

22873

S/089/61/010/005/001/015

B102/B214

A pulsed fast reactor

decrease of 2-1.1 %; the rough regulator allows a reactivity change of 2.4 %, the manual regulator 0.1 %, and the automatic regulator 0.036 %. The reactor possesses also a reactivity booster for the production of one intensive pulse. The control and shield system is an automatically functioning electronic arrangement with BF_3 counters and ionization

chambers. The whole reactor is placed in a room of size 10-10.7 m whose concrete walls allow complete protection from radiation. The most important experimental arrangement consists of a 1000 m long neutron conductor, a metal tube, 400 mm in diameter in the first part and 800 mm in the second part in which a pressure of 0.1 mm Hg is maintained. This conductor connects a chain of so-called "intermediate pavilions" (at distances of 70, 250, 500, 750, and 1000 m from the reactor) in which experiments can be carried out. There is also an additional neutron conductor of 100 m length. The reactor chamber is joined to an experimental chamber in which four neutron beams of up to 800 mm diameter are available. There is such an experimental chamber also above the reactor chamber. Various experiments were carried out with the reactor and they are described in the present paper. These are experiments with stand X

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A pulsed fast reactor

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assemblies and slowly moving main block for the determination of the most important parameters of the reactor; experiments with a core assembly (unmoved), experiments with rotating (5000 rpm) main block and a Ra- α -Be source in the core for the investigation of the effect of the multiplication factor, etc. The most important results are represented graphically. For example, Fig. 8 shows the dependence of the half width θ of a pulse on the reactivity; the dashed line holds for the quasistationary case, the dot-dash line for the case of $\theta = K(\tau/\alpha)^{1/3}v^{-2/3}$, where v is the velocity of motion of the (rotating) main block; in the quasistationary case

$\theta = 2\sqrt{\epsilon_m/\alpha v^2}$, where ϵ_m is the reactivity at the maximal multiplication factor; $\epsilon = \epsilon_m - \alpha x^2$, where x is the displacement of the main block. The

reactor has been actually used for the measurement of the total, scattering, capture, and fission cross sections by the time-of-flight method. Further experiments will be carried out with a view to obtaining increase of power and decrease of the pulse duration. There are 15 figures and 3 references: 2 Soviet-bloc and 1 non-Soviet-bloc. The reference to the English-language publication reads as follows: J. Orndorf, Nucl. Sci. and Engng, 2, No. 4, 450 (1957).

Card 4/7

POSPELOV, P.N., akademik; MINTS, A.L., akademik; ALEKSANDROV, A.P.,
akademik; FEDOSEYEV, P.N., akademik; LAVRENT'YEV, M.A., akademik;
BERG, A.I., akademik; PETROVSKIY, I.G., akademik; SIDORENKO, A.V.;
SKRYABIN, G.K., kand.biolog.nauk; KONSTANTINOV, B.P., akademik;
GOLUNSKIY, S.A.; SHUBNIKOV, A.V., akademik; BLOKHINTSEV, D.I.;
DORODNITSYN, A.A., akademik; KEDROV, B.M.; SISAKYAN, N.M., akademik

Discussing the reports. Vest. AN SSSR 31 no.12:49-66 D '61.
(MIRA 14:12)

1. Chleny-korrespondenty AN SSSR (for Sidorenko, Golunskiy,
Blokhintsev, Kedrov):

(Research)

BLOKHINTSEV, D. I.

"Non-Linear Scalar Field Theory"

report presented at the Intl. Conference on High Energy Physics, Geneva,
4-11 July 1962

Joint Inst. for Nuclear Research, Dubna, 1962

BLOKHINTSEV, D.I.; KULIKOVA, L.V.[translator]; SARANTSEVA, V.R.,
tekhn. red.

On backward scattering of high energy particles. Dubna,
Ob"edinennyi in-t iadernykh issledovani, 1962. 5 p.
(No subject heading)

BLOKHINTSEV, D.I.; SMIRNOVA, L.A. [translator]

Non-linear scalar field theory. Dubna, Ob"edinennyi in-t iader-
nykh issledovani, 1962. 7 p.
(No subject heading)

BLOKHINTSEV, D.I.

Present state of the teaching of elementary particles. Fiz mat
spisani BAN 5 no.2:86-104 '62.

BLOKHINTSEV, D., laureat Leninskoy premii, Geroy Sotsialisticheskogo
Truda (Moskva)

Lenin and physics. Nauka i zhyttia 12 no.4:1 Ap '62.
(MIRA 15:8)

1. Chlen-korrespondent AN SSSR i AN UkrSSR.
(Lenin, Vladimir Il'ich, 1870-1924)
(Particles (Nuclear physics))

S/056/62/042/001/034/048
B125/B102

AUTHORS: Barashenkov, V. S., Blokhintsev, D. I., Wang Jung,
Mikhul, E. K., Huang Tsu-chan, Hu Shih-k'o

TITLE: Inelastic high-energy pion nucleon interactions

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 42,
no. 1, 1962, 217-223

TEXT: The calculations of peripheral inelastic πN interactions (two types of interactions) at $E > 1$ Bev recently made in Dubna in the single-meson approximation were compared with experimental results. If the number of pions produced (Diagram A of Fig. 1) is even, then the pion production is the main process in the peripheral collision which with odd number (diagram B) is accompanied by the production of a single pion in the scattering of a virtual meson from a nucleon. It is sufficient to study processes A and B whose interaction cross sections are

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S/056/62/042/001/034/048
B125/B102

Inelastic high-energy pion nucleon ...

$$\sigma_{2n}(E) = g^2 \frac{1}{8\pi^2 v} \int_0^{q_{max n}} \frac{q^2 dq}{q_0 p_0 \omega} \sigma_{\pi\pi}^{(2n)}(Q) K(Q) \times$$

$$\times \left\{ \frac{1}{4pq} \ln \left(1 + \frac{4pq}{2p_0 q_0 - 2pq - 2M^2 + \mu^2} \right) - \frac{\mu^2}{(2p_0 q_0 - 2M^2 + \mu^2)^2 - 4p^2 q^2} \right\}. \quad (1)$$

and

$$\sigma_{2n+1}(E) = \frac{1}{4\pi^2 v} \int_0^{p_{max n}} \frac{p^2 dp}{p_0 \omega} \int_{\sqrt{p^2 + (M+\mu)^2}}^{E - \sqrt{p^2 + m_n^2}} K(S) \sigma_{\pi\pi}^{(2n)}(S) dP_0 \times$$

$$\times \frac{\sigma_{\pi N}(p) \sqrt{(R^2 - M^2 - \mu^2)^2 - 4M^2 \mu^2}}{(2P_0 p_0 - M^2 - R^2 + \mu^2)^2 - 4P^2 p^2}. \quad (2)$$

When calculating the single-meson approximation the authors combined all $\pi\pi$ -interactions in the upper nodes of the diagrams A and B. The ratios of the cross sections for even and odd numbers of mesons at the same energies E_0 of the primary meson are given in Table 1. The core of the nucleon can be determined from the type of the production of an odd number of mesons at high primary-particle energies. When using the π -collision cross section of 25 mb calculated with a πN -interaction

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Inelastic high-energy pion nucleon ...

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constant $g^2 = 14.5$ one obtains $\sigma \approx 40$ mb for the cross sections of the processes A and B. The calculated values of the multiplicity of the particles produced and the angular and energy distributions of the recoil nucleons are compared with the experimental data. The peripheral interaction with single-meson exchange proves to be the decisive mechanism. The experimental data are not reliable and the contribution of multi-meson processes to the transfer of large momenta which might be of importance, has hitherto not been studied. The authors thank N. N. Govorun, Kim Ze Pkhen, and P. Libl, collaborators of the Vychislitel'nyy tsentr (Computer Center) of the Joint Institute of Nuclear Research for their help in the numerical computations and Hsien Ting-ch'ang for discussions of the methods of calculating the charge distribution in the statistical theory. There are 7 figures, 2 tables, and 11 references: 7 Soviet-bloc and 4 non-Soviet bloc. The three references to English-language publications read as follows: D. I. Blokhintsev. CERN Symposium II, 155, 1956; Proc. of the 1960 Ann. Int. Conf. on High Energy Phys. at Rochester, Univ. of Rochester, 1960; L. Rodberg. Phys. Rev. Lett, 3, 58, 1959.

Card 3/4

Inelastic high-energy pion nucleon ... S/056/62/042/001/034/048
 B125/B102

ASSOCIATION: Ob'yedinennyv institut yadernykh issledovaniy
 (United Institute of Nuclear Research)

SUBMITTED: July 24, 1961

Fig. 1: The most important types of the diagrams A and B in inelastic N-scattering and the less important diagrams A' and B'.

E_{π} , BeV	$\sigma_{\pi N}$	$\sigma_{\pi N}$
2	0,1	
7	0,15	
100	1	0,25
1000	2	0,5

TABLE
1

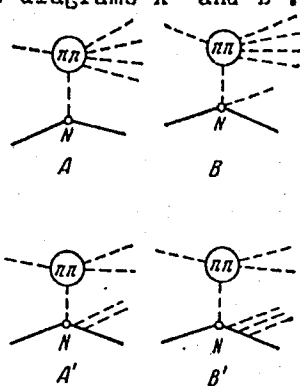


FIG. 1

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S/056/62/042/003/038/049
B108/B102

AUTHOR: Blokhintsev, D. I.

TITLE: Elastic scattering of high-energy pions and nucleons

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 42,
no. 3, 1962, 880-881

TEXT: The author shows that the cross section of elastic back scattering in the laboratory system decreases with the energy E_0 of the interacting particles as $\sim 1/E_0$. This result was obtained on the assumption that spin effects are negligible, that the wavelength is small as compared with the dimensions of the interacting particles, and that absorption is high. The results expressed in the form of the differential cross section of back

scattering, $(d\sigma/d\Omega)_\pi = \frac{\kappa^2}{4} \frac{2}{4} |(1 - \beta_0)|^2$, agree well with the results of experiments with high-energy pions and nucleons. ($\beta_1 = \exp(2i\eta_1)$;

η_1 - complex phase). V. G. Grishin is thanked for discussions. There are

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Elastic scattering of high- ...

S/056/62/042/003/038/049
B108/B102

2 references: 1 Soviet and 1 non-Soviet. The reference to the English-language publication reads as follows: K. W. Lai, L. W. Jones, M. L. Perl, Phys. Rev. Lett., 1, 125, 1961.

ASSOCIATION: Ob'yedinennyy institut yadernykh issledovaniy (Joint Institute of Nuclear Research)

SUBMITTED: October 20, 1961

Card 2/2

✓

BLOKHINTSEV, Dmitriy Ivanovich; TAL'SKIY, D.A., red.; MURASHOVA,
V.A., tekhn. red.

[Fundamentals of quantum mechanics] Osnovy kvantovoi mekha-
niki. Izd.4. Moskva, Vysshaia shkola, 1963. 619 p.

(MIRA 16:12)

(Quantum theory)

BARASHKOV, V.S.; BLOKHINTSEV, D.I.; MIKHUL, E.K.; PATERA, I.;
SEMASHKO, G.L.; SARANTSEVA, V.R., tekhn. red.

[Polar theory of Λ -hyperon production in π N-interactions at high energies] Poliusnaia teoriia rozhdeniia Λ -giperonov v π N-vzaimodeistviakh pri bol'shikh energiakh. Dubna, Ob"edinennyi in-t iadernykh issledovani, 1963. 16 p. (MIRA 16:6)

1. Institut atomnoy fiziki v Bukhareste (for Mikhul).
(Hyperons) (Mesons)

BLOHINCEV, D. [Blokhintsev, D.] /;

On the eve of new discoveries in physics. Term tud kozl 7
no.6:253-254 Je '63.

