markov process which will be regular in the interior and absorbed near the boundary.

R. L. Dobrushin - A statistical problem of detecting a signal in the noise of a multi-channel system reduced to stable distribution laws. Published in this issue.

V. M. Zolotarev - Some new properties of stable distribution laws. Published in Vol II, Nr 4 of this journal.

R. A. Minlos - On the extension of the generalized random process to additive measure. Any exact process, such as Gelfand's, based on the cylindrical set of numbers on linear topologic space E' and extended into a space E will retain its additive property defined as the set B on the space E' . (There are 2 references, 1 Soviet and 1 French).

→ D. M. Chibisov - Limit distribution for the number of runs in a Bernouilli Trials. If k represents a number of independent runs in two trials, the probability of a positive

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SOV/52-3-2-10/10

A Summary of Papers Presented at the Sessions of the Scientific Research Seminar on the Theory of Probability, Moscow, September-March 1957-1958

trial being p and a negative trial being $q = 1 - p$, then at i -run ($i \geq r$) a series r can be found: $i-r+1, i-r+2, \dots$. The trial (i) will be positive and the trial $(i-r)$ negative ($i > r + 1$). The number of series r is N . The conditions for $p, q, r, k \rightarrow \infty$ are given by (1) (2) and (3).

A. N. Kolmogorov - Spectra for dynamical systems generated by the stationary stochastic process. Displacements of a trajectory on the space of a random stationary process generate the dynamic systems for which the probability distribution is invariant. If the process is normal then the spectra of dynamical systems are homogeneous. In the case of discrete time its multiple for a separable process can be calculated. For the continuous time only some examples of calculated multiple are known. The above can be illustrated by the entropy per unit of time considered as a metric invariant of a dynamical system. As in the case of discrete

Card 4/6

MINLOS, R.A.

SKOPETS, Z.A. (Yaroslavl'); OSTROVSKIY, A.I. (Moskva); BESKIN, L.N. (Mos'tva);
BALK, M.B. (Smolensk'); BORSUK, M.V. (L'vov); BYKOV, A.M. (Baku);
CHANTURIYA, Z.A. (Tbilisi); NOVIKOVA, V.S. (Orekhovo-Zuyevo); DUBNOV,
Ya.S. (Moskva); STECHKIN, S.B. (Moskva); KHAVIN, L.P. (Leningrad);
ERDNIYEV, P., (Stavropol'); CHIAREULI, D.L. (GruzSSR); ASEKRITOY, U.M.
(Yaroslavl'); GOLUBEV, V.A. (Kuvшиново); MALIKIN, V.V. (Leningrad);
DAVYDOV, U. (Gomel'); ROZENBERG, V.I. (Leningrad); TIKHONOV, P.G.
(Karaganda); ROMANCHUK, N.A. (Khar'kov); MINLOS, R.A. (Moskva); OGAY,
S.V. (Frunze); ROFE-BEKETOV, F.S.; BERSHTEYN, A. (Moskva); ARLAZAROV,
V.L. (Moskva)

Solutions to problems. Mat.pros. no.4:253-270 '59.

(MIRA 12:11)

(Mathematics--Problems, exercises, etc.)

AUTHOR: Ninles, R.A. 20-119-3-10/65

TITLE: Continuation of a Generalized Random Process to a Countably Additive Measure (Prodolzheniye obobshchennogo sluchaynogo protsessa do vpolne additivnoy mery)

PERIODICAL: Doklady Akademii Nauk, 1958, Vol 119, Nr 3, pp 439-442 (USSR)

ABSTRACT: In the linear space E let a topology be defined by denumerable many scalar products (φ_1, φ_2) which satisfy the following conditions 1.) $(\varphi, \varphi)_{n+1} \geq (\varphi, \varphi)_n$ 2.) The sum of the squares of the axes of the ellipsoid $(\varphi, \varphi)_{n+1} = 1$ which are measured in the n-th scalar product, converges. Let E' be the conjugate space to E. In E' let a generalized random process be defined in Gel'fand's sense [Ref 1] (i.e. as a measure $\mu(\Omega)$ on the cylindric sets \mathcal{C} of E'). Then the following fundamental theorem holds:
The generalized random process thus defined can be continued to a countably additive measure which is defined in the strong topology on the B-sets of E' .
Theorem: If in a space E'_1 which is conjugate to a denumerable

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Continuation of a Generalized Random Process to a
Countably Additive Measure

20-119-3-10/6;

normalized space E_1 , each generalized random process can be continued to a countably additive measure, then E_1 possesses the properties 1. and 2.) of E (it is isomorphic to E). The proof of the fundamental theorem is based on four lemmata. There are 3 references, 1 of which is Soviet, and 2 American.

PRESENTED: December 24, 1957, by A.N. Kolmogorov, Academician

SUBMITTED: December 14, 1957

Card 2/2

MINLOS, R.A.

Generalized random processes and their continuation to the
measure. Trudy Mosk.mat. ob-va 8:497-518 '59. (MIRA 13:2)
(Probabilities)

S/056/61/041/006/029/054
B146/B102

AUTHORS: Minlos, R. A., Faddeyev, L. D.

TITLE: The three-particle problem with point interaction

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 41,
no. 6, 1961, 1850-1851

TEXT: An integral equation derived by K. A. Ter-Martirosyan and G. V. Skornyakov (Ref. 1: ZhETF, 31, 775, 1956) for the wave function of a three-particle system with point interaction is considered on the basis of scalar and homogeneous particles. Besides a relation following from the asymptotic behavior and from the orthogonality of the solutions, this equation has solutions corresponding to an infinite set of bound states. The proof furnished for this is only applicable to spherically symmetric solutions. The work is based on the Ter-Martirosyan - Skornyakov model improved by G. S. Danilov (Ref. 2: ZhETF, 40, 498, 1961); a more general treatment in a mathematical paper by the authors (Ref. 4: R. A. Minlos, L. D. Faddeyev, DAN SSSR, 141, 6, 1961) is referred to. There are 4 Soviet references.

Card 1/2

The three-particle problem with ...

S/056/61/041/006/029/054
B146/B102

ASSOCIATION: Moskovskiy gosudarstvennyy universitet (Moscow State
University)

SUBMITTED: June 16, 1961

Card 2/2

MINLOS, R.A.; FADDEYEV, L.D.

