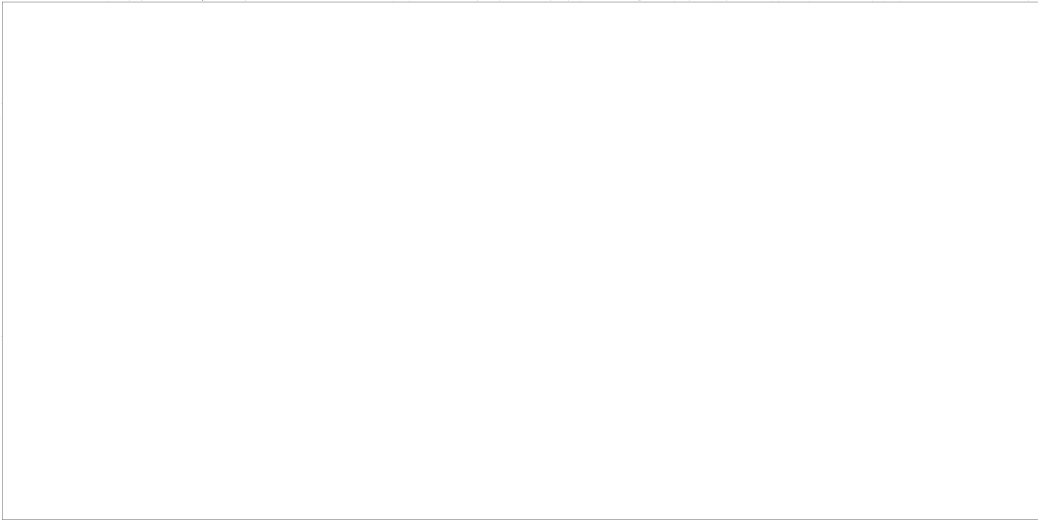


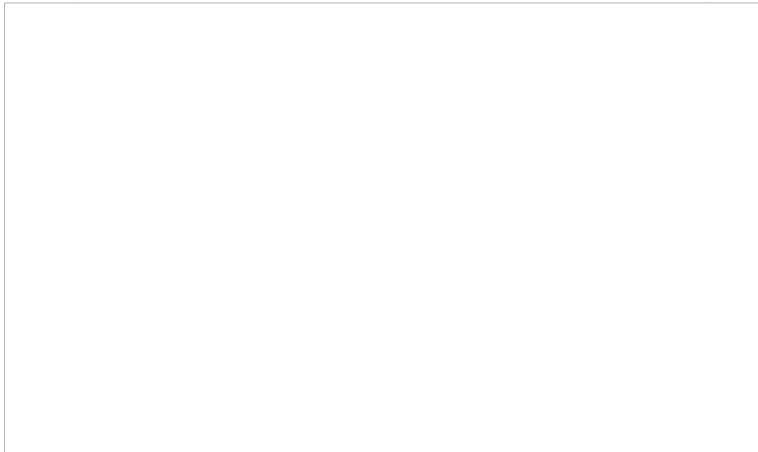
STAT



Determination of Water Discharge

Chapter X of Meteorologiya, Gidrologiya i  
Gidrometriya, M. L. Leyvikov; Moscow: 1949,  
pages 283-342.

STAT



RESTRICTED

[Insert Figure  
original back for  
the figures.]

CHAPTER X

MEASUREMENT OF WATER DISCHARGE

Methods of determining water discharge in open channels (rivers and canals) and at hydrological construction are rather numerous. They can be divided into the following groups.

1. Methods of determining discharge by measuring variables of flow on the cross-sectional area of a current.

2. Methods of determining discharge by dilutions.

3. Methods of determining discharge by measured elements contained in the profile: specific speed level; head of flow over weirs, through orifices etc.; cross-sectional area; longitudinal slope.

4. Methods of direct measurement of water discharge.

5. Indirect methods of computing water discharge by hydrological formulas.

Methods of the first group include measuring discharge by means of floats, current meters, bathymographs, limnographs; by the methods of the second group belong the chemical, thermal, and colorimetric determinations; the hydrometric formulas are applied in measuring discharge at weirs, hydrostatic flumes, etc.; to the third group belongs the "hydraulic" method of determining discharge by formula (56).



Methods of the first group find the widest use since they are universal and can be applied to currents of any size and kind. Other methods of hydrological discharge are limited in their application, depending on various conditions. Indirect methods of determining discharge are employed mainly for estimation of mean and characteristic discharges.

## 2. General Principles of Hydrological Estimation of Discharge

### Distribution and Variation of Flow Intensity in Cross Section

In different points of a cross section, the velocity of flow and the depth of the water are not the same. The greater the distance from the surface, the lower the velocity. In measurements, the surface velocity and the velocity at the bottom of the river, on the surface, or at a certain distance beneath the surface of the water. Therefore, under a frozen surface, velocity is measured near the water's surface also in winter.

When velocities of flow are taken at different depths along the same vertical line of the cross section, these velocities decrease toward the bottom. The course of velocity with depth can be graphically shown on a diagram of velocities in vertical lines of a river's cross section. These diagrams are drawn in the following way: on the vertical coordinate, depths are plotted at which measurements of velocities were taken; along horizontal lines drawn through these points measured velocities are plotted; the ends of the horizontal segments are connected by a smooth curve (Figure 78). Since the velocity at the very bottom of the current cannot be determined directly by aid of existing hydrometrical devices, the bottom velocity is determined through extrapolation of the diagram.

(that is, through prolongation of the velocity curve down to the bottom). This applies also to the velocity at the very surface of the water when it is compared with instruments which must be submerged in water.

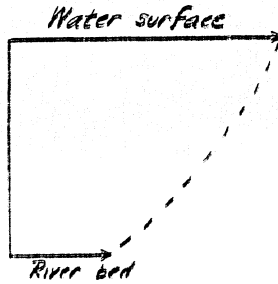


Figure 6. Velocity Diagram: River in an Open Channel

A velocity diagram for a channel covered with ice differs from the velocity diagram for an open channel; under ice cover velocities generally are very low and the velocity has a considerable under-velocity of the ice surface (Figure 7).

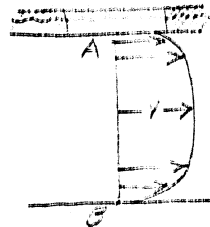


Figure 7. Velocity Diagram: River in a Channel Under Ice Cover

Besides diagrams of velocities in vertical lines, diagrams of velocities along horizontal lines of a river's cross section may be drawn. To do so, on the horizontal line representing the river's width, velocities are plotted as measured at the given depth, and the

ends of segments thus obtained are connected by a broken line or a smooth curve (Figure 30). One diagram is drawn for each depth to be depicted.

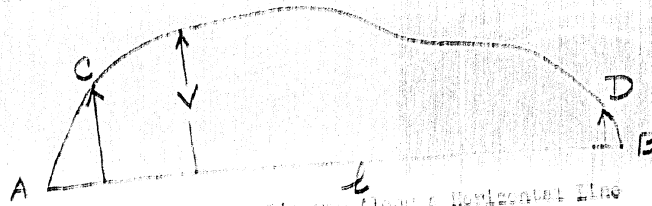


Figure 30. Velocity Diagram Along a Horizontal Line

### Equal Velocity Lines

Distribution of velocities throughout the cross section may be conveniently shown by drawing equal velocity lines. Drawing these lines is based on distribution data of velocities along different vertical lines of the cross section. Figure 31 illustrates distribution of equal velocity lines in the channel and on the floodlands of an open river; Figure 32 shows these lines for a river covered with ice. Equal velocity lines make it easy to find the direction of the general axis of a river (that is, the maximum velocity line) as well as the influence on the velocity distribution yielded by the roughness of the river's bed, by the channel's configuration, and by the ice cover.

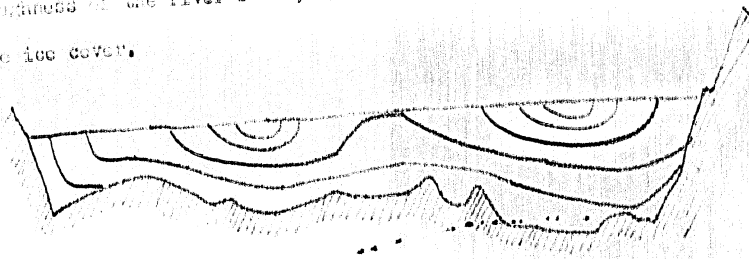


Figure 31. Equal Velocity Lines in an Open River

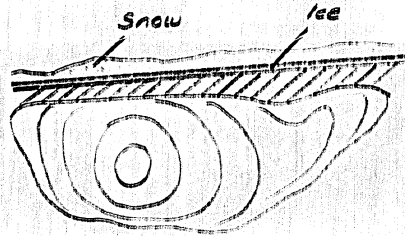


Figure 12. Equal Velocity Lines under Cover

Mean Velocity of Flow in the Vertical

For computing water discharge by measured velocities, it is necessary to know the mean velocity of flow in different verticals. This allows the determination of partial discharges for cross sections in the verticals. By adding the partial discharges, the amount of the total discharge in the whole of the cross sectional area is then obtained.

The mean velocity in a vertical is the arithmetical mean of velocities at all points of the vertical.

For determination of the mean velocity in a vertical, it is sufficient to measure velocities at the following five points: (1) at the surface; (2) at 0.2H; (3) at 0.6H; (4) at 0.8H from the surface; and (5) at the bottom. H here means the full depth along the given vertical.

With the five-point method, the mean velocity in a vertical is computed by using the equation:

$$v_{mean} = \frac{v_{surf.} + 3v_{0.2H} + 3v_{0.6H} + 2v_{0.8H} + v_{bot.}}{10} \quad (52)$$

Derivations results are also obtained with the three-point method by using the equation:

$$v_{mean} = \frac{v_{0.2H} + 2v_{0.6H} + v_{0.8H}}{4}, \quad (13)$$

results are also obtained by using the equation:

$$v_{mean} = \frac{v_{0.2H} + v_{0.6H}}{2}, \quad (14)$$

where  $v_{mean}$  is the mean velocity in the vertical;  
 $v_{0.2H}$ ,  $v_{0.6H}$ ,  $v_{0.8H}$  are velocities at respective points of depth beneath the surface;  
 $v_{surf}$  is the velocity on the surface;  
 $v_{bot}$  is the velocity near the bottom.