1. Szovjetunio Tudomanyos akademiaja levelezo tagja; Dubnai
Egyesitett Atomkutato Intezet igazgatoja.

S/089/63/014/001/011/013
B102/B186

AUTHOR: Blokhintsev, D. I.

TITLE: Causality in the modern field theory

PERIODICAL: Atomnaya energiya, v. 14, no. 1, 1963, 105-109

TEXT: A detailed discussion is given of the significance attaching to the causality principle in classical and quantum physics (cf. also Blokhintsev, Sb. Filosofiskiye voprosy sovremennoy fiziki - Philosophical problems of modern physics- M. Izd-vo AN SSSR, 1952 and Preprint OIYaI, Dubna, 1962) and of the conclusions following from it. An attempt is made to avoid the divergencies that result when the causality principle in the space time continuum is applied on the microscopic scale. A discussion is given of the theoretical possibility of preserving macroscopic causality and of so modifying microscopic causality that no singularities appear. In this connection the possibilities for a suitable generalization of the causality principle are discussed. Such possibilities may arise from the nonlinear theory of field propagation (Born), the change of the metric of the physical vacuum and the space - time quantization.

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Causality in the modern field theory

S/089/63/014/001/011/013
.B102/B186

It is uncertain which of the possibilities mentioned will approximate the truth.

SUBMITTED: August 30, 1962

Card 2/2

L 17214-63

EWT(m)/BDS AFPTC/ASD

ACCESSION NR: AP3005297

S/0056/63/045/002/0381/0383

AUTHORS: Barashenkov, V. S.; Blokhintsev, D. I.; Mikhul, E. K. ⁵⁶₅₃

Patera, I.; Semashko, G. L.

TITLE: Momentum spectrum of baryons^p in inelastic collisions between fast pions and nucleons

SOURCE: Zhur. eksper. i teoret. fiz., v. 45, no. 2, 1963, 381-383

TOPIC TAGS: baryon, momentum spectrum, pion-nucleon collision, pion-pion collision, SIGMA hyperon, LAMBDA hyperon

ABSTRACT: It is shown that the reason for the double peak observed in the Λ and Σ hyperon momentum spectrum in inelastic collisions between fast pions and nucleons at energies close to 10 BeV is a direct consequence of the resonant interaction between the primary negative pion and the intermediate particle that transmits the bulk of the interaction in peripheral pion-nucleon collisions. Similar double

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L 17214-63

ACCESSION NR: AP3005297

maxima in the spectrum of the recoil nucleons can be attributed to resonance pion-pion interaction. Orig. art. has two figures.

ASSOCIATION: Ob"yedinenny*y institut yadernykh issledovaniy
(Joint Institute of Nuclear Research)

SUBMITTED: 25Apr63

DATE ACQ: 06Sep63

ENCL: 00

SUB CODE: PH

NO REF SOV: 003

OTHER: 006

Card 2/2

KELER, V.R., otv. red.; MILLIONSHCHIKOV, M.D., akademik, red.;
BLOKHIN, N.N., red.; BLOKHINTSEV, D.I., red.; GNEDENKO,
B.V., akademik, red.; ZAYCHIKOV, V.N., red.; KELDYSH, M.V.,
akademik, red.; KIRILLIN, V.A., akademik, red.; KORTU'NOV,
V.V., red.; MONIN, Andrey Sergeevich, prof., doktor fiz.-
matem. nauk, red. (1921); NESMEYANOV, A.N., akademik, red.;
PARIN, V.V., red.; REBINDER, P.A., akademik, red.; SEMENOV,
N.N., akademik, red.; FOK, V.A., akademik, red.; FRANTSOV,
G.P., akademik, red.; ENGEL'GARDT, V.A., akademik, red.;
KREMNEVA, G., red.; BALASHOVA, A., red.; BERG, A.I., akademik, red.

[Science and mankind, 1964; simple and precise information
about the principal developments in world science] Nauka i
chelovechestvo, 1964.; dostupno i tochno o glavnom v miro-
voi nauke. Moskva, Izd-vo "Znanie," 1964. 424 p.

(MIRA 18:1)

1. Deystvitel'nyy chlen AMN SSSR (for Blokhin, Parin); 2. Chlen-
korrespondent AN SSSR (for Blokhintsev). 3. Akademiya nauk
SSSR Ukr. SSR (for Gnedenko).

BLOKHINTSEV

BLOHINCEV, D. [Blokhintsev, D.]

Quantum aggregates. Magy fiz folyoir 12 no.1:1-8 '64.

1. Moscow State University.

ACCESSION NR: AP4042567

S/0056/64/046/006/2049/2051

AUTHOR: Blokhintsev, D.

TITLE: Geometrical optics of elementary particles

SOURCE: Zh. eksper. i teor. fiz., v. 46, no. 6, 1964, 2049-2051

TOPIC TAGS: wave equation, wave function, high energy particle, elementary particle, particle scattering, mathematical method

ABSTRACT: By starting from the equation for the single-time wave function for two particles

$$L\psi(x) = \int V(x, x', W) \psi(x') d^3x'$$

and by using two limiting cases, those of long and short waves, it is shown that the nonlocal potential which is obtained from quantum field theory can be replaced in the case of large wave numbers by a local complex refractive index. This gives theoretical grounds for

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ACCESSION NR: AP4042567

the application of geometrical optics to the description of the scattering of high-energy particles, as was done by the author and by others elsewhere (D. I. Blokhintsev et al., Uspekhi Fizicheskikh nauk v. 68, 417, 1959; Nuovo cimento 9, 249, 1958. R. Serber, Phys. Rev. Letters v. 10, 357, 1963). However, such a description of the scattering particles is approximate and will not be valid for very large scattering angles such as backward scattering. Orig. art. has: 14 formulas.

ASSOCIATION: Ob"yedinenny*y institut yaderny*kh issledovaniy (Joint Institute of Nuclear Research)

SUBMITTED: 18Jun63

DATE ACQ:

ENCL: 00

SUB CODE: NP

NR REF SOV: 004

OTHER: 003

Card 2/2

BLOHINCEV, D.I. [Blokhintsev, D.I.]

High-energy physics in 1964. Fiz svezme 15 no.2:48-50 F '65.

1. Joint Institute of Nuclear Research, Dubna.

BLOKHINTSEV, D.I.

On the threshold of the deepest scientific revolution. Priroda
54 no.1:53-56 Ja '65. (MIRA 18:2)

1. Ob"yedinennyy institut yadernykh issledovaniy, Dubna; chlen-
korrespondent AN SSSR.

BLONHATSEV, D.

Conference on the Theoretical Aspects of the Physics of Elementary
Particles. Usp. fis. nauk 85 no.4:737-754 Ap '65. (MIRA 18:5)

BLOKHINTSEV, D. I.

High-energy physics and the fundamental principles of modern theory.
Usp. fiz. nauk 86 no.4:723-724 Ag '65.

(MIRA 18:8)

BLOKHINTSEV, D.I.

Propagation of high-frequency signals in a medium with
random characteristics. Dokl. AN SSSR 166 no.3:574-576
Ja '66. (MIRA 19:1)

1. Ob"yedinennyy institut yadernykh issledovaniy; chlen-
korrespondent AN SSSR. Submitted October 20, 1965.

U 53932-00 BWT(1)

ACC NR: AP6016662

SOURCE CODE: UR/0053/65/086/004/0721/0724

AUTHOR: Blokhintsev, D. I.

21
B

ORG: none

TITLE: High energy physics and basic principles of modern theory

SOURCE: Uspekhi fizicheskikh nauk, v. 86, no. 4, 1965, 721-724

TOPIC TAGS: wave mechanics, elementary particle, particle interaction

ABSTRACT: This article is a brief summary of the state-of-the-art in high energy physics. A brief review of the historical steps leading to the development of wave mechanics is followed by suggested experiments which might lead to further revolutionary discoveries in the area of high energy physics. These suggested experiments have to do with the structure of free time-space and internal events in elementary particles during their most intimate interactions. The overall impression is one of laudatory comment rather than scientific reporting. [JPRS]

SUB CODE: 20 / SUBM DATE: none / ORIG REF: 010 / OTH REF: 006

Card 1/1 FW

UDC: 539.12.01

2

L 09089-67 EWT(m) JR

ACC NR: AP7002344

SOURCE CODE: UR/0089/66/020/004/0293/0310

AUTHOR: Blokhintsev, D. I.

40
B

ORG: none

TITLE: Tenth anniversary of scientific work at the joint institute of nuclear studies

SOURCE: Atomnaya energiya, v. 20, no. 5, 1966, 293-310.

TOPIC TAGS: nuclear reactor technology, nuclear physics

ABSTRACT: A review of some research carried out at the Joint Institute for Nuclear Studies in high-energy physics and reactor technology is presented. The author thanks his co-workers at the Institute who helped him compile this work. Special thanks go to R. A. Asanov, U. S. Barashenkov, V. P. Dzhelopov, I. V. Chuvilo, I. M. Franks and G. N. Flerov. Further thanks goes to P. I. Zol-nikov and Yu. A. Tumanov who took the photographs for this article. [NA]

SUB CODE: 20,18 / SUBM DATE: none / ORIG REF: 071 / OTH REF: 012

Card 1/1 ⁶⁴⁰

0925 0635

L 10211-07 00P(1) 10P(0)
ACC BR: AIG003291

SOURCE CODE: UR/0053/66/089/002/01B5/0199

AUTHOR: Blokhintsev, D. I.

ORG: Joint Institute of Nuclear Research (Ob'yedinenyy institut yadernykh issledo-
vaniy)

TITLE: Basis for special relativity theory provided by experiments in high energy
physics

SOURCE: Uspekhi fizicheskikh nauk, v. 89, no. 2, 1966, 185-199

TOPIC TAGS: special relativity theory, high energy interaction, mass energy relation,
parity principle, space time, dispersion equation, elementary particle

ABSTRACT: The author reviews a large number of experiments in high-energy physics for
the purpose of checking the degree of support that they can provide for the special
theory of relativity. The theoretical foundations for testing the special theory of
relativity in the domain of high energies and small dimensions are reviewed from the
point of view of numerous elementary premises of elementary-particle theory such as
microcausality, conservation laws, and the various parities. The principles that
might be verified on the basis of recent experimental data are microcausality, the dis-
persion relations, the asymptotic relations between various cross sections, and homo-
geneity and isotropy of space-time. Other possible checks on the theory of relativity
in light of present experimental results are also mentioned. It is concluded that the
presently known set of facts in dimensions close to 10^{-15} cm (lab.) or 10^{-14} cm

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UDC: 530.12: 531.18

L 10243-67

ACC NR: AP6028551

(c.m.s.) do not contradict relativistic kinematics, which hold on the average with an accuracy of $\sim 1\%$. The dependence of mass on velocity has been verified with higher accuracy, up to 0.01% . Possible large deviations from relativistic kinematics are conceivable, but these have low probability and have not been investigated. The only troublesome aspect is the situation with local field theory, which is closely related to the assumed form of geometry and to causality. Asymptotic cross sections in the region of 20 Gev do not approach one another as expected, and a comparison of presently known data on the forward scattering of high-energy pions does not agree with the results of calculations by means of dispersion relations. This calls for an increase in the measurement accuracy. If this disagreement between theory and experiment is confirmed, this would serve as a serious basis for a radical reevaluation of the basic postulates of modern special relativity theory. Orig. art. has: 1 figure and 18 formulas.