Point interaction for a system of three particles in quantum mechanics.
Dokl. AN SSSR 141 no.6:1335-1338 D '61. (MIRA 14:12)

1. Moskovskiy gosudarstvennyy universitet im. M.V.Lomonosova.
Predstavлено академиком I.G.Petrovskim.
(Operators (Mathematics)) (Quantum theory)

I: 22710-66 EWT(1) IJP(c) CG
ACC NR: AP6010985

SOURCE CODE: UR/0056/66/050/003/0642/0652

AUTHOR: Minlos, R. A.

24
B

ORG: Moscow State University (Moskovskiy gosudarstvennyy universitet)

TITLE: A superconductivity model with an exact solution

SOURCE: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 50, no. 3, 1966,
642-652

TOPIC TAGS: superconductivity / excitation spectrum,
particle interaction

ABSTRACT: A system similar to the BCS model is analyzed using a simplified special case of the Hamiltonian of the BCS theory. In a very thin layer, the interaction function and the energy of the particles for the equivalent range of momenta are considered to be constant. An exact solution was obtained for the energy levels, including the ground state. Variation of the ground state with variation of density was studied. It was found that the system can be separated into two noninteracting parts (phases), and that at small densities (for certain values of the interaction parameter) only one phase is present in the ground state. A gap in the excitation spectrum was encountered in a certain density range; the nature of this gap is, however, different from that in the BCS model. The statistical sum of the system was calculated. Orig..art. has: 8 formulas.

[CS]

SUB CODE: 20/ SUBM DATE: 28Jul65/ ORIG REF: 004/ OTH REF: 001/ ATD PRESS:
Card 1/1 4229

MINN, P. I.

Issledovanie volochenija prutkov stali. Moskva, Mashgiz, 1948. 81 p.
illus., 7 plates.

Study of Steel rod drawing.

DLC: TS320.M635

SO: Manufacturing and Mechanical Engineering in the Soviet Union, Library of Congress, 1953.

MINNIGERODE, G.; BUCKEL, W.; HILSCH, R.

"Effect of plastic deformation at low temperature on the superconductivity of gallium." In German. p. 5.

ACTA PHYSICA. (Magyar Tudomanyos Akademia). Budapest, Hungary, Vol. 8, No. 1/2, 1957.

Monthly list of East European Acceessions (EEAI), LC, Vol. 8, No. 8,
August 1959.
Uncla.

MINNIK, S.L.

VASILENKO, D.A., prof., zasluzhennyy dyeatel' nauki USSR; MINNIK, S.L.

Case of lymphosarcomatosis with primary clinical manifestations in
the thyroid gland. Probl.endok. i gorm. 3 no.5:118-120 S-O '57.
(MIRA 11:1)

1. Iz kliniki obshchey khirurgii Dnepropetrovskogo meditsinskogo
instituta (dir. - prof. D.P.Chukhrienko)
(THYROID GLAND, neoplasms,
lymphosarcomatosis (Rus))
(LYMPHOSARCOMA, case reports.
thyroid gland (Rus))

MISHNIK, S.L. (Dnepropetrovsk)

Rare complication caused by abdominal aneurysm. Vrach.del' no. 6:643
Je '57. (MIRA 10:8)

1. Patologoanatomiceskoye otdeleniye Vtoroy gorodskoy bol'nitsy
(ANEURYSM, AORTIC)

MINNIK, S.L. (Dnepropetrovsk, pr.Kalinina, d.53, 2-ya gorodskaya
[REDACTED]eskaya bol'nitsa)

Penetration of a chronic gastric ulcer into the posterior
wall of the left ventricle. Nov.khir.arkh. no.1:119-120
Ja-F '59. (MIRA 12:6)

1. Patologoanatomiceskoye otdeleniye 2-y Dnepropetrovskoy
gorodskoy klinicheskoy bol'nitsy.
(STOMACH--ULCERS) (HEART--DISEASES)

MINNIK, S. I.

Some problems of the immunomorphology and pathophysiology of
palatine tonsils. Zhur. ush., nos. i ger. tel. 24 no. 1:92-95
Jan-F '64. (MTRA 18:3)

MINNULLIN, P.R., kapitan med.sluzhby

System for massive oxygen therapy. Voen.-med. zhur. no. 2:86
F '61. (MIRA 14:2)
(OXYGEN—THERAPY)

MINOC, G.

"On the Limiting Laws for Random Vectors Joined in a Markov Chain"

Teor. Ver. i Yeye Prim., 1, No. 1, 1956
Sum 1137, 28 Nov 56

MINOCHKIN, I.M. (Krasnotur'insk, Sverdlovskoy oblasti, Molodezhnaya ul.,
d.9, kv.53)

Case of compression fracture of the spine in hemangioma. Ortop.,
travm. i protez. 24 no.11:62-63 N '63.

(MIRA 17:10)

1. Iz travmatologicheskogo otdeleniya (zav. - I.M. Minochkin) 2-y
gorodskoy bol'nitsy Krasnotur'inska (glavnnyy vrach - K.I. Bashko),
Sverdlovskoy oblasti.

MINOCHKINA, T.P., aspirant

Studying the neural apparatus of the alimentary canal in lower
amniotes. Uch. zap. Sar. gos. pedag. inst. no.28:115-123 '57.
(MIRA 11:?)
(Serpents) (Alimentary canal--Innervation)

MINOCHKINA, T.P.

Morphology of the nervous apparatus of the stomach in reptiles. Nauch.
dokl. vys. shkoly; biol. nauki no. 2:64-67 '62. (MIRA 15:5)

1. Rekomendovana kafedroy zoologii Michurinskogo pedagogicheskogo
instituta.
(STOMACH--INNERVATION) (NERVOUS SYSTEM--REPTILES)

MINOCHKINA, T.P.

Afferent innervation of the reptile esophagus. Nauch. dokl. vys. shkoly; biol. nauki no.3:47-50 '63. (MIRA 16:9)

1. Rekomendovana kafedroy zoologii Saratovskogo pedagogicheskogo instituta.
(Nervous system—Reptiles) (Esophagus—Innervation)

MINOIU, I.; TATU, N.; LUCA, V.; POPA, P.

Study on the functional behavior of some types used in
tooth sprocket chain drives. Bul Inst Petrol Rum 9: 133-142 '63.