Numerous observations have shown that the velocity at a point which is 0.6 of the total depth ( $0.6H$ ) is approximately the mean velocity in the vertical, that is,

$$v_{mean} = v_{0.6H} \quad (15)$$

This evidence is of great practical importance, since to determine the mean velocity in a vertical it is sufficient to measure velocity at only one point. For example, at a 1.5 meter depth the mean velocity in the vertical may be approximated by one measurement at a point 0.9 meter beneath the water surface.

Since determination of the surface velocity can usually be carried out most easily, correlation between the surface velocity



and the mean velocity in the vertical is of much interest. In general this correlation is expressed by the equation:

$$v_{mean} = K v_{surf} \quad (56)$$

where  $v_{mean}$  and  $v_{surf}$  are the mean and the surface velocities respectively;

$K$  is a coefficient which is usually estimated at 0.85, and according to different investigations may vary from 0.76 to 0.84.

Equations (52) through (56) for mean velocity refer to an open channel. In an ice-covered channel, equation (51) is to be supplemented as well as the following equations:

$$v_{mean} = \frac{v_{surf} + 2v_{0.2H} + 2v_{0.4H} + 2v_{0.6H} + 2v_{0.8H} + v_{bot.}}{10} \quad (57)$$

$$v_{mean} = 0.85 v_{0.5H} \quad (58)$$

or

$$v_{mean} = 0.85 v_{0.1H} \quad (59)$$

#### 51. MEASUREMENT OF DISCHARGE WITH FLOATS

Determination of water discharge with floats consists of measuring velocities of a cross-sectional area by means of floats and soundings. There are two kinds of floats: surface and submerged; the former give the surface velocity; the latter the velocity

at the given depth of the vertical.

#### Measurement of Velocities with Surface Floats

Surface floats for measuring velocities usually are made of wooden discs cut from dry logs. Diameter of the discs ranges from 10 to 25 centimeters; their thickness from 5 to 6 centimeters. For visibility, floats are painted white or bright red; sometimes they are provided with small flags. Observations with floats must be made only in calm, windless weather. In order to decrease the influence of even a slight wind on the float's movement, the float must project above the surface as little as possible.

The method of determining flow velocities with floats consists of the following: along each of the observation lines (the main as well as the upper and lower auxiliary observation lines), three stakes are fixed, two of them on the side of the river from where floats are to be observed, and one on the opposite side. Above the upper observation line one more auxiliary observation line is fixed; this is called the starting line. The distance between the starting and the upper observation lines must be such that the float will accelerate to the velocity of the current before it crosses the upper observation line; the swifter the current the greater this distance must be. Usually it ranges from 5 to 20 meters. The distance between the upper and the lower observation lines must be chosen ~~so~~ that at its maximum speed the float will cover that distance within 25 or 30 seconds.

After the observation lines have been fixed, soundings are taken along them (with the exception of the starting line). It is

important that the width of the river and the depths along all three lines be approximately the same, since velocity measured with floats refers not to the observation lines but to the whole reach between them, which has to be, therefore, as uniform as possible.

After soundings have been completed, floats are put into action. The distance between the upper and the lower observation lines as well as the time of the float's transit between these lines being known, the mean velocity of the float's movement may be computed by using the equation

$$v = \frac{L}{t}, \quad (50)$$

where  $v$  is the mean velocity of flow in meters per second, conventionally referred to each point of the main observation line which no float was passing;

$L$  is the distance between the upper and the lower observation lines;

$t$  is the time in seconds of the float's passage from the upper to the lower lines.

Measurement of velocities by means of floats is performed by several observers. With a small river, especially when spanned by a cable or rope, two observers will suffice, one of them to release floats at the starting line, and the other to observe their course by walking down the bank ahead of them and retreating with a stop watch the times and points at which the floats pass the three observation lines. With wide rivers, four or five observers are necessary, one of them to release floats from a boat at the starting line, another (by aid of a cable or by taking bearings) to note the



points and the rest of the crew to signal the moment at which the floats pass the lines.

Flood movement is influenced by various factors: velocity and direction of the wind; shape of the float, its volume, and weight; immersion, etc. Therefore, at the time a given release is made, several floats are set free; one point is taken when they pass their respective float marks, then a float is recorded at the point it passes the observation line unobserved, it is disregarded and another float is released in its place.

When floats are released, they are distributed as evenly as possible across the width of a river, but not necessarily in equal intervals. The floats are placed at various points of current cross-sectional discharge, and at the river banks. This is done to obtain a picture of the conditions occurring at the various level-water points.

Computation of float discharges

Flow velocities measured with surface floats represent the value of surface velocities at respective points, or verticals, along the observation line. Water discharges computed from velocities measured by floats are called float discharges.

Computation of float water discharges is effected in the following way. A drawing is made of the river's cross section along the observation line for the stage level at the time velocities were being measured (Figure 53). On the water-level line are

and the surface points are then connected; and from these  
 points values of current and velocity measurements are plotted on  
 a graph. The data points so obtained are connected  
 by a broken line, which is then replaced by a smooth curve running  
 through most of the points or in close proximity to them. Since  
 at the river bank the velocities are equal to zero, the curve is  
 sloped at one end of the horizontal line representing the water  
 level. A smooth curve with upward bulge obtained in this way is  
 called the velocity curve. The vertical lines representing the  
 water level (parallel velocities) are then extended upward until  
 they meet the velocity curve. In figure 83, for example,  
 the lines *ad* and *bc*, representing water level, meet at points *a*  
 and *b* on the velocity curve. By drawing a vertical line between  
 the distance between the assumed points and the velocity  
 curve, the area *abvg* is formed. This is done for each  
 velocity and the partial areas are called *abvg*. The discharge  
 is, partial water discharge for the area under each vertical  
 area is computed. The same kind of computation is done for the  
 adjoining partial area, and so on. By adding up all the partial  
 discharges, the total discharge through the cross section area  
 is obtained.

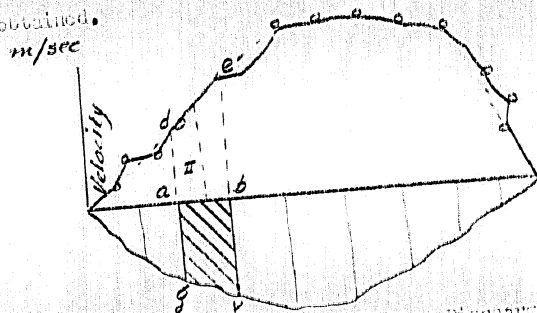


Figure 83. Computation of Flow Discharges  
 I — Velocity measured by floats  
 --- Finally assumed velocities  
 II Mean velocity for area *abvg*

The discharge equation in this case is called "Manning's",  
since the velocity of flow are always higher than mean velo-  
cities in the channels. For uniform and steady discharge, the  
discharge equation is  $Q = KQ'$ , where  $K$  is the conversion coefficient  
from the discharge in the channel to the discharge in the pipe.

$$Q = KQ'$$

where  $Q$  is the actual discharge;  
 $Q'$  is the discharge in the pipe;  
 $K$  is the conversion coefficient (usually equal to 1.0).

For a given discharge, a series of measurements of surface velocity  
velocities is made at several points in the pipe. The mean  
discharge velocity is determined from the mean of the surface  
velocity conditions is computed.

Determination of Mean Discharge by Two-Float Method

On small rivers with strong current (on stream in rivers)  
measurements in open water has to be done within a short time  
interval. Therefore, measurements are confined to determining the  
maximum surface velocity. For this purpose, two floats are  
cast into the middle of a river. The two floats covering the  
distance in the short of time are used in computation, provided  
the difference between their times of passage does not exceed 10  
percent. The mean time of these two floats is taken to be the  
maximum surface velocity of the current.

To convert from the maximum surface velocity to the mean

velocity through the whole cross-sectional area, coefficient  $K_0$  is used; its value is determined by use of empirical formulas. Of these formulas, the following one is employed most often:

$$K_0 = \frac{v_{max} + 2.354}{v_{max} + 3.129} \quad (12)$$

where  $v_{max}$  is the maximum surface velocity, in centimeters per second.

When the method described above is used, there is no need to determine the depth at which floats pass the observation time, and consequently no necessity to open the screen or grille.

Empirical coefficient  $K_0$  is simplified also. This value can be obtained by multiplying the area of the cross section of the mean velocity for the whole cross section (which is equal to  $v_{mean} = K_0 v_{max}$ ).

### 3. Emergent Floats

Floats used to measure the velocity of flow at a given depth are called submerged floats. A submerged float consists of two parts -- one surface float and a second one connected to the first by a rope or light cable and submerged to the desired depth (Figure 8b). Submersion depth is considered to be the length of the rope or cable; rope length can be changed so as to have measurements at any given depth; usually it is fixed as 0.5H of the vertical in which velocity is being measured. This makes it possible to obtain immediately the mean velocity in a vertical. Best results are obtained with so-called double floats consisting of two parts of equal weight and volume (Figure 8h, ke and if).



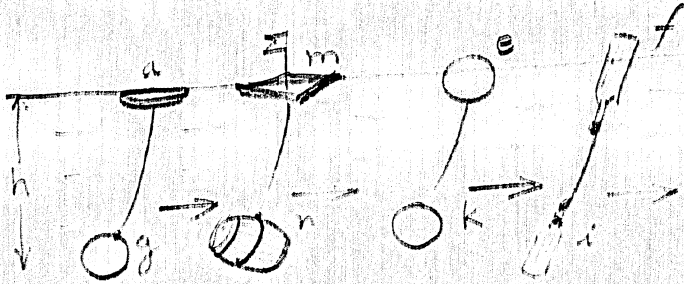


Figure 11. Submerged Floats

To determine velocity at the immersion depth of a double float, a regular surface float is released first and followed by a double spherical float attached to 0.6H depth. Measurement of velocity of submerged float is carried out by the usual means. Velocity of a double spherical float equals the arithmetic mean of the measured surface float velocities, that is,

$$v_{dbl} = \frac{v_{surf} + v_{subm}}{2} \quad (93)$$

where  $v_{dbl}$ ,  $v_{surf}$ , and  $v_{subm}$  are velocities of the double, the surface, and the submerged floats respectively.