SUB CODE: 20/ SUBM DATE: 00/ ORIG REF: 021/ OTH REF: 024

Card 2/2

ACC NR: AP7017073

SOURCE CODE: UR/0020/66/168/004/0774/0776

AUTHOR: Blokhintsev, D. I. (Corresponding Member AN SSSR)
ORG: Joint Institute for Nuclear Research (Ob'yedinennyy institut yadernykh issledovaniy)

TITLE: Space-time metrics and non-linear fields

SOURCE: AN SSSR. Doklady, v. 168, no. 4, 1966, 774-776

TOPIC TAGS: special relativity theory, physics

SUB CODE: 20

ABSTRACT: Certain requirements for signal linearity implicitly contained in the special theory of relativity are usually ignored. Einstein has noted many times that we must deal with the sum "geometry plus physics," not with each component individually. This article analyzes this "sum" in the example of an abstract world in which there is only one form of matter: the scalar field (X) distributed in space $R(X)$ ($X = X_1, X_2, X_3, X_4$). In this case the directions in space $R_4(X)$ are divided into time directions (within the zone of influence) and space directions (without it). In order to differentiate between space and time, it is necessary to employ a signal which has a cone of influence including all other possible cones of influence. The authors note that the Klein equation, as usually applied, leads to particle motion with speeds higher than the velocity of light. From the point of view of the definition of time given in this article (area attainable by a signal), the author considers that there is one space coordinate and three time coordinates: X_1, X_2, X_3 . With this definition of time, particle velocities described

Card 1/2

UDC: 530.18+530.16

C.S.A. 0-175

ACC NR: AP7007073

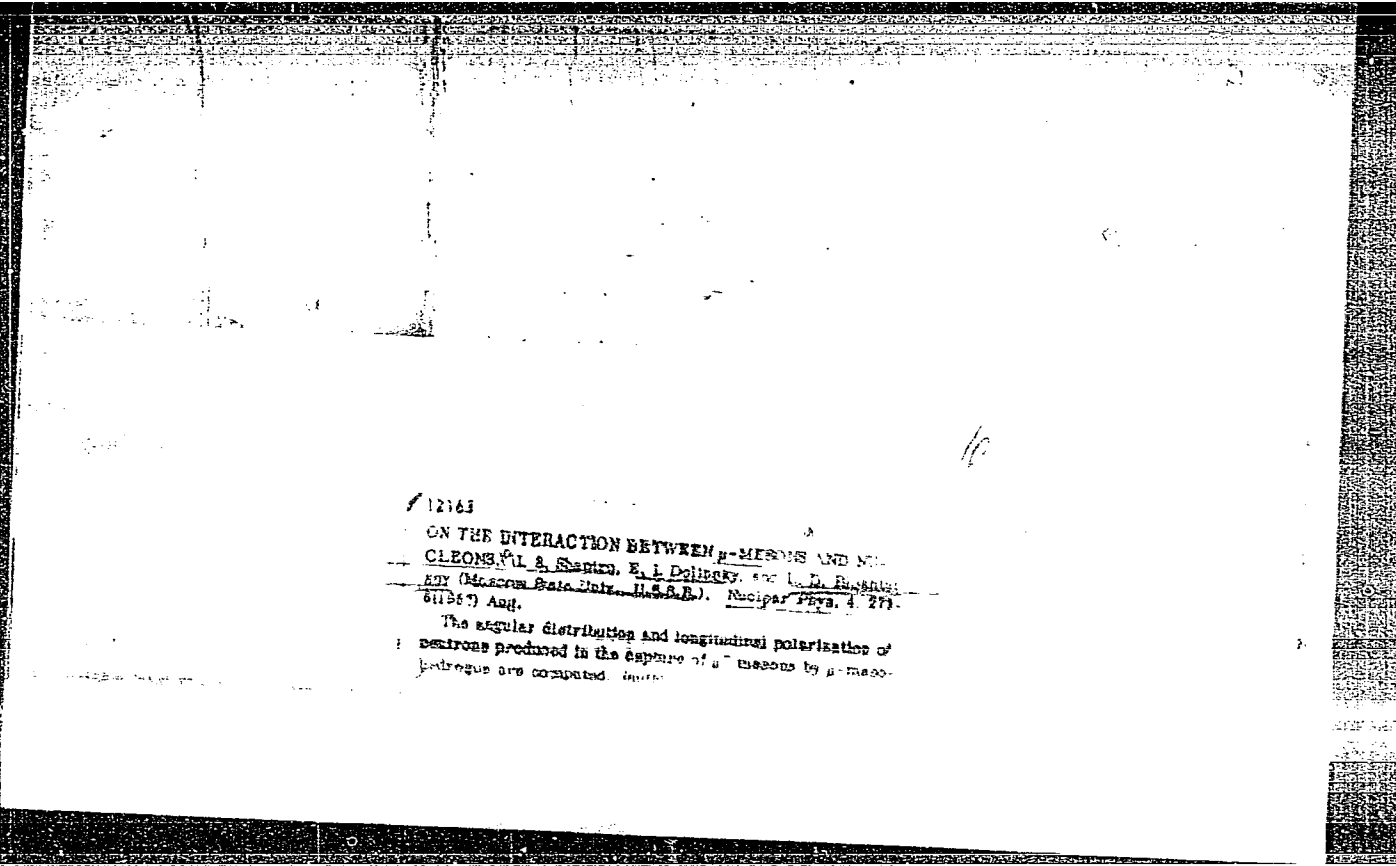
by the Klein equation will be less than the velocity of light. Orig.
art. has: 4 figures and 10 formulas. [JPRS: 38,417]

Card 2/2

BLOKHINISEV,. Eng. I.

DAIRY PLANTS

From the experience of master Nikulenkov
Mol. prom. 13, no. 9, 1952



12163

ON THE INTERACTION BETWEEN μ -MESONS AND NEUTRONS
CLEON, A. I. Shapira, E. I. Dolibek, and A. D. Buzin
USSR (Moscow State Univ., U.S.S.R.). *Nuclear Phys.* 4, 273.
611567 Ang.

The angular distribution and longitudinal polarization of
neutrons produced in the capture of μ mesons by μ -meso-
neutrons are computed.

Blokhintsev, L.D.

AUTHORS: Shapiro, I. S., Dolinskiy, E. I., Blokhintsev, L.D., 20-6-14/42

TITLE: **Problem of Interaction of Muon With Nucleons** (K voprosu o vzaimodeystvii μ -mezonov s nuklonami).

PERIODICAL: Doklady AN SSSR, 1957, Vol. 116, Nr 6, pp. 946 - 948 (USSR)

ABSTRACT: The present report investigates the angular distribution of neutrons which were obtained at the capture of a negative muon by a proton in μ -mesohydrogen. The negative muon is assumed to be polarized. In this case the angular distribution of the neutrons in a general case will be generally anisotropic because of the non-conservation of the parity with weak interactions, in which case both the sign and the size of anisotropy depend on the form of interaction. The energy of interaction of a muon with a nucleon taking account of the nonconservation of parity can be written down conjugated complex in the form $H = \sum_k (\bar{\psi}_n O_k \psi_p) (\bar{\psi}_\mu [g_k - g'_k \gamma_5] O_k \psi_\mu) +$

In this case O_k means the operators known from the theory of the β -decay which are composed of the Dirac matrices. It further holds $k = s, p, v, a, t$, in which case s, p, v, a, t signifies the scalar, pseudo-scalar, vectorial, pseudovectorial, and tensorial variant of interaction. With $g_k = -g'_k$ the variant proposed by L.D. Landau (reference 1) of the theory with a longitudinal polarized neutrino is obtained. The formula $W(\theta) = 1 + \alpha \cos \theta$, holds for the angular distribution of the neutrons, in which case θ denotes the angle between the

Card 1/2

Problem Interaction of Muon With Nucleons.

20-6-14/42

direction of emission of the neutron and the negative direction of polarization of the negative muon. The terms valid in the case of the presence of all variants of interaction is given for α . The values of α for the different variants of interaction (on the assumption of longitudinal neutrino) are summarized in a table. Such formulae can also be obtained for the capture of negative muons by protons which are bound to nuclei. In this case α depends on the matrix elements of the nuclei which renders the interpretation of the experimental data difficult. Besides the anisotropy of angular distribution of the neutrons, also the fact can be utilized for the determination of the form of interaction that the neutrons formed during the process $\mu^- + p \rightarrow n + \nu$ are generally polarized. This polarization takes place both transversally and longitudinally. A table contains the amounts of longitudinal polarization of the P-neutrons obtained at the capture of unpolarized negative muons by free protons in the case of a longitudinal neutrino. These data hold also approximately for the capture of muons by nuclei. There are 1 figure, 1 table and 4 references, 2 of which are Slavic. (vennyy universitet im. M. V. Lomonosova)

ASSOCIATION: Moscow State University im. M. V. Lomonosov (Moskovskiy gosudarst-
PRESENTED: May 27, 1957, by D. v. Skobel'tsyn, Academician
SUBMITTED: May 18, 1957
AVAILABLE: Library of Congress
Card 2/2

SOV/56-34-3-41/55

AUTHORS: Dolinskiy, E. I. , Blokhintsev, L. D.

TITLE: The Absorption of Polarized Negative Myons by Nuclei
(Pogloshcheniye polyarizovannykh μ^- -mezonov yadrami)

PERIODICAL: Zhurnal Eksperimental'noy i Teoreticheskoy Fiziki, 1958,
Vol. 34, Nr 3, pp. 759 - 761 (USSR)

ABSTRACT: According to I. S. Shapiro and others (Reference 1) the distribution of the neutrons formed in the capture of polarized negative myons by free protons, can be represented in the form $1 + \alpha \cos \theta$. The present report gives the results of calculation of the coefficient α for the case of absorption of negative myons by protons which are bound in nuclei, for the scalar (s), vectorial (v), tensorial (t) and pseudovectorial (a) variant of the 4-fermion-interaction of myons with nucleons. The nucleus is described by the shell model and the recoil of the nucleus is neglected. The calculation is carried out in non-relativistic approximation with respect to the nucleons. The interaction of the neutron being emitted with the nucleus was taken into account by means of

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a complex potential which allows the application of a certain probability of absorption of the neutron in the nucleus. The value obtained for α can be still reduced due to various causes which are briefly summarized here. First, terms for the wave functions of the proton and of the neutron are written down. The wave function of the neutron is written down here also by taking account of the spin orbit interaction. The wave function of the neutrino was applied in form of a plane wave. Subsequently, formulae for the emission of a neutron with the energy $E_N = \hbar^2 k_N^2 / 2m$ under a given

angle θ in the absorption of a negative myon are written down in the subshell characterizable by the quantum numbers n, j, l . These formulae hold for the superposition of the s, v, t and a -variants. The total effect of all closed subshells is obtained by summarizing the corresponding formulae by way of n, j, l . The formulae given here, also describe the absorption of a negative myon by 1 proton which is located above the closed shells. The formulae given here might form a good approximation for the double magic nuclei. The details of the calculation and the numerical estimations for

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concrete nuclei will be given in a separate report. There are 4 references, 3 of which are Soviet.