STAROBINSKAYA, N.G.; MINOKUR, M.M., red.; BOGDANOVA, L.D., tekhn.
red.

[Use of current informational bibliography in technical
libraries] Ispol'zovanie tekushchey informatsionnoi biblio-
grafii v tekhnicheskikh bibliotekakh; metodicheskoe posobie.
Moskva, 1963. 39 p. (MIRA 16:10)

1. Moscow. Gosudarstvennaya publichnaya nauchno-tehniches-
skaya biblioteka SSSR. (Bibliography—Technology)

MIECZNIKOWSKI, Andrzej; MINOL, Eugeniusz; HALYS, Jozef

Prednisone therapy of adnexitis. Polski tygod.lek. 16 no.1:13-15
2 Ja '61.

1. Z II Kliniki Polonictwa i Chorob Kobiecych A.M. w Krakowie;
kierownik: prof. dr M.Seidler.
(ADNEXITIS ther)
(PREDNISONE ther)

IVANOV, A.; MINONOV, I.

Introduce technical books to the masses. Sov.profsoiuzy 17 no.4:
28-29 F '61. (MITA 14:2)
(Technical libraries) (Trade unions)

BERG, P.A.; ORLOV, A.M.; MINOR, A.K.

Improved methods for transporting bricks piled "treelike" on
extended trays. Suggested by P.A.Berg, A.M.Orlov, A.K.
Minor. Rats.i izobr.predl.v stroi. no.12:48-51 '59.
(MIRA 13:5)

1. Po materialam tresta Tagilstroy Sverdlovskogo sownarkhoza,
Nizhniy-Tagil, Sverdlovskoy oblasti.
(Bricks--Transportation)

MINOR V. L. Effect of bodily form on the sweat-pattern and significance of this factor in lesions of the peripheral nervous system Vop. Neirokhir. 1950, 1 (3-16) Tables I Illus. 9

Description of the normal sweat-pattern in man and of the pathological patterns seen in various diseases of the central nervous system.

Decker - Munich

So: Neurology & Psychiatry Section VIII, Vol. 4, No. 1-6

MINOR, V. L.

Sudiparous disorders in injuries of the sciatic nerve and their peculiarities in arterial damages and phlebitis related to trophic ulcer. Vopr. neirokhir. 15 no. 6:18-27 Nov.-Dec. 1951.

(CMLL 21:3)

1. Of the Perspiration Laboratory, Institute of Neurosurgery imeni Academician N. N. Burdenko (Director -- B. G. Yegorov -- Corresponding Member of the Academy of Medical Sciences USSR) of the Academy of Medical Sciences USSR.

MINORANSKIY, V.A.

Expansion of the range of the European finch in Rostov Province.
Ornitologija no.4:132-134 '62. (MIRA 16:?)
(Rostov Province—Greenfinch)

PETROV, V.S.; MINORANSKIY, V.A.

Summer ornithofauna of Lake Manych-Gudilo and adjacent steppes.
Ornitologiya no.5:266-275 '62. (MIRA 16:2)
(Manych-Gudilo Lake region--Birds)

MINORANSKIY, V.A.

Steppe eagle *Aquila rapax orientalis* L. Zool. zhur. 41 no.2:
295-296 F '62. (MIRA 15:4)

1. State University of Rostov-on-Don.
(Manych-Gudilo Lake region--Eagles)

MINORANSKIY, V.A.

Nesting of the pelican Pelecanus crispus Bruch. on Lake Manych-Gudilo. Zool.zhur. 41 no.7:1107-1108 J1 '62. (MIRA 15:11)

1. Biological and Soil Faculty, Rostov-on-Don University.
(Manych-Gudilo, Lake--Pelicans)
(Birds--Eggs and nests)

MINORANSKIY, V.A.

Nesting of herring gulls on Lake Manych-Gudilo. Nauch. dokl. vys.
shkoly; biol. nauki no.3:51-53 '63. (MIRA 16:9)

1. Rekomendovana kafedroy zoologii pozvonochnykh Rostovskogo-
na-Donu gosudarstvennogo universiteta.
(Manych-Gudilo, Lake--Herring gull)

MINORANSKIY, V.A.

Manych-Gudilo. Priroda 52 no.4:75-80 '63. (MIRA 16:4)

1. Rostovskiy-na-Donu gosudarstvennyy universitet.
(Manych-Gudilo, Lake—Description)

ZHITKEVICH, Ye.N., kand. biolog. nauk; MINORANSKIY, V.A., aspirant

Sugar beet leaf miner. Zashch. rast. ot vred. i bol. 8
no.6:29-31 Je '63. (MIRA 16:8)

1. Vsesoyuznyy institut sakharnoy sverkly (for Zhitkevich).
2. Rostovskiy gosudarstvennyy universitet (for Minoranskiy).
(Sugar beets—Diseases and pests)
(Leaf miners—Extermination)

MINORANSKIY, V.A., aspirant; SOKOLOVA, T.A.; GAMPER, N.M., kand. sel'skokhoz. nauk; LESNIKOVSKAYA, A.Ya.; VLADIMIRSKAYA, N.S.; TELEYMANOV, N.K.; STADNITSKIY, G.V., nauchnyy sotrudnik; NAUMOV, F.V., nauchnyy sotrudnik

Practices in the use of new preparations. Zashch. rast. ot vred.
1 bol. 8 no.8:30-31 Ag '63. (MIRA 16:10)

1. Rostovskiy gosudarstvennyy universitet (for Minoranskiy).
2. Voronezhskaya stantsiya Vsesoyuznogo instituta zashchity rasteniy (for Sokolova).
3. Vsesoyuznyy institut zashchity rasteniy (for Gamper, Lesnikovskaya, Vladimirkaya).
- 4) Zaveduyushchiy entomologicheskim punktom Tetyushskogo rayona, Tatarskoy ASSR (for Teleymanova).
5. Nauchno-issledovatel'skiy institut lesnogo khozyaystva, Leningrad (for Stadnitskiy, Naumov).

MINORANSKIY, V.A.

Distribution of the stone marten (*Martes foina* Erxl.) in Rostov
Province. Zool. zhur. 42 №9:1423-1424 '63. (MIRA 16:12)

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no. 62475-476 '63.