From equation (93) we have:

$$v_{subm} = 2v_{dbl} - v_{surf} \quad (93a)$$

Since the submerged portion of the double float was at 0.6H depth, we may write  $v_{subm} = v_{0.6H} = v_{mean}$ .

Value of the mean velocity in a vertical having been computed by aid of equation (93a), partial discharges for different adjoining

partial cross sectional areas may be obtained, and subsequently, the total discharge for the whole cross section may be found.

#### Integrating Floats

If a small wooden ball be attached by a thread to a rope which runs through a ring at the water end of a wooden pole or spar, and if the pole or spar is lowered to the river bottom and the rope pulled, the thread will break and the ball will be released and almost instantly moving upstream and to the surface. Since its course passes through all the different depths of the current, the ball acquires a velocity equal to the mean velocity of the flow in the respective vertical. The time between the moment of the ball's release and that of its emergence on the surface, the mean velocity in a vertical may be computed by use of the equation:

$$v_{\text{mean}} = \frac{L}{t}, \quad (9h)$$

where  $L$  is the distance between the point of the float's submersion and the point of its emergence;  
 $t$  is the time from the moment of the float's release at the bottom to its appearance on the surface.

Lengths, floats just described are termed integrating floats.

Let us assume that, in still water, an integrating float travels from a depth  $h$  to the surface with a speed  $v_0$ . In the time  $t$ , when the float took to emerge on the surface, it would have covered, in still water, a distance  $h = v_0 t$ , from which  $t = \frac{h}{v_0}$ . After substituting in equation (9h) the expression  $\frac{h}{v_0}$  for  $t$ ,

no level:

$$v_{\text{mean}} = \frac{L \cdot v_0}{h} \quad (25)$$

In which  $L$  has the same meaning as in equation (9);  
 $v_0$  represents the velocity of egression from a depth  $h$  in still water;  
 $h$  is the depth from which the float emerges from still water with the velocity of egression was measured.

Thus, if the velocity of egression from still water and the depth from which this egression took place have been determined beforehand from given observations, it is not necessary to take any measurements of the water motion with such a float. It is sufficient to measure only the distance  $L$  over which the float is carried downstream by the current.

Computation of water discharge by velocities measured with an integrating float is effected in the same way as that by velocities measured with a double subsurface float.

#### General Remarks on Measurements of Water Discharge by Means of Floats

Measurements of water discharge by means of floats do not require the use of complicated devices, thus permitting this method to be employed under any circumstances. Provided that certain rules and procedures are followed, the float method may produce sufficiently exact data. Float discharge computed for small and swift

currents on the  $S_{10}$  basis of the maximum surface velocity may result in an error not exceeding 10 to 15 percent of the actual discharge. Accuracy of determination of discharges by means of surface floats generally lies within 8 to 15 percent; with integrating floats -- within 5 to 6 percent.

Subsurface floats are seldom used. Integrating floats may be employed for measurements of very low velocities of flow.

### 22. MEASUREMENT OF VELOCITIES WITH CURRENT METERS

The current meter is the most accurate and most widely used device for measuring velocities of flow of water. The operating principle of the current meter consists of the following: If a horizontal shaft which can rotate on a stationary bearing is provided with attached vanes like those with windmills or of spiral form, and such a device is placed in a stream so that the current will exert circular pressure on vane surfaces, the vanes will begin to rotate with some velocity. The rotation speed of such a shaft with attached vanes depends on the velocity of the current. Relating speed of the vanes may be used for measuring the velocity of a current, hence the designation current meters.

#### Construction of Current Meters

A current meter (Figure 45) consists of three principal parts: vanes, or blades, *A*; body, or housing; *B* with a computing mechanism; and tail *C*.



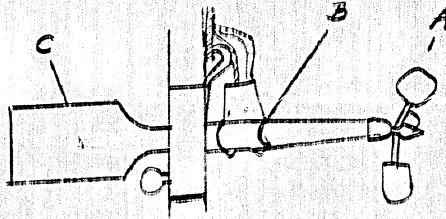


Figure 1. Current Meter

Vaner of the current meter consists of specially bent blades which are attached to the shaft by a screw or directly to the hub.

Blades of various sizes from 4 to 50 centimeters in diameter. Blades of larger size revolve more smoothly than those of smaller diameters. However, they are inconvenient for use. Blades of various sizes for specific velocities are joined along to the surface of the vaner. Vanes are adjustable, and with steel tipped of current meters are independent.

At the shaft, on the vaner side, the shaft of the current meter passes through ball bearings in order to reduce friction; for the same reason, the shaft is made as long as possible.

The principal requirement for constructing the body of a current meter is that its shape should be streamlined so that it will disturb as little as possible the natural flow of water in which the current meter is immersed. The body of the current meter serves to house the ball bearing, the revolution counter, and other mechanisms.

As a means of determining the revolving speed of the current

meter vanes, a contact device is employed (Figure 86) whose working principle consists of the following. Near the shaft pivot, a worm gear Z connects the shaft with a gear wheel 2. This wheel is provided with several pins a. As the wheel rotates, each of these pins alternately makes contact with the layer 4 which carries the electric current supplied to the body of the current meter from a dry battery. Coupling the electric equivalent circuit, convenience (electric self, meter, components), by counting the signals (regarding a certain number of revolutions of the vanes, and by using such a step which the number of revolutions of the wheel per second. For each revolution, the correlation between the values of flow and the revolution speed, the number of pins a, the number of revolutions of a current meter, the values of flow per second. Sometimes the automatic revolution counter or a recording device is used to count the signal; in such a case no direct counting of the revolutions is necessary in order to measure velocity.

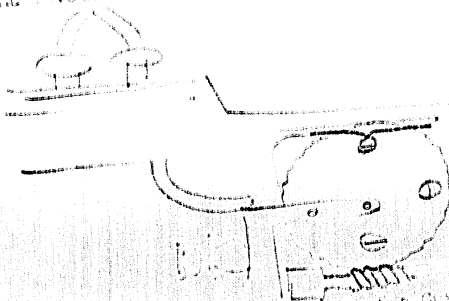


Figure 86. Contact Device of a Current Meter

By varying the number of pins on the wheel 2, it is possible to secure contacts after any desired number of revolutions of the shaft (of the vanes).

besides the contact device just described, some other types  
are in use (for instance, in form of a mercury drop point,  
within a small revolving drum).

The complete contact device is usually hermetically sealed  
within an oil-filled chamber to protect the contact from oxidation.  
The chamber is mounted on a float which is suspended in a  
pool of water -- the contact device is submerged.

To maintain the current meter at the required depth, two  
methods may be employed: the current meter is either fixed to a  
pole, that is, to a vertical measuring rod that extends against the  
water surface, or is hung from a cable.

When used on a pole, the current meter is provided with a  
hook between body and cell attachment and the pole is passed through  
the current meter set screw; <sup>on a</sup> ~~the~~ current meters are held from the  
water by the set screw; ~~the~~ <sup>on a</sup> ~~the~~ purpose of preventing the device from being carried away by the  
current. Some types of current meters can be used both ways, that  
is, fixed to a pole or hung from a cable. Such meters are called  
universal current meters. An intermediate type between the thrust-  
pole and the cable types is a current meter which is permanently  
fixed to the lower end of the pole and moved with it up and down  
in the water.

When a thrust pole is employed, the current meter is fixed  
at the desired depth by means of set screws; large thrust-pole  
current meters are held at necessary depths with a cable or a rope.

The lower end of the thrust pole is provided with a round or cross-shaped bottom plate to prevent the pole from sinking into the river bed (Figure 67).

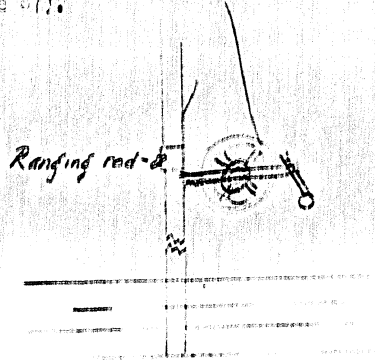


Figure 67. Thrust pole with bottom plate, depth indicator, and ranging rod.

To avoid frequent adjustment of the current meter for re-adjusting it to varying depths, a device called a which is sometimes used. At the top of the pole, a pulley is attached through which a cable of 2 or 3 millimeters in diameter is passed. One end of the cable is connected to the current meter; the current meter can be lifted by means of a small winch, or gradually lowered by releasing the cable. To facilitate sure movement of the current meter along the pole, the latter is provided with a guide rail, and the body of the meter is grooved to fit the track. The drum frequently carries an indicator dial graduated so as to show the immersion depth of the meter. The reading of depths is effected in the following way: after the pole is set up, the current meter is brought into such a position that its axis lies on the water surface; then the hands are set at zero so that as the meter is lowered the depth of immersion can be read directly



from the ship. Such a line is called the depth indicator. In the absence of such an indicator, the required intercession depth of a current meter can be read directly from the cable by marking it at the necessary intervals.

Mounting poles are provided with a protruding wide or rounded end which allows the horizontal axis of the current meter to be set in any desired direction (e.g., laterally to the observation line). The mounting pole consists of a short horizontal tube whose axis is perpendicular to axis of the current meter. To set by the current meter correctly, the rounded end must coincide with the observation line.

Mounting poles are fastened to the observation platform (bridge, pontoon) by means of blocks or grips. For use in lowering and lifting the suspension pole with an attached current meter, the following is used (Figure 88).

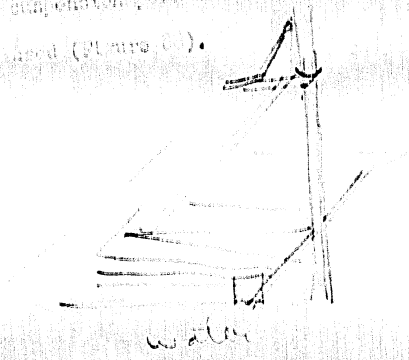


Figure 88. Current Meter on a Suspension Pole

operating the pole becomes difficult at depths over 3 meters; in these instances, the current meter is lowered by means of a cable. Lowering and raising a current meter by use of a cable can be carried out either by hand (with very light current meters) or by means of a

special winch with a depth indicator (Figure 89). Since the bob must be fixed at a distance not less than 0.3 or 0.4 meters from the body of the current meter, current meters cannot be conveniently lowered by cable to considerable depths. However, there are types of bobble-held current meters which are prevented from drifting by use of a special guiding cable that eliminates the necessity of nets.