ASSOCIATION: Moskovskiy gosudarstvennyy universitet
(Moscow State University)

SUBMITTED: December 9, 1957

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24(5), 21(7)

SOV/56-35-6-26/44

AUTHORS: Dolinskiy, E. I., ~~Blakhteev, L. D.~~

TITLE: Absorption of Polarized μ^- -Mesons by Nuclei (Pogloshcheniye polyarizovannykh μ^- -mezonov yadrami) The Angular Distribution of Neutrons (Uglovoye raspredeleniye neytronov)

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, 1958, Vol 35, Nr 6, pp 1488-1498 (USSR)

ABSTRACT: The investigation of the nuclear absorption of negative muons makes it possible to determine the non-electromagnetic interaction between muons and nucleons. The process of the nuclear absorption of muons develops via an intermediate stage with formation of a mesic atom according to (1):
 $\mu^- + P \rightarrow N + \nu + Q$, (P - proton, N - neutron, ν - neutrino).
In the introduction, several earlier publications dealing with this subject are discussed. Most of the theoretical papers, (as e.g. references 1 - 3), operate with the nuclear shell model with j-j coupling. In reference 4 measurements of the ratio between muon decay probabilities are compared with the theoretical results obtained by Tolhoek and Luyten (Tolkhuk, Luyten) (Ref 3) (Gamow-Teller interaction type).
Card 1/4 In a number of papers (Refs 5-9) the asymmetry of neutron

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Absorption of Polarized μ^- -Mesons by Nuclei. The Angular Distribution of Neutrons

angular distribution from (1), (absorption of polarized muons) was investigated. Several authors (Refs 5, 9, 10) found that the nuclei themselves show polarization after the capture of polarized muons. In reference 8 the circular polarization and the angular distribution of γ -quanta in μ^- -radiation capture was investigated, references 11 and 12 deal with the investigation of the total depolarization of μ^- -mesons in hydrogen. In the present paper the authors investigate neutron angular distribution from (1) when using μ^- -mesons, which are produced as a decay product of π^- -mesons polarized along the direction of their flight. (1) may be considered to be a direct process for the neutron angular distribution of which $1 + P_\mu \alpha \cos \theta$ holds

(P_μ is the degree of polarization of the μ^- -mesons at the instant of capture, α - the asymmetry coefficient, and θ - the angle between the direction of polarization and the direction in which the neutron is emitted). By taking the non-conservation of parity into account, the Hamiltonian for four-fermion interaction between muon and nucleon is set up. As the binding energy of the μ^- -meson in the K-orbit in the mesic atom is considerably lower than its rest energy, the wave function for

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the muon can be used in non-relativistic approximation. For the nucleus the shell model with j-j coupling is used. The recoil energy of the nucleus is neglected. The potential of the shell model and the interaction potential between neutron and nucleus is assumed to be spherically symmetric. The spin-orbit interaction of the emitted neutron with the nucleus is not taken into consideration because this case has already been dealt with by reference 13. The results obtained by theoretical considerations are numerically evaluated for the neutron emission probability $dW(E_N, \theta)$ and for the asymmetry $\alpha(E_N)$ for the O^{16} and the Ca^{40} nucleus. Calculations are carried out with a coupling constant $g_k = c_k (10^{-49} \text{ erg.cm}^3)$.

The numerical results obtained are shown by 2 tables and 4 figures. They can be summarized as follows: The energy spectrum has a maximum at $E_N \approx 5 \text{ Mev}$. The major part of μ^- -mesons is

absorbed by protons of the external shells of the nucleus. For the angular distribution of neutrons it holds that

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$$q(\theta) = 1 + P_\mu \beta \alpha_H \cos \theta, \quad \alpha_H \text{ is the asymmetry coefficient for}$$

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μ^- -capture in hydrogen (without consideration of hyperfine structure), β for O^{16} and $Ca^{40} \approx +0.5$. Degree of polarization of μ^- -mesons in the K-shell of the mesic atom: $P \sim 0.15 - 0.20$ (Refs 14, 22), α_H is between -1 and $+1/3$, for $\beta \approx 0.5$ the asymmetry of neutron angular distribution is of the order $3 - 10\%$. The authors in conclusion thank I. S. Shapiro for his interest and his discussions, and they also thank M. K. Akimov, who carried out numerical computations on the electronic computer "Strela" of the MGU. There are 4 figures, 2 tables, and 25 references, 10 of which are Soviet.

ASSOCIATION: Moskovskiy gosudarstvennyy universitet (Moscow State University)

SUBMITTED: June 24, 1958

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DOLINSKIY, Ye. I. and BLOKHINTSEV, L. D.

"Absorption of Polarized μ^- -Mesons by Nuclei; The Neutron Angular Distribution," Nuclear Physics, Vol. 10, No. 5, 1959, pp. 527-540 (No. Holland Publ. Co., Amsterdam)

The angular distribution of neutrons emitted in the absorption of polarized μ^- -mesons by nuclei is calculated. Numerical computations are carried out for ^{16}O and ^{40}Ca .

Moscow State Univ.

21(7), 21(8)

SOV/56-36-1-36/62

AUTHOR:

Blokhintsev, L. D.

TITLE:

The Absorption of Polarized μ^- -Mesons by Nuclei (Pogloshcheniye polyarizovannykh μ^- -mezonov yadrami) The Polarization of Neutrons (Polyarizatsiya neytronov)

PERIODICAL:

Zhurnal eksperimental'noy i teoreticheskoy fiziki, 1959, Vol 36, Nr 1, pp 258-263 (USSR)

ABSTRACT:

The present paper calculates the polarization of neutrons which occur in the reaction $\mu^- + p \rightarrow n + \nu$ at the capture of negative muons by a free proton. In the first chapter neutron polarization is calculated. The vector \vec{P}_N of neutron polarization is defined as the mean value of the operator $\vec{\sigma}$ of neutron spin: $\vec{P}_N = \text{Sp}(\rho \vec{\sigma}) / \text{Sp} \rho$. Here ρ denotes the density matrix, and the elements in its diagonal determine the probability of the departure of a neutron. On the basis of general considerations it holds that $\vec{P}_N = a\vec{P}_\mu + b\vec{k}_N + c[\vec{k}_N \vec{P}_\mu]$, where \vec{P}_μ denotes the polarization vector of the negative muon and \vec{k}_N the momentum of the neutron. Further, the Hamiltonian of muon-nucleon interaction used in these calculations in consideration of

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the non-conservation of parity is written down. The polarization of neutrons is calculated by basing on the same conditions as in the case of angular distribution in a previous paper by E. I. Dolinskiy and L. D. Blokhintsev (Ref 1). The formulas obtained in this way hold actually only in the case of nuclei with completely filled proton-subshells. Two cases are investigated: The spin-orbit interaction between neutron and nucleus was 1) neglected, and 2) taken into account. The rather voluminous formulas for neutron polarization in disregard of spin-orbit interaction are explicitly written down. The even more complicated formulas taking account of this interaction are not given. The formulas permit the following conclusions to be drawn: 1) In μ^- -capture in mesic hydrogen the component P_N^x is different from zero only if the above mentioned Hamiltonian is invariant with respect to an inversion of the spatial- and time-axes. 2) P_N^y is not connected with the degree of non-conservation of spatial parity in the aforementioned Hamiltonian. 3) The longitudinal polarization P_N^z

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of the neutron does not become equal to zero even in the case of unpolarized negative muons. The second chapter of this paper deals with the numerical calculation for the nuclei ${}_8^{16}\text{O}$ and ${}_{20}^{40}\text{Ca}$. The degree of polarization (especially of longitudinal polarization) of a neutron may attain very considerable values. The author thanks I. S. Shapiro for his interest and for discussing the results obtained. There are 7 references, 5 of which are Soviet.

ASSOCIATION: Institut yadernoy fiziki Moskovskogo gosudarstvennogo universiteta (Institute for Nuclear Physics of Moscow State University)

SUBMITTED: July 15, 1958

Card 3/3

AUTHORS: Shapiro, I. S., Blokhintsev, L. D. SOV/56-37-3-26/62

TITLE: Circular Polarization of the γ -Quanta Emitted by a Nucleus After a μ^- -Capture

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, 1959, Vol 37, Nr 3(9), pp 760-764 (USSR)

ABSTRACT: In computing the circular polarization mentioned in the title the hyperfine splitting up of the level of the mesic atom was taken into account. The authors made their computations for the case that the nucleus passes to a discontinuously varying level in the μ^- -capture (i.e. no neutron departs). The process to be investigated is the following: Nucleus A_Z with spin j_1 captures a polarized negative ion from the K-shell and passes to the excited level A_{Z-1} with spin j_2 , which then passes from the multiplicity J to the ground state with spin j_3 under emission of a γ -quantum. The authors wrote down the Hamiltonian of the four-fermion interaction as a superposition of the vectorial (v), axially vectorial (a), and pseudoscalar (p) variant with the coupling constants g_v , g_a and g_p . The degree C_μ of circular

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a Nucleus After a μ^- -Capture

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polarization is defined as follows: $C_\gamma = (W_+ - W_-)/(W_+ + W_-)$.
 W_+ and W_- denote the probabilities of the emission of γ -quanta
with their spin in parallel (right-hand polarization) and anti-
parallel position respectively, to the momentum (left-hand
polarization). For a longitudinal neutrino the computation
furnishes the result: $C_\gamma = P_\mu \alpha \cos \theta$, $\alpha = B/A$. P_μ denotes
the degree of polarization of the negative muon at the instant
of its incidence on the K-orbit of the mesic atom, θ - the angle
between the directions of the polarization vector of the
negative muon and of the direction of departure of the γ -quantum.
The above-mentioned formulas hold for the case that the neutrino
departs with a certain angular momentum $\Lambda = \Lambda_{\min}$. This is the
least possible angular momentum admitted by selection rules. The
correction shown by Gell-Mann (Ref 4) concerning the allowed
transitions due to the "weak mechanism" has already been taken
into consideration in the above expressions. In order to examine
this, the authors investigate the transition

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$\Delta j = j_2 - j_1 = \pm 1$ (no). A formula is written down for the

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matrix element M_V of the μ transition. The structure of this matrix element M_V is similar to that of the matrix element of the operator for the energy of interaction of the magnetic moment with the magnetic field. Quantity μ (the total magnetic moment of the transition, computed in nuclear magneton units) takes into account the contribution of virtual pions according to Gell-Mann. (Ref 4). For the transitions of the type $\Delta j = \pm 1$ (no), however, neither corrections are made for a "weak mechanism" nor are other relativistic corrections of the same order of magnitude applied to the amount of polarization of the γ -rays although they contribute to the total probability of the process. The problem of such corrections in the μ^- -capture was investigated more exactly by B. L. Ioffe (Ref 5). In computing the expression for C_V the hyperfine splitting up of the mesic-atom level was taken into account, for it plays an important part. In the transitions satisfying Fermi's selection rules the circular polarization of γ -quanta is entirely due to hyperfine interaction. As an example of an allowed transition

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with subsequent dipole radiation ($\Lambda = 0, J = 1$) at
 $j_1 = j_2 = j_3 = 1/2$ is investigated for the Gamov-Teller variant.
In most cases, the μ^- -capture leads to the departure of a
neutron from the nucleus. There are 7 references, 3 of which
are Soviet.

SUBMITTED: April 3, 1959

Card 4/4

BLOKHINTSEV, L. D., Cand Phys-Math Sci (diss) -- "Polarization phenomena in the capture of μ -mesons by nuclei". Moscow, 1960. 11 pp (Moscow Order of Lenin and Order of Labor Red Banner State U im M. V. Lomonosov, Sci Res Inst of Nuclear Physics), 130 copies (KL, No 12, 1960, 124)

SHAPIRO, I.S.; BLOKHINTSEV, L.D.

Capture of K^- -mesons by the O^{16} nucleus. Zhur. eksp. i teor.
fiz. 39 no.4:1112-1114 O '60. (MIRA 13:11)
(Mesons)

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24.690°

AUTHORS: Akimova, M. K., Blokhintsev, L. D., Dolinskiy, E. I.