(MIRA 17:6)

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9 no.11:41-44 '64. (MIRA 18:1)

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MINORANSKIY, V.A.

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1. Rostovskiy gosudarstvennyy universitet.

PEYVE, Ya.V., akademik, ovtv. red.; VLASYUK, P.A., akademik, red.; SIROCHENKO, I.A., prof., red.; VOYNAR, A.I., prof., red.; MINORIK, A.V., kand. biol. nauk, red.; OSTROVSKAYA, L.K., doktor biol. nauk, red.; ZADERIY, I.I., doktor sel'khoz. nauk, red.; KURINNAYA, M.F., dots., red.; KLIMOVITSKAYA, Z.M., kand. biol. nauk, red.; MITSYK, V.Ye., kand. vet. nauk, red.; KAPITANCHUK, V.A., red.; RAD'KO, M.K., red.

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(MIRA 18:1)

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2. Ukrainskiy nauchno-issledovatel'skiy institut fiziologii rasteniy AN Ukr.SSR (for Ostrovskaya, Vlasyuk).
3. Institut biologii AN Latviyskoy SSR (for Peyve).
4. Kiyevskiy meditsinskiy institut (for Kuriannaya).
5. Donetskiy meditsinskiy institut im. A.M.Gor'kova (for Voynar).
6. Ukrainskiy nauchno-issledovatel'skiy institut fiziologii i biokhimii sel'sko-khozyaystvennykh zhivotnykh (for Mitsyk).
7. Belotserkovskiy sel'skokhozyaystvennyy institut (for Zaderiy).

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(Baikal region--Tapeworms)
(Fishes as carriers of disease)

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illus., bibl., diagrs.

SO: Monthly Lists of East European Accessions, LC, Vol. 3, no. 5, May 1954/Uncl.

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1954, Uncl.

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Contest of leading glider pilotsof the world. p. 370. (SKRZYDLATA POLSKA,
Vol. 10, No. 24, June 1954, Warszawa, Poland)

SO: Monthly List of East European Accessions, (EEAL), LC, Vol. 3, No. 12, Dec.
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No. 24, June 1954, Warszawa, Poland)

SO: Monthly List of East European Accessions, (EEAL), LC, Vol. 3, No. 12, Dec.
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Civil aviation in the Polish People's Republic. p. 452. (SKRZYDŁATA POLSKA,
Vol. 10, No. 29, July 1954, Warszawa, Poland)

SO: Monthly List of East European Accessions, (EEAL), LC, Vol. 3, No. 12, Dec.
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MINORSKI, S.

Visiting Marcelle Choisnet. p.3. (SKRZYDLATA POLSKA, Warszawa, Vol. 11, No. 11, Mar. 1955)

SO: Monthly List of East European Accessions, (EEAL), LC, Vol. 4, No. 6, June 1955,
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1.Direktor Upravleniya grazhdanskoy aviatcii Pol'skoy Naredney Respubliki. (Poland--Airlines)

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no.1:1-2 '60. (EHA 9:6)

1. Dyrektor Techniczny Zjednoczenia Energetyki.
(Poland --Power (Mechanics))

MINORSKI, Sergiusz

The 1st International Congress for Automation and Control.
Przegl techn no.36:4 7 S '60.

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65-67 Mr '61. (EEAI 10:5)
(Poland--Electric power)

MINORSKI, Sergiusz, mgr. inż.

Power engineering in the Chinese People's Republic. Energetyka 16
no.4:121-125 Ap '62.

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the 5th year of the 7-year plan. Enegetyka pol 17 no.10:289-291
0 '63.

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77 p. (51-38342)

QA261.M53 1951

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Izd. 2-e. Moskva, Gostekhizdat, 1953. 352 p.

SO: Monthly List of Russian Accessions, Vol. 6 No. 12 March 1954.

MINORSKIY, Vasiliy Pavlovich; TSVETKOV, A.T., redaktor; MURASHOVA, N.Ya.
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vysshei matematike. Izd.3-e. Moskva, Gos.izd-vo tekhniko teoret.
lit-ry, 1955. 359 p;
(Mathematics--Problems, exercises, etc)

MINORSKIY, Vasiliy Pavlovich; TSVETKOV, A.T., red.; MURASHOVA, N.Ya.,
tekhn. red.

[Problems in higher mathematics] Sbornik zadach po vysshei
matematike. Izd.4., stereotipnoe. Moskva, Gos.izd-vo tekhn-
niko-teoret. lit-ry, 1957. 359 p. (MIRA 16:8)
(Mathematics—Problems, exercises, etc.)

MINORSKIY V.P.

16(1)

PHASE I BOOK EXPLOITATION

SOV/1818

Gurevich, Avigdor Berkovich (Viktor Borisovich), and Vasiliy
Pavlovich Minorskiy

Uchebnik analiticheskoy geometrii dlya vtuzov (Textbook of Analytical
Geometry for Vtuzes) Moscow, Fizmatgiz, 1958. 163 p. 35,000
copies printed.

Eds.: R.Ya. Shostak and V.A. Solodkov; Tech. Ed.: S.N. Akhlamov.

PURPOSE: The book is intended as a textbook on analytic geometry
for students at vtuzes.

COVERAGE: The book is written according to teaching programs which
include 360-400 teaching hours for mathematics. The book contains
a brief, but complete and accurate, presentation of the methods of
plane and solid analytic geometry. The fundamentals of determinants
and vector analysis are presented, and are applied to the
study of analytic geometry. No personalities are mentioned.
There are no references.

~~Card 1/1~~

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D251/D302

26.YII/

AUTHOR: Minostsev, V.B.

TITLE: The flow of a hypersonic stream around an axi-symmetric body flying below the angle of attack

SOURCE: Moscow. Fiziko-tehnicheskiy institut. Trudy, no. 7, 1961. Issledovaniya po mekhanike i prikladnoy matematike, 136 - 151

TEXT: The author considers the flow past an arbitrary body, flying below the angle of attack of a stream of ideal gas moving at a high supersonic speed. Using a system of coordinates x , y , θ related to the surface of the body, the equations of motion of the gas are obtained in the form

$$\left. \begin{aligned} \frac{u}{1+(y/R)} \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} + \frac{w}{r} \frac{\partial u}{\partial \theta} &\pm \frac{uv}{1 \pm (y/R)} - \frac{w^2}{r} \sin \theta = \\ &= - \frac{1}{\rho [1 \pm (y/R)]} \frac{\partial p}{\partial x}; \\ \frac{u}{1 \pm (y/R)} \frac{\partial v}{\partial x} + v \frac{\partial v}{\partial y} + \frac{w}{r} \frac{\partial v}{\partial \theta} &\mp \frac{u^2}{R[1 \pm (y/R)]} - \end{aligned} \right\} \quad (2)$$

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The flow of a hypersonic stream ...