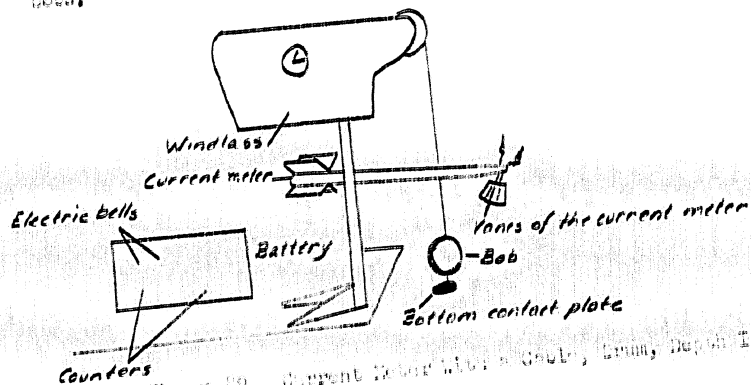


Figure 89. Current Meter with a Gear, Drum, Depth Indicator, and Revolution Counter

The tail part of the current meter represents a guiding device which keeps the meter headed into the current. The tail part usually consists of a vertical plate screwed to the housing of the meter.

All the essential parts of the current meter (vanes, housing, and tail) are made of a non-oxidizing metal.

#### Equipment for a Current Meter

For the operation of current meters, certain additional equipment is necessary. The above described holding contrivances

(poles, cables), a stop watch, and electrical apparatus must be included with the equipment of an electric-signal current meter.

A stop watch is a pocket watch with a six second hand. Most finely made stop watches have dials graduated by 0.2 seconds from 0 to 60 seconds. Minutes are read from an additional small dial.

Stop watches must be regularly checked.

The electrical equipment of a current meter consists of batteries, cable, and signaling devices.

In operating the current meters, batteries of dry or semi-dry cells are employed. The battery and cell (whistle, telephone) are kept in a small box.

In signaling devices, insulated wires are used which are stretched together in an especially constructed cable or remain loose (which is less convenient). A double cable consisting of two separately insulated strands enclosed in a joint insulation is usually employed. In cable-held current meters, a four-wire cable of 7.5 millimeters in diameter is also used, and functions simultaneously as a support for holding the meter. One-strand cables of about 2 millimeters in diameter are also in use. The cable must be checked before using. This is done by the usual method of checking electric wiring. Non-insulated cables or poles serve as return wires.

Of the signaling devices, the telephone has the advantage of being operable with low current; this is especially important in case of open contact, since the latter is quickly oxidized by a



high current. Relays get out of order less frequently than electric bells.

In case of electric bells, electric revolution counters are sometimes employed in current meters.

One of the latest developments in water current meters is the anemograph (Figure 20), which registers the revolving speed of the meter elements only with resistors and a dial. This device is employed only in theory and precise research.

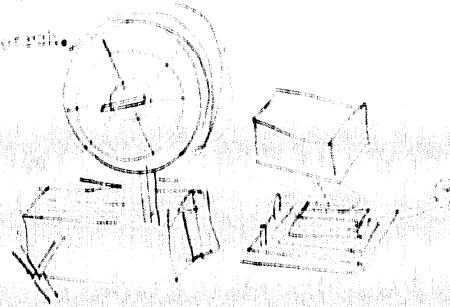


Figure 20. Anemograph

#### Types of Current Meters

There are many different systems of current meters. On the whole, they can be divided into two groups: (1) those with horizontal shafts, and (2) those with vertical shafts.

The general construction principles of current meters with vanes revolving on a horizontal shaft have been described above.

In the USSR, of current meters with horizontal shafts most widely used, are the Zhestovskiy's current meter, the IAW current meter, and others.

The Soviet current meter of the Zhestovskiy model (Figure 21) has a light, compact shape. A special feature of this current meter



is the completely water-tight insulation of the contact device (chamber) and the ball bearings which are placed within the inner housing 1 of the hub of the screw-vane 21 and set on the common shaft firmly fixed within the body of the meter. The housing 1 is filled with vaseline oil.

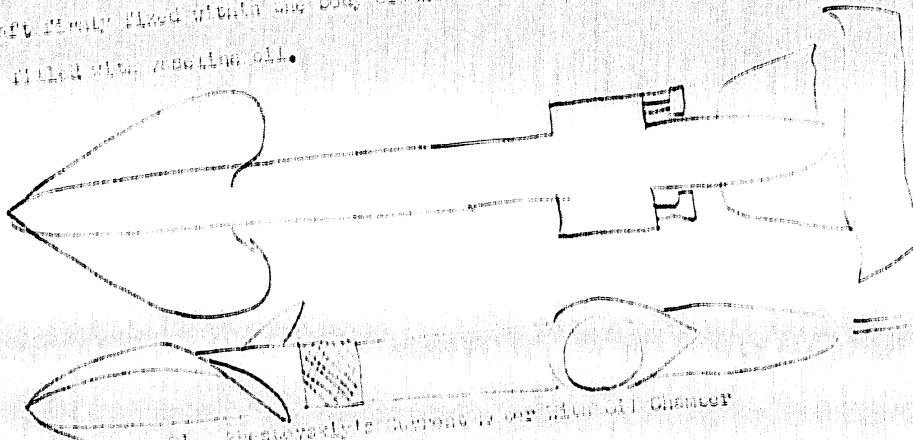


Figure 21. Schematic diagram of the contact device

The chamber is supplied with electric current through the terminal 2 which is insulated from the meter body by an ebonite bushing 3; the current then enters the receptacle pin 4, which also has ebonite insulation 5. Into the socket 5 is inserted with slight friction, the pin 6, which, in its turn, is insulated from the shaft 7 by the ebonite bushing 8. The shaft 7 has a drilled hole through which a thin copper rod 9 connects the socket 6 with the contact chamber 10; one end of the rod is fixed in the ebonite bushing 11 and has a drilled hole for driving the screw 12, which clamps the contact spring in form of a thin silver wire 13. The free ring of the spring slides over the ebonite roller 14, which has its axle 15 aligned with the cogwheel 16. The cogwheel has 20 teeth and a contact pin 17, whose free end rests on the rim of the roller 14. This type of construction provides for one contact after each 20 revolutions of the vane 21; these signals are transmitted

to the contact 14 via the inner work thread 15 of the detachable ring 19, which is rigidly inserted into the cylindrical sleeve 20. The latter is the wheel of the vane in form of the contact 22. The contact 22 is made of a special material 23.

This vane is a non-linear inductance element. It is used for measurement of current in a wide range of frequencies: for low and high velocities, at low and high currents, vertically on steel and on loose wires, in water and in clear water, and at various various velocities.

The characteristics of this current meter is the simplicity of its construction, which calls for extreme care in handling.

The current meter patent with international rights, is Soviet Union Patent (developed by the Institute of Scientific Research of the Academy of Sciences of the USSR) and the USSR Patent of the Academy of Sciences of the USSR (developed by the Institute of Scientific Research of the Academy of Sciences of the USSR).

The LAG current meter (Figure 22) is universal. It consists of a body, a vane with shaft, a contact device, and a coil. The vane of the current meter are of a special type; they are made of a special material and are mounted on a special shaft.

Figure 22. LAG Current Meter

The 1100 meter has a cast brass housing with a narrow cylindrical front part 1, where the stator with vanes is fixed. The terminals 2 and 3 are situated on the upper part of the housing, the first of them being insulated from the housing by means of the ebonite capring 10. The lower part of the terminal 2 has the end of a screw 11 and enters from above the contact chamber 12. On the screw 12, the contact 13 is fixed. The contact 13 is made of silver, section 14. The chamber contains a plate 15, on which the stator's 16 contact is mounted. The electrical part 17 has the contact 18.

The contact chamber 12, which is equipped with metal shielding, is made of ebonite, the 19 is in an ebonite body.

The stator of the current meter is detachable; its front part is insulated from the ebonite body 1 and is made of ebonite.

Because the non-harmful current meter provides the records of the signal and the total current consumed, the IAW current meter cannot be used in cases where a large amount of high-voltage current. The meter is employed for currents velocities over 2.8 meters per second.

The design for measuring instantaneous velocities and currents includes small current meters with open contacts (so-called "rocket" meters, handy for preliminary research). A special feature of these current meters consists in protective ribs and a metal ring which shield the vanes (Figure 93), as well as in signaling after each 50 revolutions.

Figure 21. Current Meter Lens with Horizontal Shifts.

of David current meter with vertical shifts, and that which  
show the lens mechanism in the current meter's indication re-  
sponse mechanism during (usually the indication of meter response  
-- (1)) in a current meter. The lens is a thin, flat, circular  
piece of glass or plastic, and is divided into three  
sections in very small, equal, rectangular, and circular  
sections.

The lens is divided into three parts: the head, the stem,  
and the tail (Figure 21). The head portion contains a circular  
frame 1 with the vertical window 2 for inserting the vertical  
scale, which is received together from the parts: the upper 3 and  
the lower 4. Between the lower two points, the horizontal frame  
5 is attached to the lens with three screws (rubber  
with six funnel-shaped lens 6, which perform the same function as  
the ones in current meters with horizontal shafts.

Figure 21. IMA Current Meter



The lower portion of the shaft has a depression on the top  
 on the part of a small diameter 1 which is supported by  
 a ball bearing 2 with a thin bearing 3 which rests on the stationary  
 part of the metal shell 4. The lower part of the shaft  
 is 5 which is fixed to the stationary 6 by means of the screw  
7. The 8 is inserted into the cavity 9 to prevent  
 the pin 2 from rotating with the shaft of the turbine and  
 raised a little above the pin. This is effected by unscrewing  
 the capring 10 from the washer 11 which has a left thread on its  
 outer surface.

The lower part of the turbine is fastened with the screw  
12 and is connected in the same way 13 which is connected with the  
 contact chamber 14 and is connected to the contact 15 which has 20  
 teeth and one or more contact pins. The terminal 16 is insulated  
 against 17. A non-insulated terminal 18 is placed in the rear  
 portion of the frame. The contact chamber is protected from noise  
 of the hood 19, which has a screw cover and is provided with a  
 leather pad.

The TVM current meters are universal.