TITLE: Angular Distribution and Polarization of Neutrons Emitted
in Muon Capture of Some Light Nuclei

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, 1960,
Vol. 39, No. 6(12), pp. 1806-1817

TEXT: A study of the angular distribution and polarization of neutrons emitted from nuclei as a result of the reaction $\mu^- + P \rightarrow N + \nu$ gives information on the muon-nucleon weak interaction constant. Formulas for angular distribution and polarization (Refs. 1-4) have been obtained in different approximations, and numerical calculations have been made for several concrete cases. The very extensive calculations presented here are based on the theory of universal Fermi interaction, and have been made on the assumption that the interaction of "stripped" fermions can be described by V- and A-type four-fermion coupling. All relativistic terms which are of first order in v_n/c (v_n - nucleon velocity), including weak

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magnetism and effective pseudoscalar interaction, are taken into account. The Hamiltonian H_{eff} describing the muon capture is taken from Ref. 7, and from the universal Fermi interaction with conservation of the vector current it follows that

$$g_V^{(\mu)} = 0.972 g_V^{(\beta)}, \mu = 1 + \mu_P - \mu_N = 4.71, g_A^{(\mu)} = 0.999 g_A^{(\beta)}, \text{ and } g_P^{(\mu)} = 8 g_A^{(\beta)}; g_V^{(\beta)} - \text{Fermi coupling constant, for } \beta\text{-decay of nucleons;}$$

μ_P, μ_N - anomalous magnetic moments of proton and neutron in nuclear magnetons; $g_A^{(\beta)}$ - Gamow-Teller coupling constant for β -decay of nucleons.

These assumptions and results of a previous paper (Ref. 3) are used to derive formulas for the emission probability of neutrons with given kinetic energy from a nucleus, for the angular distribution and the polarization for the case of direct neutron emission:

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$$dW(E_N, \theta) = G^{(\mu)} |V_0(E_N) [I(E_N) + P_\mu K_1(E_N) \cos \theta] dE_N d\Omega_N / 4\pi, \quad (4)$$

$$I(E_N) = (1 + 3\lambda^2) + 2[1 + 2\lambda\mu - \lambda^2(\kappa - 1)] \gamma_1(E_N) + \\ + [2\mu^2 + \lambda^2(\kappa - 1)^2 + 1] \gamma_2(E_N), \quad (5)$$

$$K_1(E_N) = -\{(-1 + \lambda^2) \beta_0(E_N) + 2[-1 + 2\lambda\mu + \\ + \lambda^2(\kappa - 1)] \beta_1(E_N) \gamma_1(E_N) + [2\mu^2 - \lambda^2(\kappa - 1)^2 - 1] \beta_2(E_N) \gamma_2(E_N)\}, \quad (6)$$

где

$$G^{(\mu)} = g_V^{(\mu)} \cdot 10^{40} g \rho z^{-1} \cdot \text{cm}^{-3}, \quad \lambda = -g_A^{(\mu)} / g_V^{(\mu)}, \quad \kappa = g_P^{(\mu)} / g_A^{(\mu)},$$

$$q(E_N, \theta) = 1 + P_\mu \alpha_1(E_N) \cos \theta, \quad (7)$$

$$\alpha_1(E_N) = K_1(E_N) / I(E_N). \quad (8)$$

$$P_N^{\parallel}(E_N) = L_1(E_N) / I(E_N), \quad (9)$$

$$L_1(E_N) = -2\{\lambda(\lambda + 1) \beta_0(E_N) + \\ + \lambda[2(\mu + 1) - \kappa] \beta_1(E_N) \gamma_1(E_N) + [\mu^2 - \lambda(\kappa - 1)] \beta_2(E_N) \gamma_2(E_N)\}. \quad (10)$$

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The angle, θ , of neutron emission is measured with respect to the direction of polarization of the μ^- mesons; their degree of polarization on the K-orbit of the mesic atom at the instant of capture is denoted by P_μ . The neutron kinetic energy lies in the interval $(E_N, E_N + dE_N)$. The coefficients W_0 , β_k , and γ_k have been calculated by the computer "Strela" of MGU (Moscow State University) for the nuclei of C^{12} , Ne^{20} , Si^{28} , and S^{32} on the following assumptions: The state of the protons in the nucleus may be described by the nuclear shell model with jj-coupling; spin-orbit splitting of proton levels is neglected. A square-well potential for the shell model is assumed with $R = r_0 A^{1/3}$. The interaction between neutron and nucleus is described by a complex square well:

$$V_N(r) = \begin{cases} -U_N(1+i\zeta), & r < R \\ 0 & r > R \end{cases}$$

with the same R; computations are performed for $\zeta = 0, -0.10, \text{ and } -0.15$; the coordinate dependence of the wave function ψ_μ of the muon on the

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Neutrons Emitted in Muon Capture of Some
Light Nuclei

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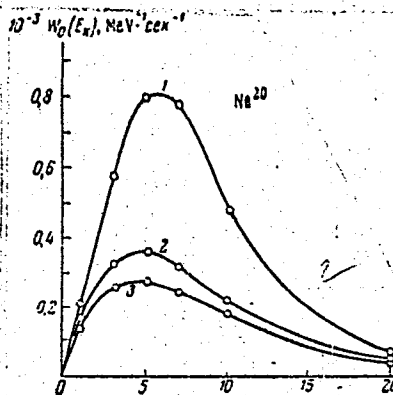
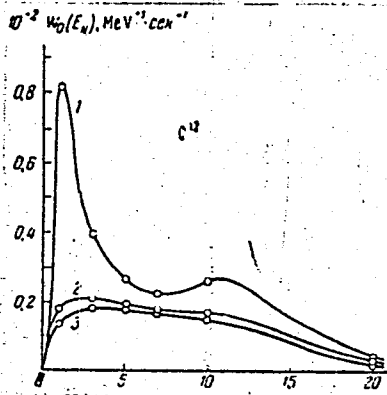
K-orbit is taken into account. Numerical results are summarized in Tables 1 and 2. Fig. 1 shows $W_0(E_N)$ for the three values of ξ (curves 1-3). The values of α in Table 1 are defined by $\psi_\mu = \sqrt{\alpha^3/\pi} e^{-\alpha r}$, $\alpha = Zm_\mu e^2/\hbar^2$. Fig. 2 shows $\beta_0(E_N)$ again for the three values of ξ . In the final section, the results obtained are compared with experimental data and discussed in detail. Professor I. S. Shapiro is thanked for discussions. A. Ye. Ignatenko is mentioned. There are 7 figures, 3 tables, and 20 references: 8 Soviet, 10 US, 1 Italian, and 1 Japanese.

ASSOCIATION: Institut yadernoy fiziki Moskovskogo gosudarstvennogo universiteta (Institute of Nuclear Physics of Moscow State University)

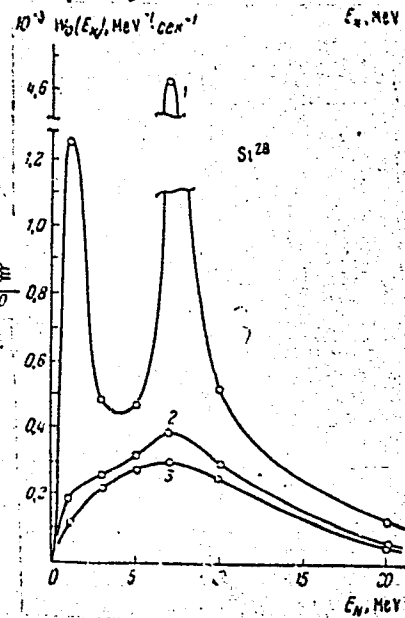
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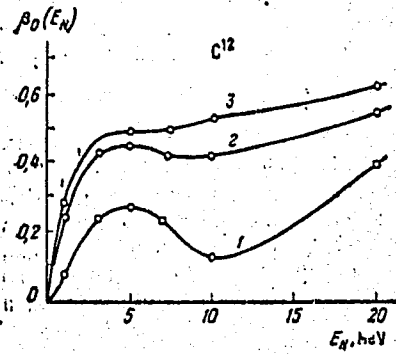
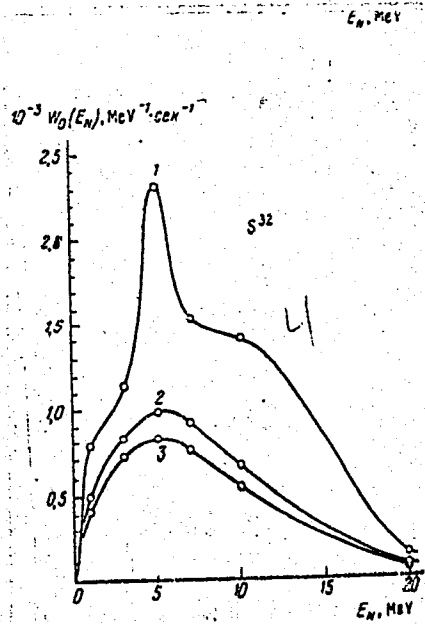
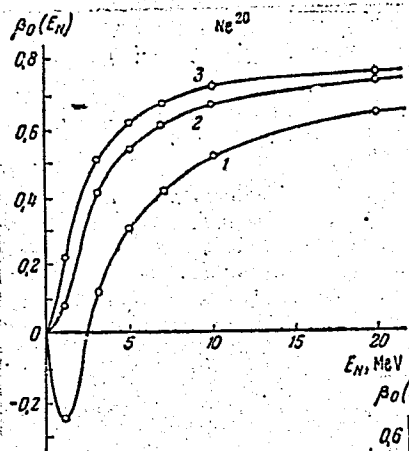


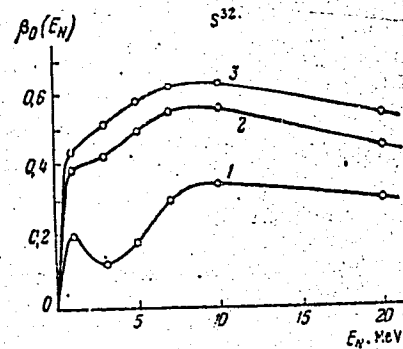
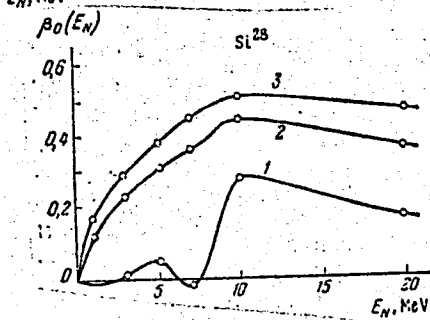
Fig. 1.

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Fig 2

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B109/B102AUTHORS: Blokhintsev, L. D., Dolinskiy, E. I.TITLE: Coupling constants in μ -capturePERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 41,
no. 6(12), 1961, 1986-1995

TEXT: It is shown that within the universal Fermi interaction theory the best agreement with experimental data is obtained in the theory in which the vector current is conserved. The four coupling constants indicated in Table 1 are determined by experimental studies of the probability of muon capture on the one hand, and of the angular distribution of neutrons on the other. The experiments proved that in the case of negative λ ($\lambda = -g_A^{(\mu)}/g_V^{(\mu)}$) for $\mu = 4.7$ and $\mu = 1$, ($\mu = 1 + g_M^{(\mu)}/g_V^{(\mu)}$), and in the case of positive λ for $\mu = 1$ no λ and κ ($\kappa = g_P^{(\mu)}/g_A^{(\mu)}$) exist that would simultaneously satisfy the three experiments considered: determination of capture probability in C^{12} and P^{31} and of neutron angular distribution.