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$$\begin{aligned}
 \frac{u^2 \cos \delta}{r} &= -\frac{1}{\rho} \frac{\partial p}{\partial y}; \\
 \frac{u}{1 \pm (y/R)} \frac{\partial w}{\partial x} + v \frac{\partial w}{\partial y} + \frac{w}{r} \frac{\partial w}{\partial \theta} + \frac{uw}{r} \sin \delta + \frac{vw}{r} \cos \delta &= -\frac{1}{\rho r} \frac{\partial p}{\partial \theta}; \\
 \frac{\partial r \rho u}{\partial x} + \frac{\partial \rho r v [1 \pm (y/R)]}{\partial y} + \frac{\partial \rho w [1 \pm (y/R)]}{\partial \theta} &= 0; \\
 \frac{u}{1 \pm (y/R)} \frac{\partial}{\partial x} \frac{p}{\rho^{\gamma}} + v \frac{\partial}{\partial y} \frac{p}{\rho^{\gamma}} + \frac{w}{r} \frac{\partial}{\partial \theta} \frac{p}{\rho^{\gamma}} &= 0.
 \end{aligned} \tag{2}$$

where u, v, w are the components of velocity in the x, y, θ - directions respectively, R is the radius of curvature of the body, r is the radius of the transverse section, ρ is the density, p - pressure, δ is the local angle of inclination formed by the axis of the body, γ is the adiabatic coefficient. By means of the transformation

$$\frac{u}{1 \pm (y/R)} \frac{\partial \psi}{\partial x} + v \frac{\partial \psi}{\partial y} + \frac{w}{r} \frac{\partial \psi}{\partial \theta} = 0 \tag{3}$$

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The flow of a hypersonic stream ...

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a new independent variable ψ is introduced, and θ is replaced by a new independent variable $\varphi(x, y, \theta)$ where:

$$\frac{u}{1 \pm (y/R)} \frac{\partial \varphi}{\partial x} + \frac{w}{r} \frac{\partial \varphi}{\partial \theta} = \theta. \quad (7)$$

The equation of the lines of flow is established and differentiated along the surface $\psi = \text{const}$ giving

$$\frac{u}{1 \pm (y/R)} d\theta - \frac{w}{r} dx = 0. \quad (8)$$

From the transform of the fourth equation of (2), formulae for the derivatives with respect to the new variables are obtained, and hence, by substitution in the transforms of (2),

$$\begin{aligned} \frac{u}{1 \pm (y/R)} \frac{\partial u}{\partial x} + \frac{uv}{R[1 \pm (y/R)]} - \frac{w^2}{r} \sin \delta &= - \frac{1}{\rho[1 \pm (y/R)]} \frac{\partial p}{\partial x} + \\ + \frac{w}{ur\rho\theta_y} \frac{\partial p}{\partial \varphi} + \frac{y_x\theta_y - \theta_xy_y}{\rho[1 \pm (y/R)](y_y\theta_y - \theta_yy_y)} \frac{\partial p}{\partial \psi} - \\ - \frac{y_x\theta_y - \theta_xy_y}{\rho[1 \pm (y/R)](y_y\theta_y - \theta_yy_y)} \frac{\theta_y}{\theta_y} \frac{\partial p}{\partial \varphi}; \end{aligned} \quad (12)$$

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The flow of a hypersonic stream ...

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$$\begin{aligned}
 & \frac{u}{1 \pm (y/R)} \frac{\partial v}{\partial x} + \frac{u^2}{R[1 \pm (y/R)]} - \frac{w^2 \cos \delta}{r} = \\
 & = - \frac{\theta_\varphi}{\rho(y_\varphi \theta_\varphi - \theta_\varphi y_\varphi)} \frac{\partial p}{\partial \psi} - \frac{\theta_\psi}{\rho(y_\varphi \theta_\varphi - \theta_\varphi y_\varphi)} \frac{\partial p}{\partial \eta}; \\
 & \frac{u}{1 \pm (y/R)} \frac{\partial w}{\partial x} + \frac{uw}{r} \sin \delta + \frac{vw}{r} \cos \delta = - \frac{y_\varphi}{\rho r(y_\varphi \theta_\varphi - \theta_\varphi y_\varphi)} \frac{\partial p}{\partial \psi} \\
 & - \frac{y_\varphi \theta_\varphi}{\rho r(y_\varphi \theta_\varphi - \theta_\varphi y_\varphi) \theta_\eta} \frac{\partial p}{\partial \eta}; \\
 & \theta_\varphi y_\varphi - \theta_\varphi y_\varphi = \frac{1}{\rho u r}; \\
 & \frac{\partial}{\partial x} \frac{p}{\rho} = 0; \\
 & \frac{\partial y}{\partial x} = \frac{v[1 \pm (y/R)]}{a}; \\
 & \frac{\partial \theta}{\partial x} = \frac{w[1 \pm (y/R)]}{a r}.
 \end{aligned} \tag{12}$$

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 D252/D302

The flow of a hypersonic stream ...

Boundary conditions are then considered. Components with suffixes n , τ_1 , τ_2 indicating resolution in the directions of the normal and the two mutually perpendicular tangents to the shock-wave respectively, are considered. The equation of the unit normal to the shock-wave is

$$n = \frac{\text{grad}[y - y^*(x, \theta)]}{|\text{grad}[y - y^*(x, \theta)]|} = \frac{-\frac{1}{1 \pm y/R} \frac{\partial y^*}{\partial x} \vec{e}_1 + \vec{e}_2 - \frac{1}{r} \frac{\partial y^*}{\partial \theta} \vec{e}_3}{\sqrt{\frac{1}{1 \pm (y/R)^2} \frac{\partial y^*}{\partial x} + 1 + \frac{1}{r^2} \left(\frac{\partial y^*}{\partial \theta} \right)^2}}, \quad (15)$$

where \vec{e}_1 , \vec{e}_2 , \vec{e}_3 are unit vectors in the x , y , θ directions respectively. Considering a vector

$$\tau_1 = X\vec{e}_1 + Y\vec{e}_2 + Z\vec{e}_3 \quad (16)$$

lying in the tangent plane, then, assuming (without loss of generality) $Z = 0$, $X = 1$, the perpendicularity condition gives

$$Y = \frac{1}{1 \pm (y/R)} \frac{\partial y^*}{\partial x}$$

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The flow of a hypersonic stream ...