In recent years, wide use has been made in the USSR of  
 Bakhtirev's current meter which is an improvement of the TVM  
 meter. A special feature of Bakhtirev's current meter consists  
 in the fact that its ball thrust bearing and contacts are in-  
 sulated. Bakhtirev's current meter is noted for its length

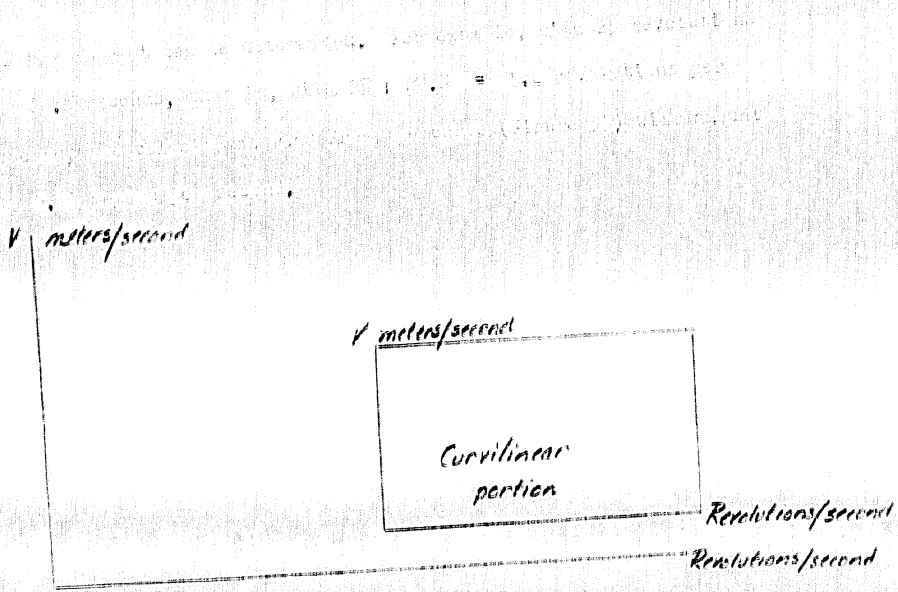
of service without the need for overhauls. The number of ampere's current meter must be about 1000 - 1500 amp.

#### Rating of Current Meters

In order to use a current meter for service the current velocity, it is necessary to know the relation between the revolutions per second and the velocity of the current. This relation is obtained in a special test termed "rating." Because in wind-tunnel current meters it is impossible to secure absolutely identical operating conditions and the friction of the operating parts, each meter must be rated individually to determine its rating curve. Current meters must also be rated periodically because the bearing can wear out with long service, and the relation between the rotation speed of the vanes and the flow velocity of water subsidence.

In establishing a rating, the meter is moved through still water at different velocities and the rotation speed of the vanes at each velocity is determined; this operation is repeated for a number of velocities, from the lower (starting with 0.1 meters per second) to the upper velocities for which the device in question was constructed (usually up to 3 or 4 meters per second).

If the revolutions per second of a current meter be plotted along the horizontal axis, and the corresponding velocities along the vertical axis of a graph, the smooth curve connecting the plotted points will graphically represent the relation between these data. Such a line is called a rating curve. By aid of this curve, the rotation speed of the vanes being known, the velocity



... meters per second; when these values are plotted  
 against the starting time. In Figure 10, the curvilinear portion  
 of the velocity curve is shown as a dashed line. The  
 curve is a large circle. The curve has a curvilinear portion  
 which is shown as a dashed line. The curve is not  
 a straight line. The curve is not a straight line.  
 other rotating parts. To make the current meter revolve, some  
 minimal current velocity <sup>is</sup> necessary, which is called the starting  
 velocity, or the sensitiveness, of the meter. The value of the  
 starting velocity is shown on the rating curve by the segment of  
 the vertical axis between the origin of coordinates and the  
 intersection of the axis with the curve. During further increase

in velocity, the resistant forces continue for some time to noticeably affect the rotation of the vane; but gradually this influence decreases and finally becomes quite inconsiderable; this reduction results in the straightening of the curve from a given velocity, whose value is also defined by the particular current meter. For current meters of the same type (and of the same size), the sensitive-ness and the velocities at which the working curve becomes a straight line approach each other but never coincide completely. The curved-portion of the working curve may be substituted for by a corresponding segment of broken line.

Most often, the working curve is represented in form of a curve within the limits of equations which are called current meter equations. To each current meter, there usually corresponds such equations: one for the velocity of the meter for the rest of velocities. Current meter equations have the following form:

$$a) v = an + \sqrt{bn^2 + v_0^2}, \quad (9)$$

$$b) v = v_0 + kn, \quad (10)$$

$$c) v = kn, \quad (11)$$

where  $v$  is current velocity in meters per second;  
 $n$  is revolutions per second of the vane;  
 $a, b$  and  $k$  are constant coefficients of the current meter;  
 $v_0$  is starting velocity.

From current meter equations (9) and (10) it can easily be seen that, when  $n=0$ , the value of  $v=v_0$ , that is, the starting velocity.



The simplest current meter equation  $V_{\text{max}}$  applies only to the case of a rotating current meter when  $\alpha = 0$ , the velocity of rotation being constant. It is possible, even with a rotating current meter, to determine  $V_{\text{max}}$ .

When a rotating current meter is used, it is set up in a rating basin; this is simpler to use than a basin of rotation. A portion of a rating basin is shown in Figure 3. In a rating basin the rating curve of the current meter is shown (Figure 3).

TABLE 32  
RATING TABLE

Rating of current meter (meters and tenths)	Revolutions per second (hundredths)									
	0	1	2	3	4	5	6	7	8	9
0.10	0.100	0.112	0.127	0.143	0.160	0.178	0.196	0.215	0.235	0.257
0.20	0.173	0.186	0.202	0.219	0.237	0.256	0.275	0.295	0.316	0.338
and so on										

In Table 32, each column corresponds to a certain number of hundredths of revolutions per second. Thus, the velocity of 0.173 revolutions per second is to be found at the intersection of the line 0.2 and the column 3. In our case, it equals 0.173 meters per second.

Rating of current meters is made in special rating basins. There are two types of rating basins with rectilinear and with circular motion of current meters. The first type is found more often because it provides more exact data. In the USSR there are several rating basins of different types.

### Figure 2. Rating Basin

Artificial as well as natural channels and reservoirs may be used as rating basins. Rezeroing of a current meter is recommended after each 30 to 35 discharge measurements. The smaller the meter in which the meter is employed, the slower the meter must be rated. If a meter has been obviously damaged, or has received a blow or concussion without visible damage, it must be immediately replaced.

Each current meter must be always accompanied by a rating certificate indicating date and rating basin laboratory (basin); number and type of the meter; date of its latest rating; whether it was rated before or after overhauling; and equations of the rating curve.

### Current Meter Specifications

Each current meter must meet the following requirements:

a. The starting velocity of the meter must be as low as possible. The best current meters are those whose starting velocities do not exceed 0.03 meters per second. The current meters most widely used in the USSR have the following sensitiveness characteristics: Zhestovskiy's model, 0.05 to 0.06 meters per second; IVKh and Bakhteyev's, 0.06 to 0.07 meters per second; IAGU model, 0.12 to 0.15 meters per second.

b. The meter must be sturdy: the bearings must be of high

durability, that is, not wear out during long use; the vanes should not easily bend from blows which may occur during the work in water; the contacts must not wear through or burn out.

c. The mechanism should be protected against oxidation and oxidation. Insulation of the contacts is particularly important.

d. The shape and the size of the current meter must ensure as little disturbance as possible of the current flow, this can be achieved by good streamlining.

e. Important characteristics of a current meter are simplicity of construction, portability, and ease of use.

f. Other things being equal, the universality of current meters is preferable.

#### Maintenance of current meters

The current meter is an intricate instrument and demands delicate handling. It is especially important to protect the vanes and the shaft of the meter from damage because bending of these parts of the instrument distorts the measurement data.

Immediately after use, the current meter must be taken apart and cleaned. Special attention must be paid to cleaning the spring contacts and parts exposed to oxidation. If the ball bearings of a meter are made of steel, they must be removed after use, and stored separately after being greased with bone or vaseline (but not vegetable) oil; before assembling, the balls are wiped dry if

The meter is used to be used, or left slightly pressed if the current meter is not being used for a considerable time.

When the meter is used in winter, the current meter should be kept in a warm place; when working, must not be removed by striking or scraping, or by any other forceful manner. Removal of the ice on a current meter can be effected by putting it in warm water. One of the ways of preventing the current meter from freezing consists of pouring this water over it immediately after it has been taken out of water.

Usually, the current meter is stored in a box with separate covers for the protruding parts. In transit, the current meter must be protected against concussion, jolting, and twisting, or similar shocks.

The use and maintenance of the current meter should be entrusted only to a person well acquainted with its construction.

#### Measurement of Velocity with Current Meter

Measurement of current meter essentially implies measurements of flow velocity at different points of a river's cross-section. The construction principle of the current meter, allowing the meter to be lowered to different depths by means of a pole or a cable, makes it most convenient to take alternate measurements along each of the chosen vertical lines, called velocity verticals.

Velocity verticals are chosen along the width of the river at points of a sharp change of the bottom. The velocity verticals are chosen according to sounding data of the cross section. If the



which is present, and symmetrical, the velocities are distributed evenly along the entire width of the river. When the flow is asymmetrical, the velocity profile, the velocity varies across the width of the river. The velocity is highest in the center of the river and lowest near the banks. The velocity is also higher in the center of the river bed (1961: 33).

TABLE 3

TABLE 3  
VELOCITY PROFILES AT THE FIVE POINT METHOD

Point	1	2	3	4	5	6	7	8	9	10	11	12	13	14-17
Velocity														

The distribution of velocity across the width of the river on the line of flow, the range of velocity, verticals have no interest.

If the velocity verticals do not coincide with the verticals, correction must be taken when verticals are used.

At each vertical, velocity is measured at several points in order to obtain a more or less accurate value of the mean velocity for the whole vertical. Usually, this is done by mid of known relations between the mean velocity in a vertical and velocities at its different points.

For open channels, the five-point method (at the surface;



... .. (U.S.; U. H; .. ..)

... .. is carried out through ... ..

Observations have shown that in any point of a river's ... ..