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Coupling constants in μ -captureS/056/61/041/006/048/054
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$g_A^{(\mu)}$ denotes the axial pseudo vector coupling constant, $g_V^{(\mu)}$ is the vector coupling constant, $g_P^{(\mu)}$ is the effective pseudoscalar coupling constant. In the case of positive λ and for $\mu = 4.7$, κ and λ values may exist within the ranges: $10 \leq \kappa \leq 25$, $1.6 \leq \lambda \leq 6$. The experimental data and those expected theoretically are compared and found to be in better agreement if the vector current is conserved. The comparison also shows that the sign of $g_V^{(\mu)}$ is opposite to that of $g_A^{(\mu)}$. Also, $|g_A^{(\mu)}| > |g_V^{(\mu)}|$. The sign of $g_P^{(\mu)}$ is positive in accordance with theory. The remarkable tendency toward relatively high values of the ratios $|g_A^{(\mu)}|/|g_V^{(\mu)}|$ and $g_P^{(\mu)}/g_A^{(\mu)}$, compared with theoretical calculations, may possibly be explained by experimental inaccuracies, and this point may yet have to be revised. I. S. Shapiro is thanked for discussions, and V. S. Yevseyev and A. Ye. Ignatenko for having submitted their own findings (L. B. Yegorov, G. V. Zhuravlev, A. Ye. Ignatenko, A. V. Kuptsov, Li Hsüang-ming, M. G. Petrashku. Preprint OIYaI, 1961; V. S. Yevseyev,

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Coupling constants in μ -capture

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B109/B102

V. I. Komarov, V. Z. Kush, V. S. Roganov, V. A. Chernogorova, M. M. Shimchak. IOYaI, preprint, 1961). There are 3 figures, 2 tables, and 31 references: 6 Soviet and 25 non-Soviet. The four most recent references to English-language publications read as follows:
H. Überall. Phys. Rev., 121, 1219, 1961; M. K. Akimova, L. D. Blokhintsev, E. I. Dolinskiy. Nucl. Phys., 23, 369, 1961; E. J. Maier, B. L. Bloch, R. M. Edelstein, R. T. Siegel. Phys. Rev. Lett., 6, 417, 1961; A. Astbury, J. H. Bartley, J. M. Blair, M. A. R. Kemp, H. Mirhead, T. Woodhead. Preprint, Liverpool University, 1961.

ASSOCIATION: Institut yadernoy fiziki Moskovskogo gosudarstvennogo universiteta (Institute of Nuclear Physics of the Moscow State University)

SUBMITTED: July 23, 1961

Legend to Table 1: (1) coupling constant in μ -capture; (2) diagrams considered; (3) expressed in terms of coupling constants in the β -decay of nucleons.

Card 3/4 ³

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S/056/62/042/006/035/047
B104/B108

AUTHORS: Blokhintsev, L. D., Dolinskiy, E. I., Popov, V. S.

TITLE: Analytical properties of nonrelativistic graphs

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 42, no. 6, 1962, 1636 - 1646

TEXT: Some problems of the nonrelativistic graph technique are studied. A nonrelativistic graph with n internal lines and with l independent closed contours can be represented in the form

$$F_{nl} = \lim_{\delta \rightarrow +0} \int \prod_{s=1}^l d^3 k_s d\varepsilon_s \left\{ \prod_{i=1}^n (q_i^2 - 2m_i \varepsilon_i - i\delta) \right\}^{-1},$$

With the aid of a Feynman parametric representation, F_{nl} is derived as a function of the kinematic invariants X and Λ :

$$F_{nl} = (i\pi^{4l})^l \Gamma(n - 5l/2) \lim_{\delta \rightarrow +0} \int \prod_{i=1}^n d\alpha_i \delta\left(\sum_{k=1}^n \alpha_k - 1\right) \times \\ \times \prod_{s=1}^l \delta\left(\sum_{\langle s \rangle} \omega_s \alpha_s m_s\right) \Lambda^{-l/2} (X/\Lambda - i\delta)^{-(n-5l/2)}, \quad (8).$$

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Analytical properties of ...

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B104/B108

X and Λ are homogeneous functions of the first order of the Feynman parameters α_i . The characteristic feature of this integral representation is the δ -function $\delta(\sum_{\langle s \rangle} \omega_{\sigma} \alpha_{\sigma})$, which reduces the number of integrations over α_i as compared to the analogous relativistic case. The number of nontrivial integrations in (8) over α_i remains constant when internal lines are added to the initial graph, which pairwise connect the apexes of the graph. Real singularities of single-contour graphs are investigated, and an explicit expression is obtained for the amplitude of a triangular graph. There are 3 figures and 2 tables.

ASSOCIATION: Institut yadernoy fiziki Moskovskogo gosudarstvennogo universiteta (Institute of Nuclear Physics of the Moscow State University). Institut teoreticheskoy i. eksperimental'noy fiziki Akademii nauk SSSR (Institute of Theoretical and Experimental Physics of the Academy of Sciences USSR)

SUBMITTED: January 23, 1962
Card 2/2

S/056/62/043/005/045/058
B125/B104AUTHORS: Blokhintsev, L. D., Dolinskiy, E. I., Popov, V. S.

TITLE: On the Feynman amplitudes for nonrelativistic processes

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 43,
no. 5(11), 1962, 1914-1926

TEXT: The nonrelativistic limit $F_{nl}^{(0)}$ of the relativistic amplitude F_{nl}^r of an arbitrary Feynman graph is ascertained for the case when the kinetic energy transferred in the outer vertexes and the energy liberated at each vertex of the graph is low with respect to the virtual particles. All inner lines of the Feynman graph are to represent scalar particles. l is the number of independent closed contours. Results: For $\beta \ll 1$, F_{nl}^r can be written as the sum of the principal term $F_{nl}^{(0)}$ of the expansion of F_{nl}^r with respect to the small parameter β , and of the relativistic correction $F_{nl}^{(1)}$. For $n > 5l/2$, $F_{nl}^{(0)}$ coincides with the nonrelativistic amplitude having

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On the Feynman amplitudes for...
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singularities with respect to the nonrelativistic invariants. For $n < 5l/2$, $F_{nl}^{(0)}$ depends only on the mass of the virtual particles, but not on the nonrelativistic kinematic invariants. The entire dependence on the nonrelativistic invariants and all nonrelativistic singularities are contained in the small relativistic correction $F_{nl}^{(1)}$. At $n = 5l/2$, the amplitude $F_{nl}^{(0)}$ depends logarithmically on the nonrelativistic invariants. ✓

The order of magnitude of the relativistic corrections to the principal terms in the expansion of the amplitude F_{nl}^T with respect to β is given by

$$F_{nl}^T = F_{nl}^{(0)} (1 + \delta_{nl}); \quad (24)$$

$$\delta_{nl} \sim \begin{cases} \beta^2 & \text{при } 2n - 5l = 0 \\ \beta & \text{при } 2n - 5l = \pm 1 \\ \beta^2 \ln \beta & \text{при } 2n - 5l = \pm 2 \\ \beta^2 & \text{при } 2n - 5l = \pm 3, \pm 4, \dots \end{cases} \quad (25).$$

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On the Feynman amplitudes for...

S/056/62/043/005/045/058
B125/B104

The graphs with $n < 51/2$ are not essential in describing nonrelativistic processes. They contribute nothing to the mechanism of the direct nuclear reactions. The multidirectional β graphs are always nonrelativistic. For the triangular graphs for the reactions of the type $A+x \rightarrow B+y$ (L. D. Blokhintsev et al. ZhETF, 42, 1636, 1962) the nonrelativistic approximation has an accuracy of $\sim 10\%$ in a large range of energies of the incident particles. In convergent β graphs, the relativistic propagators for particles possessing a spin can be replaced by propagators not depending on spin. There are 4 figures and 1 table. ✓

ASSOCIATION: Institut yadernoy fiziki Moskovskogo gosudarstvennogo universiteta (Institute of Nuclear Physics of Moscow State University); Institut teoreticheskoy i eksperimental'noy fiziki Akademii nauk SSSR (Institute of Theoretical and Experimental Physics of the Academy of Sciences USSR)

SUBMITTED: June 18, 1962

Card 3/3

S/056/62/043/006/054/067
B102/B186

AUTHORS: Blokhintsev, L. D., Dolinskiy, E. I., Popov, V. S.

TITLE: The complex singularities of the amplitudes of direct nuclear reactions

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 43, no. 6(12), 1962, 2290-2298

TEXT: The complex amplitude singularities on the physical sheet are investigated for non-relativistic single-loop graphs with arbitrary masses. A classification of the singularities is given and rules for separating them are discussed. On the example of the triangular graphs of direct nuclear interactions of the type $A+x \rightarrow B+y+z$ it is shown that complex singularities with respect to the transferred momentum t_{xy} may arise near the physical region. Therefore investigations of the complex singularities are of importance for the dispersion theory of direct nuclear interactions. From the integral representation of the amplitude

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The complex singularities of the...

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B102/B186

$$F_{n1}(\eta_{ij}) = C_{n1} \int_0^1 \prod_{l=1}^n d\alpha_l \delta \left(\sum_{k=1}^n \alpha_k - 1 \right) \delta \left(\sum_{l=1}^n \omega_l m_l \alpha_l \right) (X - i\delta)^{-(n-\nu_1)}, \quad (1)$$

$\delta \rightarrow +0;$

a unique analytic expression is derived for F_{31} of a triangle graph with constant vertices:

$$F_{31}(\eta_{ij}) = C_{31} (\eta_{23}^0 - \xi_{23})^{-1/2} \varphi(z); \quad (11)$$

$$C_{31} = i\pi^3 \left[\frac{2}{m_1 m_2 (m_1 + m_2) (m_1 + m_2)} \right]^{1/2}, \quad \varphi(z) = \frac{1}{2\sqrt{z}} \ln \frac{1+\sqrt{z}}{1-\sqrt{z}}, \quad (12)$$

$$z = \frac{\eta_{23} - \eta_{23}^0}{\xi_{23} - \eta_{23}^0}, \quad \eta_{23}^0 = m_1 (m_2 - m_3) \left[\frac{\eta_{12}}{m_2 (m_1 + m_2)} - \frac{\eta_{13}}{m_3 (m_1 + m_2)} \right], \quad (13)$$

$$\xi_{23} = \begin{cases} \eta_{23}^- = \eta_{12} + \eta_{13} - 2(\eta_{12}\eta_{13})^{1/2} & \text{при } \eta_{12} < 0, \eta_{13} < 0 \\ \eta_{23}^+ = \eta_{12} + \eta_{13} + 2i(-\eta_{12}\eta_{13})^{1/2} & \text{при } \eta_{12}\eta_{13} < 0 \\ \eta_{23}^+ = \eta_{12} + \eta_{13} + 2(\eta_{12}\eta_{13})^{1/2} & \text{при } \eta_{12} > 0, \eta_{13} > 0 \end{cases} \quad (14)$$

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The complex singularities of the...

$$(\eta_{23}^0 - \xi_{23})^{1/2} = (\omega_{23} |\eta_{12}|)^{1/2} + (\omega_{23}^{-1} |\eta_{12}|)^{1/2} \text{ при } \eta_{12} < 0, \eta_{13} < 0,$$

$$\omega_{23} = m_2 (m_1 + m_2) / m_3 (m_1 + m_2). \quad (15)$$

$$(\eta_{23}^0 - \xi_{23})^{1/2} = \begin{cases} (\omega_{23} |\eta_{12}|)^{1/2} + (\omega_{23}^{-1} |\eta_{12}|)^{1/2} & \text{при } \eta_{12} < 0, \eta_{13} < 0 \\ (\omega_{23} |\eta_{12}|)^{1/2} - i (\omega_{23}^{-1} |\eta_{12}|)^{1/2} & \text{при } \eta_{12} < 0, \eta_{13} > 0 \\ -i (\omega_{23} |\eta_{12}|)^{1/2} + (\omega_{23}^{-1} |\eta_{12}|)^{1/2} & \text{при } \eta_{12} > 0, \eta_{13} < 0 \\ -i [(\omega_{23} |\eta_{12}|)^{1/2} + (\omega_{23}^{-1} |\eta_{12}|)^{1/2}] & \text{при } \eta_{12} > 0, \eta_{13} > 0 \end{cases} \quad (16)$$

The η_{ij} are external kinematic invariants (cf. Blokhintsev et al. Nucl. Phys. in print), $\omega_i = \pm 1$ indicates the direction of the i -th inner line of the graph. The analytical properties and the asymptotic behavior of F_{31} are investigated.

$$F_{31}(\eta_{ij}) \approx \begin{cases} \frac{1}{2} \pi C_{31} |\eta_{23}|^{-1/2} & \text{при } \eta_{23} \gg |\eta_{12}|, |\eta_{13}| \\ h(\omega_{23}) C_{31} |\eta_{12}|^{-1/2} & \text{при } -\eta_{12} \gg |\eta_{13}|, |\eta_{23}| \\ h(\omega_{23}^{-1}) C_{31} |\eta_{13}|^{-1/2} & \text{при } -\eta_{13} \gg |\eta_{12}|, |\eta_{23}| \end{cases} \quad (17)$$

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The complex singularities of the...