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and hence

$$\begin{aligned} \tau_2 &= n \times \tau_1 = \\ &= \frac{1}{1 \pm (y/R)} \frac{\partial y^*}{\partial x} \frac{\partial y^*}{\partial \theta} \vec{e}_1 - \frac{1}{r} \frac{\partial y^*}{\partial \theta} \vec{e}_2 - \left\{ \frac{1}{[1 \pm (y/R)]^2} \left(\frac{\partial y^*}{\partial x} \right)^2 + 1 \right\} \vec{e}_3 \\ &\quad | \text{grad}[y - y^*(x, 0)] | \end{aligned} \quad (17)$$

Hence it follows that

$$\left. \begin{aligned} \bar{u} &= U(\cos \alpha \cos \delta^* + \sin \alpha \sin \delta^* \cos \theta^*); \\ \bar{v} &= -U(\cos \alpha \sin \delta^* - \sin \alpha \cos \delta^* \cos \theta^*); \\ \bar{w} &= -U \sin \alpha \sin \theta^*. \end{aligned} \right\} \quad (18)$$

[Abstractor's note: The significance of $\bar{\cdot}$ and $*$ are not explained]. For high Mach numbers, the small parameter $\epsilon = (\gamma - 1)/(\gamma + 1)$ may be used, leading to the expansion in series

$$\left. \begin{aligned} u &= u_0 + \epsilon u_1 + \dots; \\ v &= \epsilon v_0 + \epsilon^2 v_1 + \dots; \\ w &= w_0 + \epsilon w_1 + \dots; \\ p &= p_0 + \epsilon p_1 + \dots; \end{aligned} \right\} \quad (19)$$

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• The flow of a hypersonic stream ...

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$$\left. \begin{aligned} \varphi &= \frac{p_0}{\epsilon} + p_1 + \dots; \\ y &= \epsilon y_0 + \epsilon^2 y_1 + \dots; \\ \theta &= \theta_0 + \epsilon \theta_1 + \dots. \end{aligned} \right\} \quad (19)$$

Hence from (12) and the boundary conditions on the shock-wave

$$\left. \begin{aligned} w_0 &= \frac{\bar{p}}{\bar{r}} \bar{w}_0; \\ u_0 &= \left\{ (\bar{u}_0)^2 + \left[1 - \left(\frac{\bar{r}'}{\bar{r}} \right)^2 \right] (\bar{w}_0)^2 \right\}^{1/2}; \\ \frac{p_0}{p_0} &= (\bar{v}_0)^2 \left[1 + \frac{2\bar{a}^2}{(\gamma - 1)(\bar{v}_0)^2} \right]. \end{aligned} \right\} \quad (23)$$

where the bar indicates that the corresponding value occurs on the shockwave at the intersection $\psi = \text{const}$, $\varphi = \text{const}$. Hence, by integration θ_0 , p_0 and y_0 may be evaluated. There are two worked out examples to illustrate the method. There are 2 figures and 5 refe-

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S/658/61/000/007/008/010

D252/D302

The flow of a hypersonic stream ...

rences: 3 Soviet-bloc and 2 non-Soviet-bloc. The references to the English-language publications read as follows: W. Chester, Supersonic Flow past a Bluff Body with a Detached Shock, Journal of Fluid Mechanics, v. I, 1956; N.C. Freeman, On the Theory of Hypersonic Flow Past Plane and Axially Symmetric Bluff Bodies, Journal of Fluid Mechanics, v. I, 1956.

Card 8/8

X

L 20235-65 EWT(1)/EWP(m)/EWA(d)/FCS(k)/EWA(l) Pd-1 AEDC(a),
ASD(f)-3/ASD(p)-3/AFETR/AFPCA
ACCESSION NR: AP5002587

S/0179/64/000/005/0020/0024

AUTHOR: Zapryanov, Z. D.(Moscow); Minostsev, V. N.(Moscow)

TITLE: Method for calculating a three-dimensional supersonic gas
flow over bodies

SOURCE: AN SSSR. Izvestiya, Mekhanika i mashinostroyeniye, no. 5,
1964, 20-24

TOPIC TAGS: supersonic flow, three dimensional flow, method of
characteristic, supersonic flow region, flow over sphere

ABSTRACT: A difference scheme is presented which uses the method of characteristics for calculating the supersonic region of two- and three-dimensional ideal gas flows over axisymmetrical bodies of various shapes defined by analytical expressions of the form $r=f(z)$ and $z=f(x,y)$, respectively. This scheme makes use of a much simpler logic for programming and needs a substantially smaller amount of computer memory and lower computer speed than the ordinary method of characteristics. Data from numerical computations carried out according to this scheme are given in graphical form for flows

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ACCESSION NR: AP5002587

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over a sphere and over a body whose contour is formed by a circle and cubic parabola, at an angle of attack $\alpha=5^\circ$ and $M=20$. A comparison of the results with those obtained previously by the method of nets shows a maximum discrepancy of the order of 1%. Orig. art. has 7 figures and 6 formulas.

ASSOCIATION: none

SUBMITTED: 15Jul64

ENCL: 00

SUB CODE: ME

NO REF SCV: 007

OTHER: 003

ATD PRESS: 3163

Card 2/2

MINOS'YAN, A.; SAGAYDAK, N.

New meat products. Mias.ind.SSSR 30 no.2:19 '59.
(MIRA 13:4)

1. Dnepropetrovskiy myasokombinat.
(Dnepropetrovsk--Packing-house products)

MINOSYAN, I.

SINEL'NIKOV, N.; GOL'BETS, M.; PICHKOV, K.; DRAUSAL', A.; NEKRASOV, V.
SKRINNIKOV, Yu.; POGOSTKIN, S.; GARAYEV, V.; SMIRNOV, V.;
MINOSYAN, I.