The objective of this method is to measure the depth of the water at any point by... (text is faint and partially obscured)

As an indicator of the accuracy of the method, it is noted that... (text is faint)

At a velocity of	1.0 m/sec	1.5 m/sec	2.0 m/sec	2.5 m/sec
... (text is faint)	...	...	...	...
... (text is faint)	...	...	...	...

As shown with various systems, the line of action and current... (text is faint)

The order of operations in working with a current meter on... (text is faint)

... ..

Method of measurement of water level under ice cover

... ..  
... ..  
... ..  
... ..

The described arrangement of measurement with a ground meter under the cover, although somewhat similar to that in open channels, presents some differences which are stated below to ensure that the data obtained are correct. The meter is inserted under the bottom edge of the ice cover.

The direction of measurement is parallel to the river water flow and perpendicular to the ice cover. The meter is inserted at a depth of 10-15 cm. Therefore, observation time of 0.25 min must be no less than 1 minute (instead of 2 minutes as with in open channels) and, at the outer surface of the ice cover, not less than 2 minutes (instead of 3 minutes).

In order to avoid discrepancies in the readings for the same number of revolutions, the length of each observation must be increased.

The depths in a vertical under ice cover must be measured from the under surface of the ice (if the water level coincides with it). For such measurements, it is necessary to determine to



that the gross sectional area is filled with stone. If this extent exceeds 20 percent, a different observation line must be taken.

Field Work: Computation of Discharge from Determination of Velocity with Current Meter

The flow is measured by the use of a current meter through determination of velocities at points of a current meter section; description of water level above the observation line and of the nearest auxiliary level-mark point; auxiliary level-mark observation line (along the boundary and the velocity vanes); the determination of velocities at the chosen points.

Prior to a discharge measurement, the following entries must be made in the form (or in the notebook): date of measurement; location of the observation point; auxiliary level-mark point; description of auxiliary conditions (weather, wind); condition of the river bed; data about the current meter (type, model, number of revolutions of data and interval between the contacts); water level mark (traditionally before commencement of measurements).

When soundings are taken, soundings of the boundary and two velocity vanes are entered, as well as soundings of the vertical. Thereupon, towards depends of the axis of the current meter (0.25; 0.50; etc.) are computed (preferably, from tables).

In velocity measurements, the number of revolutions of the current meter's vanes as well as the stop watch readings are entered.

Computation of Discharge from Velocities Determined with Current Meters

To the usual methods of computation of discharge measured with



the current meter, the analytical, or the hydrograph, the  
 measurements, and the simplified analytical methods.

In the analytical method, the discharge is determined by way  
 of computations. In general, this method consists in the following.

The cross-section is divided into several vertical sections and  
 divided into vertical velocity verticals. For each purpose, cross  
 section, several verticals are placed in the cross-sectional area  
 between each pair of velocity verticals are computed and added up.  
 The velocity verticals are, in this case, the average velocity  
 depths and the cross-sectional area.

Mean velocities are then found for each separate vertical  
 vertical by use of empirical formulas (velocity, average velocity,  
 and orthogonal means of mean velocities for each pair of adjacent  
 velocity verticals are computed. At the river banks, the velo-  
 cities are considered equal to zero. By multiplying the values  
 of areas between velocity verticals by the corresponding arithmetical  
 means of mean velocities, partial discharges for each cross sec-  
 tional sub-area are obtained. Summing up the partial discharges  
 yields the total discharge in the cross-sectional area.

The sequence of computations in the analytical method of  
 determination of discharge by means of a current meter is illustrated  
 in Appendix A. All the hydraulic elements of a river obtained by way  
 of computations (discharge  $Q$ ; cross sectional area  $\Omega$ ; width of  
 the river  $B$ ; maximum depth  $H_{max}$ ; maximum velocity  $v_{max}$ ; mean  
 velocity in the cross section  $v_{mean} = \frac{Q}{\Omega}$ ), as well as the number of

Stations and velocity points and the number of points at which velocities have been measured, are entered on the first page of the form. Besides, the mean depth  $H = \frac{Q}{B}$ ; wetted perimeter  $P$ ; the hydraulic radius  $R = \frac{P}{P}$ ; and the slope of the river channel  $I$  are determined and entered.

The grapho-analytical method of computing water discharge consists in the following.

A drawing is made of the river's cross section on which locations of the velocity vertices in stream (Figure 27). Above the horizontal line representing the water surface, opposite each of the velocity vertices  $v$ , a small cylinder is drawn on one established scale; the heights of the cylinders correspond to the velocities  $v$  recorded. The upper ends of the cylinders are connected by a smooth curve, which is called the velocity diagram ( $v_{max}$ ). Another drawing of the cross section, same scale and set up for the sake of convenience, in form of horizontal lines, are for depth recording ( $h$ ); measure the mean velocities ( $v_{mean}$ ); and the units for values of elemental discharges ( $q$ ).

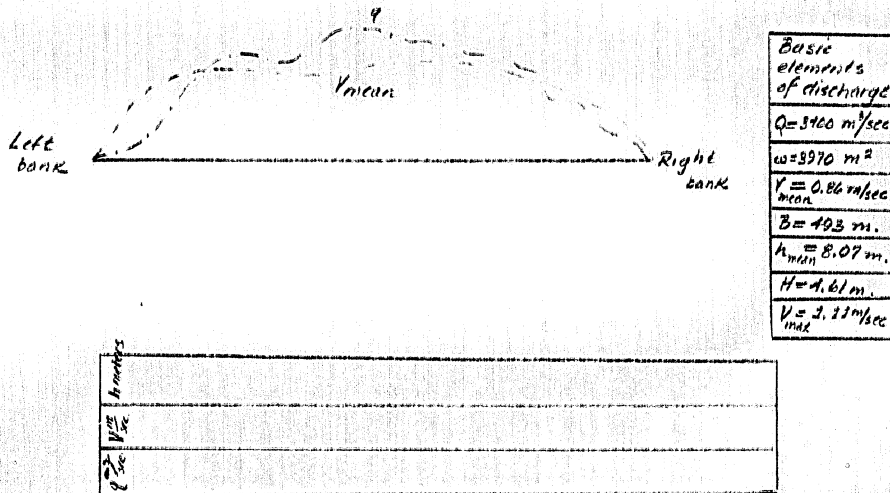


Figure 27. Computation of Discharge by the Grapho-analytical Method



The  $q$  values are plotted as dots above the horizontal line of the water surface, and the upper points successively joined by a smooth curve. This curve, called the differential profile curve, and such a profile diagram is used as the basis for the computation of the velocity distribution in the channel.

In the unimpounded portion of a running stream, the velocity in the vertical is variable and is determined primarily from velocity diagrams. For this purpose, each diagram is subdivided into a series of bars of equal width except the first one, which is twice the width of the remaining depth.

The mean velocity in each bar is determined by dividing the area under the profile curve of all the bars in the vertical by the cross area of the bar. Similarly, the median area of the bar is multiplied by the width between its width and the width of each of the other bars, and the product is added to the sum of the median lines of all the other bars, ~~which~~  
which the total width is divided by the total number of bars. In other words, the mean velocity is found in the manner described by all of the equation:

$$V_{mean} = \frac{v_1 + v_2 + \dots + v_n \cdot \frac{h_n}{h}}{n}, \quad (9)$$

where  $V_{mean}$  is the mean velocity in the vertical;

$v_1, v_2, \dots$  are the median areas (velocities) of the particular bars;

$h$  is the width of the bars (the same for all of them except the first one);



$h_n$  is the width of the last bar;  
 $n$  is the number of bars.

Thus, the mean, standard deviation, and variance in terms of the  
 number of bars can be calculated by the use of the following  
 means theorem and variance theorem and the formulas for the  
 above computations.

In the present method of diagram construction,  
 to reduce the paper-requirements, the diagrams are not  
 drawn between squares of the usual size but by  
 means of a grid of squares, the size of which is  
 determined by the number of bars. For this purpose  
 the diagrams are drawn in the form of a grid of squares  
 of size  $h_n \times h_n$ . In this method, the mean velocities along  
 the grid are found by way of taking the average of  
 the grid and a frequency dividing area given by the corresponding  
 width of the velocity.

For each type of diagram, the standard deviation of  
 the grid is established. For this purpose, a square with a  
 side length of 10 centimeters is drawn and encompassed  
 by the perimeter of several bars. The value of each point of  
 the grid will depend on the scale established for drawing the  
 graphs. Let us suppose that for the velocity diagrams, the fol-  
 lowing scales were taken: for velocities, 1.2 meters per second  
 for one centimeter; for lengths, 2 meters for one centimeter. Then  
 the area of the encompassed square will amount to  $(5 \times 0.2) \times (5 \times 2)$   
 $= 10$  square centimeters per second, and the value of one point of the

...number, or the number of particles, is  $\kappa = \frac{10}{n}$   
...dependent of  $\kappa$  ...  
...equation.

...the number of particles ...  
...the number of particles ...  
...the number of particles ...

The number of particles ...  
...the number of particles ...  
...the number of particles ...

The number of particles ...  
...the number of particles ...  
...the number of particles ...

The simplified method ...  
...the number of particles ...  
...the number of particles ...  
...the number of particles ...  
...the number of particles ...  
...the number of particles ...  
...the number of particles ...  
...the number of particles ...  
...the number of particles ...

The first step in the process of setting a tachometer is to determine the correct gear ratio for the engine. This is done by counting the number of teeth on the tachometer gear and the number of teeth on the engine gear. The gear ratio is then calculated by dividing the number of teeth on the tachometer gear by the number of teeth on the engine gear.

The second step is to adjust the tachometer needle to the correct RPM. This is done by turning the tachometer adjustment screw until the needle points to the desired RPM. The third step is to check the tachometer reading at various engine speeds to ensure that the tachometer is accurate. The fourth step is to adjust the tachometer needle to the correct RPM at the desired engine speed.

Figure 28. Setting a tachometer

Figure 29. Setting a tachometer





the probe, (which are optional) the recording; and for the  
vertical component, the probe is used in the vertical.

Since the bathochymometer is a simple, thin, and light  
portable instrument, it is suitable for use in the field.  
It is suitable for use in the field, and it is  
possible to measure the velocity of flow in a  
river, the velocity of flow in a stream, and the  
velocity of flow in a canal.