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is obtained where $h(\omega)$ for $0 \leq \omega < \infty$ is given by

$$h(\omega) = \begin{cases} \frac{1}{2} \left(\frac{\omega}{1-\omega} \right)^{1/2} \ln \frac{1 + \sqrt{1-\omega}}{1 - \sqrt{1-\omega}} & \text{при } 0 < \omega < 1 \\ 1 & \text{при } \omega = 1 \\ \left(\frac{\omega}{\omega-1} \right)^{1/2} \operatorname{arctg} \sqrt{\omega-1} & \text{при } \omega > 1 \end{cases} \quad (18)$$

There are 6 figures.

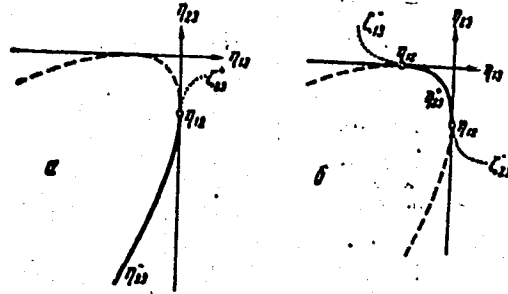
ASSOCIATION: Institut yadernoy fiziki Moskovskogo gosudarstvennogo universiteta (Institute of Nuclear Physics of Moscow State University); Institut teoreticheskoy i eksperimental'noy fiziki (Institute of Theoretical and Experimental Physics)

SUBMITTED: July 24, 1962

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The complex singularities of the...

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$$\begin{aligned} \eta_{23} = \zeta_{23} &= \eta_{12} + \eta_{13} - 2i(-\eta_{12}\eta_{13})^{1/2} \quad \text{при } \eta_{12} < 0, \eta_{13} > 0, \\ \eta_{13} = \zeta_{13} &= \eta_{12} + \eta_{23} - 2i(-\eta_{12}\eta_{23})^{1/2} \quad \text{при } \eta_{12} < 0, \eta_{23} > 0. \end{aligned}$$

Fig. 2. Curves of the real and complex singularities of the amplitude F_{31} .
a) \triangle for $\eta_{12} < 0$; b) \triangle for $\eta_{12} < \eta_{13} < 0$; solid lines: real singularities of F_{31} on the physical sheet; dashed lines: real singularities, not on the physical sheet; dotted lines: complex singularities on the physical sheet.
Card 5/5

BLOKHINTSEV, L.D.; DOLINSKIY, E.I.; POPOV, V.S.

Analytic properties of nonrelativistic diagrams. Zhur.
eksp. i teor. fiz. 42 no.6:1636-1646 Je '62. (MIRA 15:9)

1. Institut yadernoy fiziki Moskovskogo gosudarstvennogo
universiteta i Institut teoreticheskoy i eksperimental'noy
fiziki AN SSSR.

(Nuclear reactions) (Graphic methods)

BLOKHINTSEV, L.D.; DOLINSKIY, E.I.; POPOV, V.S.

Feynman amplitudes for nonrelativistic processes.
Zhur. eksp. i teor. fiz. 43 no.5:1914-1926 N '62.(MIRA 15:12)

1. Institut yadernoy fiziki Moskovskogo gosudarstvennogo
universiteta i Institut teoreticheskoy i eksperimental'noy
fiziki AN SSSR.

(Graphic methods) (Nuclear reactions)

BLOKHINTSEV, L.D.; DOLINSKIY, E.I.; POPOV, V.S.

Complex characteristics of direct nuclear reaction amplitudes.
Zhur.eksp.i teor.fiz. 43 no.6:2290-2298 D '62. (MIRA 16:1)

1. Institut yadernoy fiziki Moskovskogo gosudarstvennogo
universiteta i Institut teoreticheskoy i eksperimental'noy
fiziki.

(Nuclear reactions)

DOLINSKIY, E.I.; BLOKHINTSEV, L.D.; MUKHAMEDZHANOV, A.M.

Use of the diagram summation method in making allowance for interaction in the initial and final states of direct nuclear reactions.
IAd. fiz. 1 no.3:426-435 Mr '65. (MIRA 18:5)

1. Nauchno-issledovatel'skiy institut yadernoy fiziki Moskovskogo gosudarstvennogo universiteta.

ACC NR: AP7012410

SOURCE CODE: UR/0367/67/005/001/0115/0122

AUTHOR: Blokhintsev, L. D.; Dolinskiy, E. I. -- Dolinsky, E. I.

ORG: Institute of Nuclear Physics of Moscow State University (Institut yadernoy fiziki Moskovskogo gosudarstvennogo universiteta)

TITLE: Existence effects in quasi-elastic scattering

SOURCE: Yadernaya fizika, v. 5, no. 1, 1967, 115-122

TOPIC TAGS: elastic scattering, graph theory, nuclear reaction

SUB CODE: 20

ABSTRACT: Effects due to the existence of intermediate particles in quasi-elastic scattering reactions are studied using the graph theory of direct nuclear reactions. It is demonstrated in the example of the $(N, N'd)$ reaction that the neglect of such effects leads to large errors. It is noted that the effects considered are not taken into account in the usual calculations of direct reaction amplitudes, using the wave function formalism. Orig. art. has: 4 figures and 22 formulas. [Based on authors' Eng. Abst] [JPRS: 40,393]

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1ST AND 2ND ORDERS

140 AND 17TH CROSS

PROCESSES AND PROPERTIES INDEX

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CA

The distribution of rubber in the root system of kok-saghyz. A. A. Prokof'ev, L. L. Blukhintseva and M. A. Oboienakaya. *Biotchim. Fiziol. Kanchubonskaya Kaseni* 1939, No. 3, 30-43; *Khim. Referat. Zhur.* 1940, No. 3, 40.---The content of rubber is comparatively low in the upper part of the root. It increases to its max. in the 18-25-cm. zone, after which it decreases slowly. No definite correlation was observed between the wt. of the root and the content of rubber in the 1-year plant.

W. R. Henn

COMMON ELEMENTS

OPEN MATERIALS MODEL

ASS-31A METALLURGICAL LITERATURE CLASSIFICATION

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EXHIBIT ONE ONLY 151

PROCESSES AND PROPERTIES INDEX

11D

CA

The anatomy and microchemistry of kok-saghyz. I. I. Blukhintsev. *Biokhim. i Fiziol. Kauchukostroyeniya* 1939, No. 2, 66-70; *Khim. Refrat. Zhur.* 1940, No. 2, 40; cf. *C. A.* 33, 2039P. --Rubber appears in the roots of kok-saghyz on the 1st day after germination. During vegetation the content of rubber in the roots increases and the content of resins decreases. Accumulation of sugar and inulin in the roots begins during the bud-formation period and reaches its max. during the fruit-bearing period. During the initial period rubber is distributed among the whole bark of the roots, but is later localized around and between the latex vessels. Rubber is a product of secondary synthesis taking place in the roots. This synthesis is not connected directly with photosynthesis. W. R. Henn

ASB-31A METALLURGICAL LITERATURE CLASSIFICATION

AUTOMATIC INDEX

1ST AND 2ND ORDERS

COMMON ELEMENTS

COMMON VARIABLES INDEX

MATERIALS INDEX

GROUPS

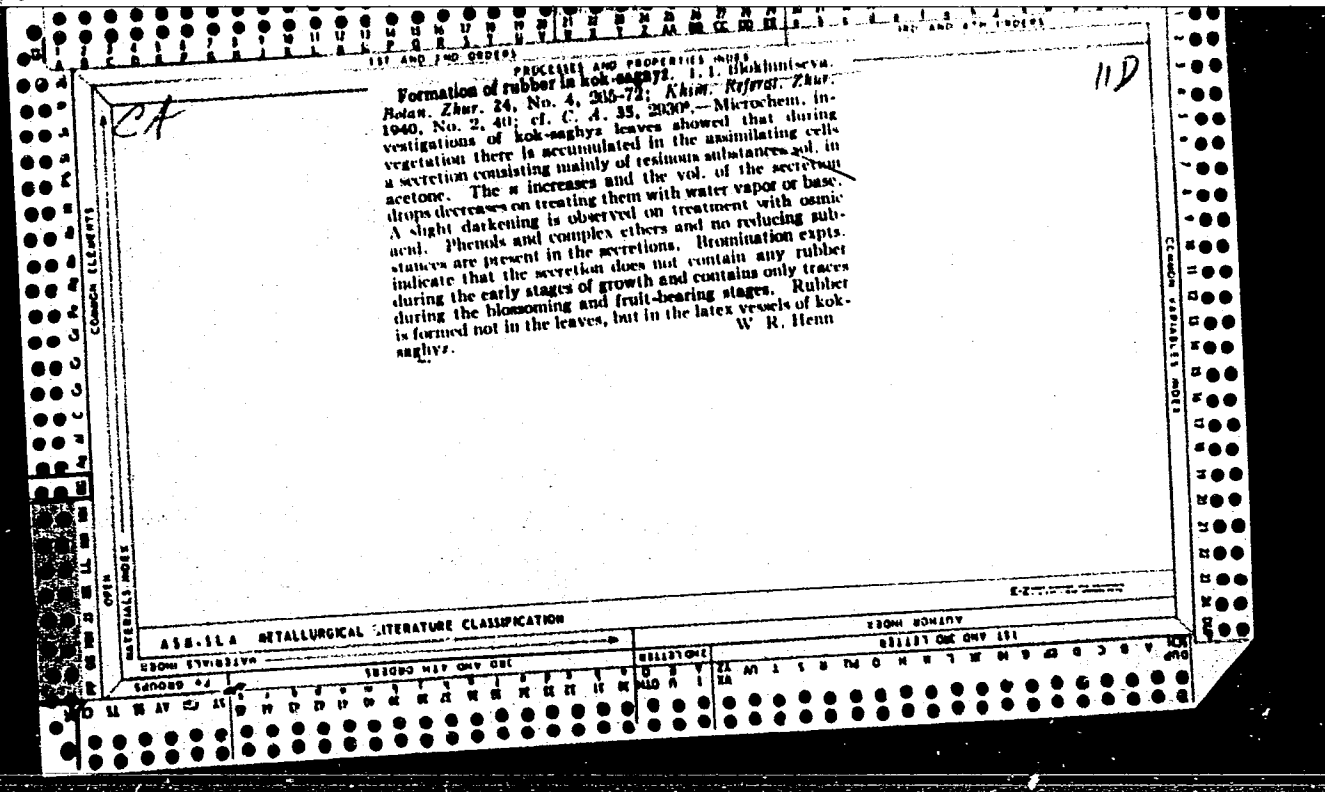
1ST AND 2ND ORDERS

COMMON ELEMENTS

COMMON VARIABLES INDEX

MATERIALS INDEX

GROUPS



110

la

Formation of rubber in kok-saghyz as a function of the latex vessels. I. I. Blukhintseva. *Bull. acad. sci. U. R. S. S., Ser. bot.* 1940, No. 4, 1008-13. In kok-saghyz (*Taraxacum kok-saghyz* Rod.) rubber is formed in latex vessels. This process has no direct connection with photosynthesis. The formation of rubber particles takes place with the participation of plastids and is confirmed by the protein membrane on the rubber particles. The greater portion of the rubber is formed and accumulated in the roots in the latex vessels of the secondary cork. During the vegetative period, the particles increase in size and the ratio of rubber to resins becomes greater. When the latex vessels cease to function, a solid rubber thread is formed in the cavity of these vessels.