Useful details. Za rul. 15 no.5:insert p.12-14 My '57. (MIRA 10:6)
(Automobiles)

AVAKYAN, V.A.; ANTONYAN, A.S.; MINOSYAN, R.A.

Results of observations on patients having had typhoid fever and
bacterial carriers at the Sumgait Chemical Plant (1954-1964).
Zhur. mikrobiol., epid. i immun. 42 no.11:135-136 N '65.

(MIRA 18:12)

1. Mediko-sanitarnaya chast' Sumgaitskogo khimicheskogo zavoda,
Azerbaydzhanskaya SSR. Submitted March 9, 1965.

MINOSYAN, V.D.

Reliable method of protecting platinum thermocouples. Stek.
i ker. 20 no. 9:38 S '63. (MIRA 17:6)

MINOV, D. K.

PA 9T104

USER/Drives, Mechanical
Mechanics, Applied

Apr 1947

"The Part Played by the Slipping of Wheels in
Obtaining Available Traction Effort and the
Structure of the Adhesion Factor in Electric Trac-
tion," D. K. Minov, 26 pp

"Izv Ak Nauk Tekh Nauk" No 4 p.445-70

Graphs showing time, velocity, force, load, etc.,
relationships. Theoretical study with mechanical
diagrams and mathematical statement of problem.

9T104

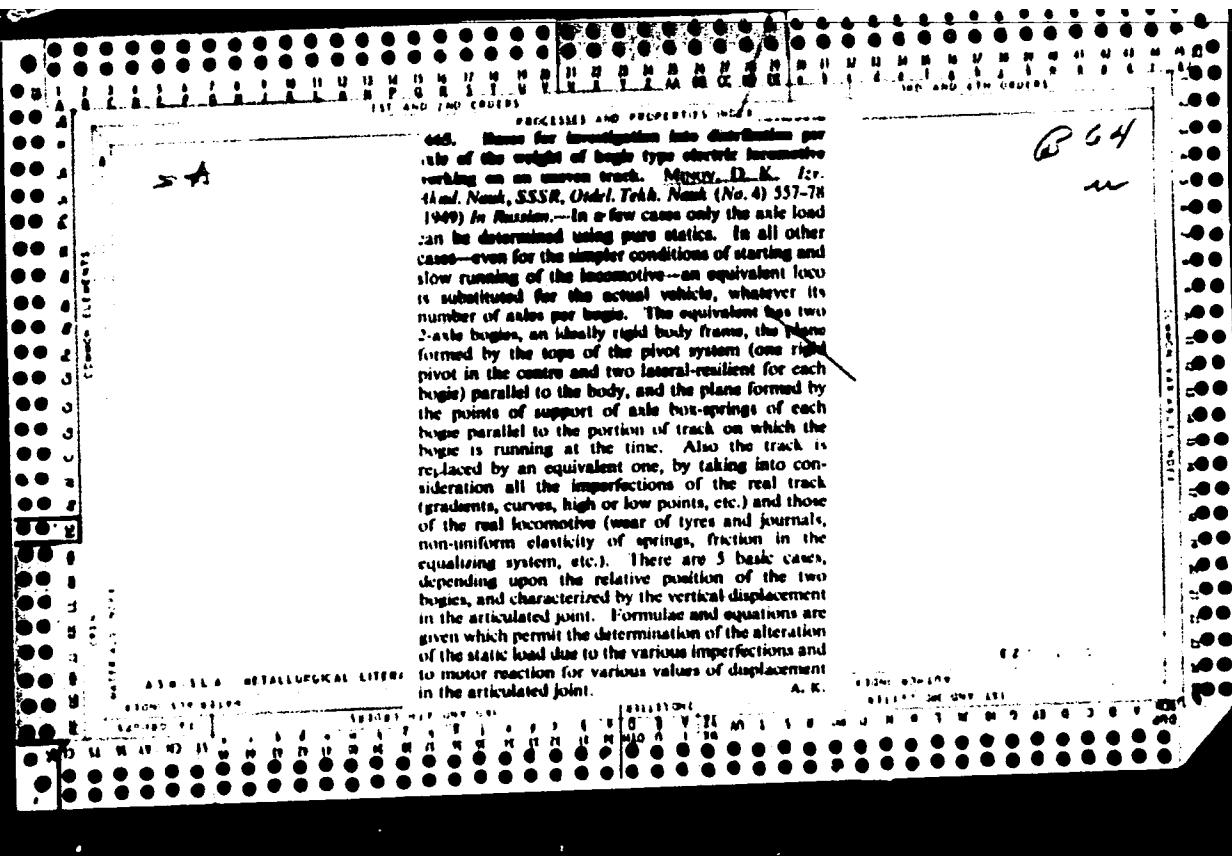
MINOV, D. K.

C2d.R
D4.R
C2q.R
E3.R

In 1939 defended his thesis "Raschety nagruzok
osoy telezhechnykh elektrovozov s ploskimi
pyutami" for degree of Doktor tekhnicheskikh
nauk at Moskovskiy energeticheskiy institut imeni
Molotova.