The bathochymometer, in which the probe is used, can be  
used for measuring velocities at several points simultaneously. For  
this purpose, the probe is used in the vertical, and the  
velocity is measured, then the probe is moved to the next  
point, and the velocity is measured. The bathochymometer  
determines the velocity of flow in the vertical. This method  
of measuring velocity is called the vertical method. In the  
vertical method, it is possible to measure the water from each  
independent component; in some cases, the summary method is  
not so different from the regular point method. However, it  
is possible to measure the velocity of flow in a  
channel of flow, and it is possible to measure the velocity of  
flow in a vertical.

The bathochymometer has the advantage of being simply con-  
structed, is portable, needs no special care, and is easily handled.  
As a shortcoming, however, it must be mentioned that it cannot be  
used in water at freezing temperature since under such conditions  
the influx orifice of the bathochymometer is narrowed by the

individually determined in every ground it and the reading curve  
can be applied. Besides, in working such a device one can consider  
only the flow of water under the pressure of the water pressure  
and only the influence of the water pressure flow; in other words  
the influence of the water pressure on the device, as well  
as the device, can be determined in every ground it and the reading curve.

Usually, the device is used in preliminary surveys  
for a more accurate determination of water discharge.

The hydrometric tube

The hydrometric tube is a rubber membrane tube of various sizes  
for accurate determination of water discharge. The mem-  
brane consists of a thin layer of rubber and a thin layer of  
aluminum. It consists of two parts: a shorter part, which  
is usually used as a float, and a longer part, which is usually  
used as a float. The shorter part is the hydrometric tube,  
consisting of a thin band of rubber and open at both ends  
(Figure 100).

Figure 100. Hydrometric Tube

The tube is immersed to the desired depth so that its shorter  
end is horizontally directed against the current, the other end being  
vertical. Under the pressure of the current, the water level in the

tubes rises above that in the river or stream. The weight ( $\mu$ , also, the height) of the water column  $h$  above the surface of the open end, gives the flow velocity, which may be determined by the simple hydraulic equation:

$$v = \phi \sqrt{2gh}, \text{ or } v = \mu \sqrt{h},$$

where  $v$  is the velocity at a point at the desired depth, in meters per second;

$g$  is the gravitational acceleration, equal to 9.81 meters per second squared;

$h$  is the height of the water column above the tube;

$\phi$  is the coefficient of discharge, usually equal to 0.98;

$$\mu = \phi \sqrt{2g}.$$

In the above equation,  $\mu$  is a constant, and it is necessary to measure only the weight of the water column  $h$ . Therefore, for each successive reading of  $h$ , a small vertical rod is lowered which is lowered into the pipe by means of a float.

Hydraulic tubes are successfully employed for measuring velocities in narrow streams of water; in water-conveying flumes of hydroelectric power plants; on the flow surfaces of water-carrying dams; in very narrow river beds. The tubes are used mostly in laboratory work. At the present time they are almost out of use on rivers and canals because they indicate momentary velocity regardless of pulsation; consequently, to obtain mean velocity at a point, 50 to 60 observations must be made. Furthermore, rating of tubes is very complicated and they cannot be used in very deep water or at very low velocities.

Computing discharge from data obtained with the hydroelectric  
and is affected by the very same errors seen in current meter  
reads.

... the mean level of the water surface during the period  
was assumed to be ... the discharge ...  
in a period ...

... the discharge ...  
... the discharge ...

COMPUTATION OF REPRESENTATIVE MEAN LEVEL

... the discharge ...  
... the discharge ...  
... the discharge ...  
... the discharge ...  
... the discharge ...  
... the discharge ...  
... the discharge ...  
... the discharge ...  
... the discharge ...

Figure 101. Computation of Representative Mean Level Error





discharge is to be covered, a constant discharge is released  
 of a radioactive solution on the other solution of same kind  
 and ability relative to it. Particular attention must be inter-  
 mixture of the solution with the water of the current and up the  
 river down stream, what is required to determine the degree of  
 solution in ( ) is the discharge released in no. 10  
 discharge,  $Q$  is the discharge volume,  $q$  is the  
 solution discharge,  $K_1$  is the strength or concentration  
 degree of the released solution, and  $K_2$  is the solution's con-  
 centration in the water sample taken from the river. Then,  
 obviously, there must exist the equation  $Q \cdot K_1 = q \cdot K_2$ .



The results of the analysis of the data obtained from the field measurements are presented in the following tables. The data were obtained from the field measurements and were corrected for the effects of the atmosphere and the ground surface.

The results of the analysis of the data obtained from the field measurements are presented in the following tables. The data were obtained from the field measurements and were corrected for the effects of the atmosphere and the ground surface. The results of the analysis of the data obtained from the field measurements are presented in the following tables. The data were obtained from the field measurements and were corrected for the effects of the atmosphere and the ground surface.

A serious difficulty in the determination of the concentration of salts, especially in mountain regions, besides, methods of determining concentration in weak solutions are still rather complicated and unreliable. On the other hand, this method can be employed where the current meter cannot be used, or where it provides inaccurate data.



... the ... ..  
... ..  
... ..  
... ..  
... ..

... ..  
... ..  
... ..  
... ..  
... ..  
... ..

... ..  
... ..  
... ..  
... ..  
... ..  
... ..

3. UTILIZATION OF WATER DISCHARGE IN WEIRS

The method of measuring water discharge by weirs is one of the most widely employed. It is successfully used in natural as well as in artificial currents. On big rivers and canals, the weir method is applicable if their currents are blocked by constructions with water-discharging facilities, and if these

... construction of ... discharge ...  
... discharge ...  
... discharge ...  
... discharge ...

Discharge of Water through a Wall Orifice

The following cases represent cases of discharge through a wall orifice:

1. Water flows from a tank through a wall orifice. The discharge is determined by the coefficient of contraction and the coefficient of velocity.

2. Water flows from a tank through a wall orifice. The discharge is determined by the coefficient of contraction and the coefficient of velocity.

3. Water flows from a tank through a wall orifice. In this case, discharge is computed by the use of the equation for flow through a wall orifice.

For each of these cases, the respective equations and values of their empirical coefficients are treated in detail in textbooks of hydraulics.

Below are given only a few of such equations in order to show, for several instances, the type and sequence of operations

In general, the water is assumed to be at rest at the crest of the weir. The velocity of the water at the crest is zero.

Continuity Equation

The continuity equation states that the mass flow rate is constant throughout the flow. For a weir, this can be expressed as:

$$Q = mb\sqrt{2g} H_o^{3/2} \quad (4.2)$$

where  $Q$  is the discharge in cubic meters per second;  $m$  is the coefficient of discharge depending on the conditions under which the water flows over the weir;  $b$  is the width of the weir in meters;  $g$  is the acceleration due to gravity, 9.81 m/s<sup>2</sup>.

$H_o$  is the total head above the weir in meters.

$$\sqrt{2g} = \sqrt{19.62} = 4.43$$

$$H_o = H + \frac{v^2}{2g}$$

where  $H$  is the height of the water above the weir (head), in meters; and  $v$  is the mean velocity of the water before the weir (velocity of approach) in meters per second.

If it is necessary to provide for a discharge of water from a reservoir under a weir, the discharge coefficient  $C_d$  may be determined from the following equation:

$$Q = C_d b h \sqrt{2g(H_0 - h)}$$

where  $Q$  is the discharge,  $b$  is the width of the weir,  $h$  is the height of the water above the sill of the weir, and  $H_0$  is the total head above the weir. The discharge coefficient  $C_d$  is a function of the geometry of the weir and the Reynolds number.

$$Q = \phi b h \sqrt{2g(H_0 - h)} \quad (10)$$

where  $\phi$  is the discharge coefficient,  $b$  is the width of the weir,  $h$  is the height of the water above the sill of the weir, and  $H_0$  is the total head above the weir.

$Q, b, H_0$  and  $2g$  have the same dimensions as above.

The discharge coefficient  $\phi$  is a function of the geometry of the weir and the Reynolds number.

The discharge coefficient  $\phi$  is a function of the geometry of the weir and the Reynolds number.



Discharge through an uncontracted orifice

The discharge over an uncontracted orifice is determined by the formula:

$$Q = m_o b \sqrt{2g} H^{3/2} \quad (107)$$

where  $m_o$  is the discharge coefficient, which is a function of the head  $H$  and the orifice geometry. The value of  $m_o$  is determined by the equation:

$$m_o = \left( 0.405 + \frac{0.003}{H} \right) \left[ 1 + 0.55 \left( \frac{H}{H+p} \right)^2 \right] \quad (108)$$

where  $H$  is the head over the orifice, and  $p$  is the distance from the orifice to the free surface of the liquid.

The discharge through a contracted orifice is determined by the formula:

where  $C_d$  is the discharge coefficient, which is a function of the head  $H$  and the orifice geometry. The value of  $C_d$  is determined by the equation:

where  $H$  is the head over the orifice, and  $p$  is the distance from the orifice to the free surface of the liquid.

Discharge through a contracted orifice

The discharge through a contracted orifice is determined by the formula:

$$Q = C_d e b a \sqrt{2g(H_0 - ea)} \quad (109)$$

e

a

Q, q, b, H<sub>0</sub> and 2g

b a

H<sub>0</sub>

Discharge Coefficient

For a contracted orifice, the discharge formula reads that:

$$Q = \mu b a \sqrt{2g(H_0 - h_x)}, \quad (10)$$

where  $\mu$  is the coefficient of discharge then modified according from reference table;

$h_x$  depth of the water immediately behind the plate;

$Q, b, a, H_0$  and  $2g$  have the same meaning as above.

The values of constants  $b, a$ , and  $H_0$  are known from the preceding. The value of  $h_x$  is obtained by leveling of the water level immediately behind the plate and of the spillway's surface at the same place.

Determination of Weirs by Means of Boards at Small Discharges

10 The most widely used types of weirs employed for measuring small water discharges belong to the trapezoidal, the rectangular, and the triangular weirs.

The trapezoidal weir, with downward contraction (Figure 102), consists of a metal or wooden plate with a trapezoidal notch. The notch is cut along the perimeter of an isosceles trapezoid with the smaller base at the bottom and with an inclination of the side slopes of 1 : 4 ( $\tan \alpha = 0.25$ , or  $\alpha = 14^\circ$ ).