B. Z. Kauch

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S.C.6.

Planting

Changes in the rubber particles in the latex of *krim-saghit* and *kok-saghit* during growth. I. I. Bloukhshteyn (Izvestia Akad. Nauk U.S.S.R. (Biol. Ser.), 1941, No. 4, 193-204; Hort. Abs., 1943, 13, 251). The rubber particles in *krim-saghit* are at first spherical and small, but become rod-shaped and larger as the plant grows older, those of *kok-saghit* remain spherical, but grow somewhat bigger as the plant matures. The quality of the rubber seems to be connected with these changes, the rod-shaped particles producing a better rubber than the spherical particles. The presence of small spherical particles in large numbers indicates the active formation of such particles and of new latex vessels. Towards the end of the season, new particles cease to be formed and the latex begins to coagulate in the latex vessels, which gradually die, the latex in them forming into strands of rubber.

122532

1944

BLOKHINTSEVA, T.D.; VASILENKO, A.T.; GREBINNIK, V.G.; ZHUKOV, V.A.;
LIEMAN, G.; NEMENOV, L.L.; SELIVANOV, G.I.; YUAN' ZHUN-FAN
[Yuan Jung-fang]

[Eight-liter hydrogen-deuterium bubble chamber in a magnetic field] Vos'militrovaia vodorodno-deiterievaia puzyr'kovaia kamera v magnitnom ple. Dubna, Ob"edinennyi in-t iadernykh issl., 1961. 20 p. (MIRA 15:1)
(Bubble chamber) (Magnetic fields)

BLOKHINTSEVA, T. D., GREBINNIK, V. T., LIBMAN, G., NEMENOV, L. L., SELIVANOV, G. I.
YUNG-FANG, Yuan, ZHUKOV, V. A. (5)

" η^- -Meson Interaction with Hydrogen at 340 Mev"

report presented at the Intl. Conference on High Energy Physics, Geneva,
4-11 July 1962

Joint Inst. for Nuclear Research
Lab. of Nuclear Problems

BLOKHINTSEVA, T.D.; GREBINNIK, V.G.; ZHUKOV, V.A.; LIEMAN, G.;
NEMENOV, L.; SELIVANOV, G.I.; YUAN' ZHUN-FAN
[Yuan Jung-fang]; SARANTSEVA, V.R., tekhn. red.

[Interaction between π^- -mesons and hydrogen at an energy
of 340 Mev] Vzaimodeistvie π^- -mezonov s vodorodom pri ener-
gii 340 Mev. Dubna, Ob"edinennyi in-t iadernykh issl., 1962.
27 p. (MIRA 15:10)
(Nuclear reactions) (Mesons) (Hydrogen)

41436

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E039/E420

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AUTHORS: Blokhintseva, T.D., Vasilenko, A.T., Grebinnik, V.G.,
Zhukov, V.A., Libman, G., Nemenov, L.L.,
Selivanov, G.I., Yuan Jung-Fang

TITLE: An eight litre hydrogen-deuterium bubble chamber in a
magnetic field

PERIODICAL: Pribory i tekhnika eksperimenta, no.5, 1962, 51-59

TEXT: A detailed description of the apparatus is given. Essentially it consists of two coaxial cylinders, the inner space being the working volume and the outer space for temperature control. The inner cylinder is of copper to improve heat transfer and the outer cylinder, together with most of the casing, is constructed from 1X18H9T (1Kh18N9T) stainless steel. Observation ports at the ends of the inner cylinder consist of discs of JK-5 (LK-5) glass 40 mm thick and with an aperture of 280 mm. Detailed drawings are given of the expansion apparatus and the associated two stage double acting electromagnetic valve. The normal gas pressure for operating the expansion apparatus is 7 atm and the degree of expansion can be altered by changing the
Card 1/2

An eight litre hydrogen- ...

S/120/62/000/005/009/036
E039/E420

quantity of liquid in the hydraulic system. A detailed schematic layout of the gas system is shown and constructional details of the stereo-camera are given. The liquid nitrogen supply system for the radiation shield and a 24 litre Dewar flask for liquid hydrogen are also described. The magnetic field in the working volume is 12 kilo oersteds and is supplied by a standard MC-4 (MS-4) electromagnet. Preliminary cooling with liquid nitrogen must be gradual and consumes about 100 litres. Cracks were observed on the walls of the chamber when the cooling time was less than 8 hours. The time to fill the working volume with liquid hydrogen is about 3 hours and requires about 20 litres. During operation 2.5 to 3 litres/hour of liquid hydrogen are consumed. A photograph of a typical track showing the elastic collision of a π^- meson with hydrogen is shown. The chamber has been used satisfactorily for 6 months during which time 30000 stereo photographs were obtained. The expansion apparatus has performed about 70000 cycles without changing the bellows. The dead time of the chamber does not exceed 2 sec. There are 13 figures.

ASSOCIATION: Ob'yedinennyy institut yadernykh issledovaniy (Joint
SUBMITTED: December 9, 1961 Institute for Nuclear Research)
Card 2/2.

3550

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B108/B102

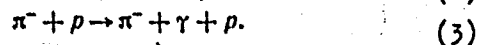
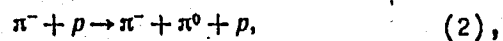
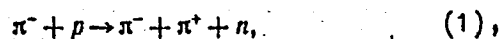
246700

AUTHORS: Blokhintseva, T. D., Grebinnik, V. G., Zhukov, V. A.,
Libman, G., Nemenov, L. L., Selivanov, G. I., Yūan Jung-fang

TITLE: Measurement of the total cross section of the (π^-p) reaction with 340-Mev π^- -mesons

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 42, no. 3, 1962, 912-913

TEXT: The reactions



have been studied at energies of the primary π^- mesons of 340 ± 15 Mev with the aid of a 25-cm liquid-hydrogen chamber in a magnetic field of 12,000 oe. The respective total cross sections were determined as $\sigma_1 = 1.24 \pm 0.14$ mb, $\sigma_2 = 0.13^{+0.06}_{-0.04}$ mb, $\sigma_3 = 0.09^{+0.03}_{-0.06}$ mb. In the

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Measurement of the total cross ...

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determination of the cross section of reaction (3) only cases where the energy of the emitted gamma quantum was higher than 100 Mev were considered. In order to obtain a representation of the contribution of the different isotopic states in the cross sections of the reactions (1) and (2), the latter are written down in the form

$$\sigma_1 = \frac{1}{9} \left[\frac{1}{5} |A_2^i|^2 - 2 \sqrt{\frac{2}{5}} \operatorname{Re}(A_2^{i*} A_1^i) + 2 |A_1^i|^2 \right] + \frac{1}{9} |A_1^i|^2 - 2 \operatorname{Re}(A_1^{i*} A_1^i) + |A_1^i|^2,$$

$$\sigma_2 = \frac{1}{10} |A_2^i|^2 + \frac{1}{9} \left[\frac{1}{2} |A_1^i|^2 + 2 \operatorname{Re}(A_1^{i*} A_1^i) + 2 |A_1^i|^2 \right],$$

where A_K^i denotes the invariant isotopic amplitudes (superscript refers to total isotopic spin of entire system, subscript denotes total isotopic spin of the system of two pions). The cross sections of the reactions (1) and (2) permit with some assumptions to infer the following about the magnitudes and phases of the isotopic amplitudes: (a) if the amplitudes

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Measurement of the total cross ...

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$A_1^{1/2}$ and $A_1^{3/2}$ are zero, then the $A_2^{3/2}$ will be considerably smaller than $A_0^{1/2}$: $3.1|A_2^{3/2}|^2 \leq |A_0^{1/2}|^2 \leq 5.7|A_2^{3/2}|^2$; (b) if it is considered that σ_1 and σ_2 are determined mainly by $A_1^{1/2}$ and $A_1^{3/2}$, then the phase shift of these amplitudes is about 180° , and their moduli are connected by the relation $|A_1^{3/2}| \approx 2|A_1^{1/2}|$. For incident pion energies of 340 Mev the maximum total energy (c.m.s.) of two pions is 400 Mev. If the case (a) applies, one may state that the pions in the energy range 280-400 Mev will interact mainly in states with total isotopic spin $T = 0$ and not with $T = 2$. Professor B. M. Pontekorvo and P. F. Yermolov are thanked for advice and discussions. There are 5 references: 2 Soviet and 3 non-Soviet. The references to English-language publications read as follows: J. Deahl et al. Proc. of the 1960 Ann. Int. Conf. on High Energy Phys. at Rochester, 1960, p. 185; H. J. Schnitzer. Preprint, 1961; B. C. Barish et al. Bull. Amer. Phys. Soc., II, 6, 523, 1961.

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Card 3/4

Measurement of the total cross ...

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X

S/056/63/044/001/022/067
B104/B144AUTHORS: Blokhintseva, T. D., Grebinnik, V. G., Zhukov, V. A.,
Libman, G., Nemenov, L. L., Selivanov, G. I., Yuan Jung-fanTITLE: Interaction of π^- mesons with hydrogen at 340 Mev.PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki, V. 44,
no. 1, 1963, 116-126

TEXT: The reactions $\pi^- + p \rightarrow \pi^- + \pi^+ + n$, $\pi^- + p \rightarrow \pi^- + \pi^0 + p$, and $\pi^- + p \rightarrow \pi^- + \gamma + p$ were studied with a 25 cm liquid hydrogen bubble chamber in a 12,000-oe magnetic field. The π^- meson beam was generated in the synchrocyclotron of the Laboratoriya yadernykh problem OIYAI (Laboratory of Nuclear Problems OIYAI), the meson energy was 340±15 Mev. 1400 two-pronged stars were found in 16,000 stereoscopic photographs. Those listed in Table 2 complied with the following conditions: (1) the angle α between the track of the incident particle and the central plane of the chamber must not exceed $\pm 4^\circ$; (2) the π^- meson track must not be shorter than 10 mm; (3) the distance between the point of interaction and the boundary of the visible range of the working volume of the chamber.

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Interaction of π^- mesons with ...

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must not be smaller than 20 mm; (4) the azimuthal angle of a negative particle must not exceed 70° ; (5) the noncoplanarity of elastic interactions must not exceed 3° . The angular distributions and the energy distributions of the secondary particles suggest an effect due to resonance of the spin with the isospin $3/2$. A steep increase of the $\pi\pi$ interaction cross section with a total isospin $T = 0$ was found by analyzing the energy distribution in the $(\pi^+\pi^-)$ c.m.s. There are 10 figures and 2 tables. ✓

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Card 2/3

Interaction of π^- mesons with ...

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	①	②	③
$\pi^- + p \rightarrow \pi^- + \pi^+ + n$	108	$1,24 \pm 0,14$	1,80
$\pi^- + p \rightarrow \pi^- + \pi^0 + p$	11	$0,13^{+0,08}_{-0,04}$	0,19
$\pi^- + p \rightarrow \pi^- + \gamma + p$	8	$0,08^{+0,08}_{-0,08}$	—
$\pi^- + p \rightarrow \pi^0 + n$	8	—	—
$\begin{matrix} \nearrow \\ \gamma \\ \searrow \end{matrix}$ π^0, π^+			
Упругое $\pi^- p$ -рассеяние	764	$7,52 \pm 0,55$	—

Table 2. Interaction cross sections.

Legend: (1) Number of events; (2) σ_{total} , millibarn, experimental;

(3) σ_{total} , theoretical.

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