Source: Elektrичество, 1947, No. 12, p. 59

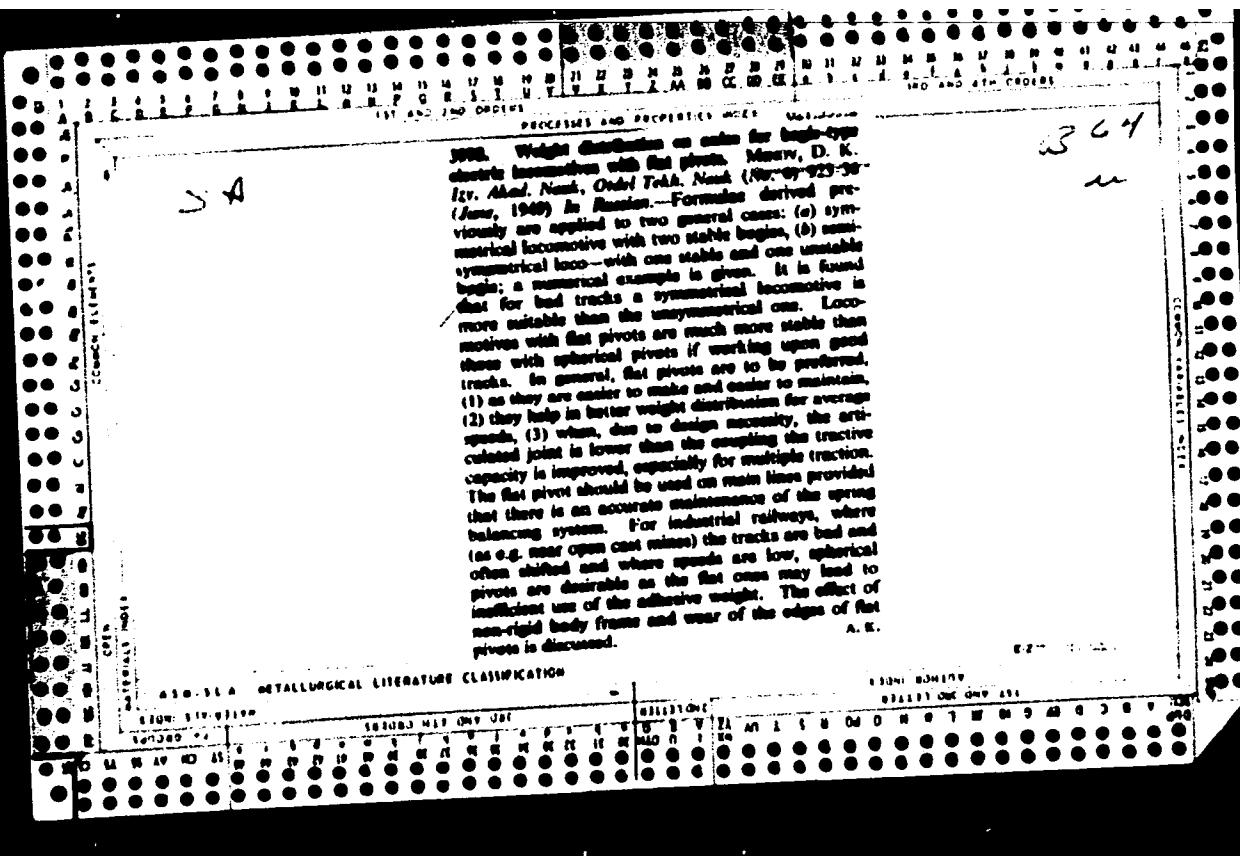
P-SEC



MINOV, D. K.

20043 MINOV, D. K. Elektricheskoye sparivaniye osey pri elektricheskoy tyage.
Elektrichestvo, 1949, No. 6, s. 14-23. — Bibliogr: 7 nazv.

SO: LETOPIS ZHURNAL STATEY, Vol. 27, Moskva, 1949.



888/Electricity - Traction, Electric
"Dynamo" Plant

"Development of Electric Traction in the USSR (Memorable Dates)," Prof D. K. Minov, Dr Tech Sci, Moscow Power Eng Inst imeni Molotov

卷之三

Name of "Dinamo" Plant isenni Kirov
insantly throughout. Two 1950 figures from -
were opening of Kursk Star-Kryazkaya Square
(1st sec of the Great Ring) of the Moscow subway
and production by Riga Car Plant and "Dinamo"

1985-89
Nema 6-15

Plant with tech help of Moscow Power Eng Inst of new trolley car with automatic control of starting and stopping using compd motors.

178758

APPROVED FOR RELEASE: 06/14/2000

CIA-RDP86-00513R001134420017-8"

MINOV, D.K.

112-3-5942

Translation from: Referativnyy Zhurnal, Elektrotehnika, 1957,
Nr 3, pp. 126-127 (USSR)

AUTHOR: Minov, D.K., Denisov, P.K.

TITLE: Technical and Economic Prerequisites for a New Electri-
fication System of Railroads in the USSR (Tekhniko-
ekonomicheskiye predposylki novoy sistemy elektrifikatsii
zheleznykh dorog v SSSR)

PERIODICAL: In the sbornik: Novyye vidy tyagi na transport, Moskva,
AN SSSR, 1956, pp. 8-19

ABSTRACT: The characteristic features of electrical traction
systems employing 3-kv direct current and single-phase
standard-frequency current are presented. Even with
conversion of all 3-kv substations to automatic and
remote control operation and with a greater density of
substations, the cross section of the contact wire is
not reduced sufficiently if powerful electric locomotives
are used. An increase in d-c voltage in the contact
wire to 15-20 kv and transformation to three-phase or

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112-3-5942

Technical and Economic Prerequisites for a New Electrification
System of Railroads in the USSR

direct low-voltage current in the locomotives for feeding the traction motors requires complex devices. With the application of a-c, the value of the voltage in the contact network may be admitted within the limits of 22 to 27 kv, and for newly-built railroads - up to 35 kv, and this in accordance with specifications for the clearance of approach of the current-carrying portions to existing permanent structures. The results of comparing the two systems on the basis of capital expenditures and operating expenses are presented; the cost of electrical equipment for the single-phase system is less than that of the 3-kv direct-current system and the difference increases with greater power ratings of electric locomotives. Table 1 lists the capital expenditures in % in terms of freight traffic of 20×10^6 and 40×10^6 kilometer-tons per kilometer for a double track line.

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Capital expenditures for the direct-current system with freight traffic of 20×10^6 kilometer-tons per kilometer are taken as 100%. This table also gives electrical power consumption for both systems in the case of a double-track line. An equal number of electric locomotives was assumed in the calculations, although single-phase locomotives possess greater coupling coefficients and average speeds than d-c locomotives, with the result that fewer electric locomotives of the first type are required than of the second type of equal capacity. Table 2 lists preliminary estimates based on technical and economic factors (such as number of substations, amount of copper required for the contact network, capital expenditures in millions of rubles, etc.) involved in the electrification of a 1,850 km long railroad for the two distribution systems being compared. In calculations dealing with single-phase current, locomotives with electronic rectifiers were assumed.

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I.V.I.

MINOV, D.K., doktor tekhnicheskikh nauk, otvetstvennyy redaktor; GRIGOR'YEV,
Ye.N., redaktor izdatel'stva; MAKUNI, Ye.V., tekhnicheskiy redaktor

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