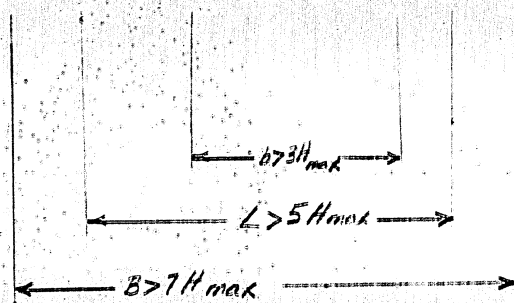


Figure 1.1. Trapezoidal weir (with forward contraction)

The edge of the weir with the above the top of the discharge is directly proportional to the value of the maximum head  $H_{max}$ . The height of the weir's edge must be 3 or 4 times more than the maximum head.

The trapezoidal weir with the 1 : 4 inclination of the side slopes has the important advantage that the discharge coefficient of its discharge formula does not sensibly depend on the head value  $H$  and is equal to 0.42, or which account the discharge computation formula required, in this case, the following form (in meters):

$$Q = 4.43 mbH^{3/2} = 4.43 \times 0.426H^{3/2} = 1.866H^{3/2} \quad (100)$$

Equation (100) shows that, for the weir described, the discharge is in direct proportion to the length of the edge



of the weir.

Tests have established that equation (109) remains correct for the following inclination angles  $\alpha$ , depending on the length of the crest:

Length of Crest (mm):	152.4	304.8	609.6	914.4	from 0.7 to 2.7 meters
					at heads of 76 to 609
					millimeters
Angle $\alpha$ :	$13^{\circ}15'$	$13^{\circ}25'$	$13^{\circ}45'$	$14^{\circ}$	$14^{\circ}30'$

The weir is installed at the end of a damping basin from one and a half to three times as wide as the overflowing stream. In such cases, the contraction of the stream at the crest and on the sides is complete, and the velocity of approach to the weir may be neglected.

The minimum recommended head at the weir is not less than 0.5 meters; the maximum head up to 1.0 meter.

Computations of discharge at the trapezoidal weir are facilitated by special charts giving the value of discharge in relation to the head value  $H$  for the length of the crest  $b=1.0$  meter (Appendix 6). To obtain the discharge value at the weir, it is necessary to measure the height of the head only, for which purpose a stationary depth gage is installed.

The rectangular weir (Figure 103) has a rectangular notch whose horizontal edge must rise above the bed of the channel by not less than the value of the maximum head; in cases when the latter is less than 0.3 meters, the edge must rise above the bed of the channel by not less than 0.2 meters.

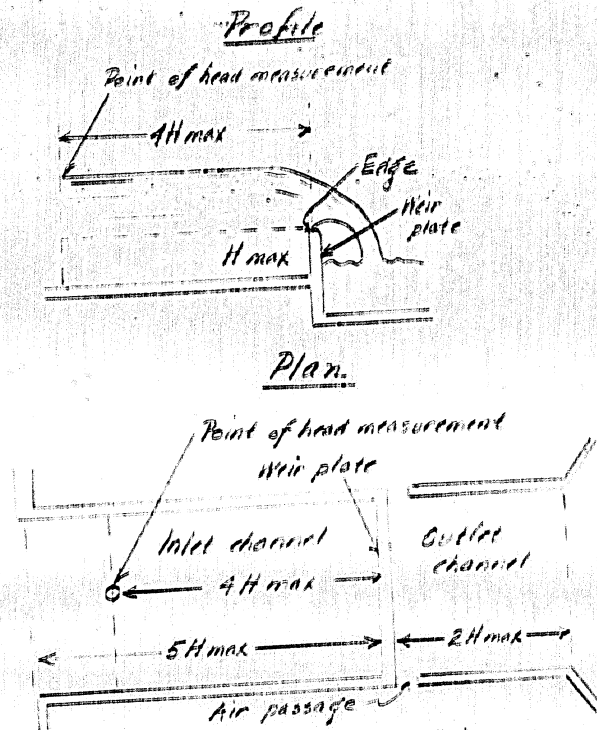


Figure 101. Rectangular Weir

The rectangular weir is installed in an approach channel with rectangular cross section, the channel being seven to eight times as long as the height of the maximum head. The walls of the approach channel must be flat, vertical, and parallel; the bottom of the channel must be horizontal. The crest of the weir is set at a distance not less than the fivefold maximum head from the entrance cross section of the channel. The width of the channel and the width of the overflowing stream must be the same. The channel walls are provided with holes for passage of air under the stream.

The minimum head that ensures sufficiently exact results is equal to 0.025 meters. The permissible maximum head amounts to 1.25 meters. By strict adherence to rules of installation of rectangular weirs, the error in determining water discharge may be

revised  
1 to 1 per cent.

The discharge of water passing over a rectangular unsub-merged weir is computed by aid of formula (105).

The triangular weir (Figure 104) has a notch in the form of an isosceles right triangle with the vertex of the right angle turned down. The bisector of the right angle of a triangular weir in operation must be strictly vertical.

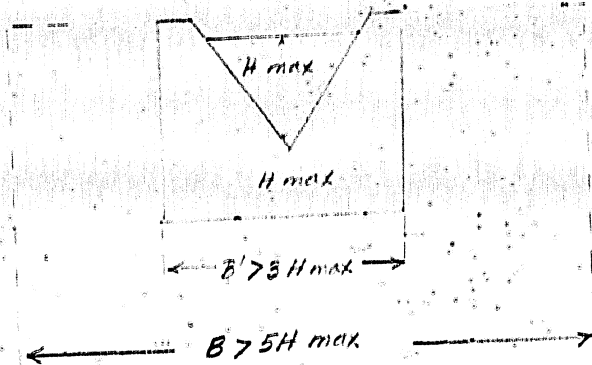


Figure 104. Triangular weir

The discharge over a triangular weir is determined by aid of the formula:

$$Q = 1.343 H^{2.47} \quad (110)$$

The minimum head that ensures sufficiently exact determination of discharge value equals 0.05 meters; the permissible maximum head may not exceed 1.0 meter.

The triangular weir is installed at the outflow end of a basin which must be at least five times as wide as the maximum head value.

The triangular weir being properly installed and the head carefully measured, very exact data (with an error not over 2 per cent) can be obtained.

Temporary and Stationary Weirs

Depending on practical conditions of discharge measurement, temporary or permanent weirs may be installed. Temporary weirs are installed either in form of portable metal plates (of sheet metal 1 to 2 millimeters thick) with notches of various shapes, or of wooden plates with sharp-cornered notches.

Temporary weirs are usually installed on the surface of the canal or fresh water body to be measured. They are removed after the discharge measurement has been completed. They should be installed in a proper position.

In several cases of water where the plate plate is not the bottom and slopes, a weir is attached to the plate and covered with a sheet of material with a sharp bottom. The discharge measurement point, measurements are carried out regularly, but a continuous blocking of the channel is undesirable (for instance, a single piece of sheet metal is used), which creates danger of its becoming tilted up). The walls and the bottom of the channel are lined flush with the wooden or concrete beams having a special groove for installation of the portable plate for the duration of intended measurements.

Stationary weirs are often constructed in the form of concrete, stone, or wooden (matchboard) walls.

Measurement of discharges by stationary weirs is widely





From 1 to 2 meters upstream, the distance being, in no case,

less than one-third the weir height;

g, a channel of 100 mm wide, located in front of the weir, with a depth of 10 mm, extending along the entire width of the weir, and the alignment of the 60° angle of the crest and the bottom in front of the weir;

h, the crest of the weir should be of the 100 mm high type and be installed exactly horizontally, and, in case of the triangular weir, the condition that the axis of symmetry of the weir be perpendicular to the crest.

Installation. Weir of a stream flowing over a sharp-crested weir with a crest height from the position of the sharp edge of the crest.

The distance between the vertical lines of the scales is along the vertical scales set equidistantly from the edges of the notch, the origin (zero) of the scales being exactly at the same altitude with the crest line of the trapezoidal and the rectangular weir or with the horizontal line running through the vertex of the triangular weir.

If the weir is installed correctly, the readings of both scales at the level of the overflowing water will be the same.

At large water discharge tanks may be installed instead of pipes (to the right and to the left of the notch) so that, at a constant discharge, the water level in the tanks above the notch will be the same, and so that the line connecting their tops will be perpendicular to the vertical axis of symmetry of the notch. As such tanks, providing pipes are employed, a special level gauge or level may be used.

1. Construction of water discharge tanks

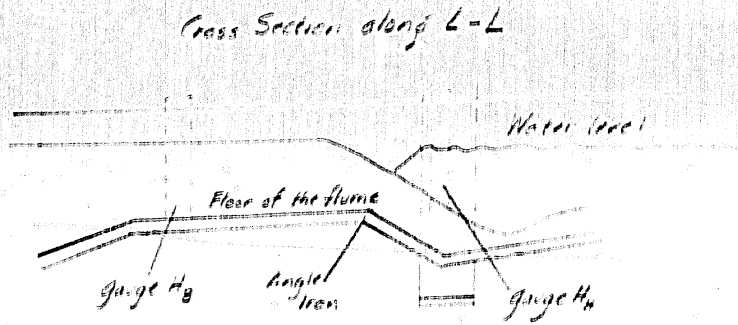
The tanks are made of wood or metal of small natural capacity, and are usually of square plan, or small circles are employed when a circular notch is used.

Construction

Each tank is hydrostatic flask and has the following construction (Fig. 10). Its main part consists of the throat which has vertical, strictly parallel side walls and a flat floor sloping in the direction of the current. Below the throat lies the inlet portion of the flask with horizontal floor, and below the throat lies the outlet section with a floor sloped reversely (against the current).

The inlet and the outlet sections have strictly vertical side walls and are funnel-shaped in the plan: the first is wider at the entrance and gradually narrows towards the throat; the latter, on the contrary, widens in the direction from the throat towards the outlet.

The line where the floor of the trough bends, that is, the line at which the horizontal floor of the inlet portion joins



Plan

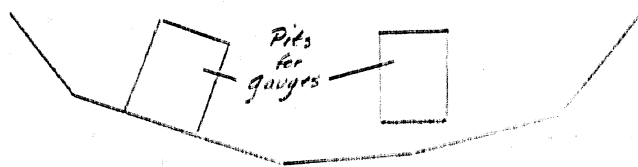


Figure 106. Standard Hydrometric Flume.



... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... ..

... the value of the water discharge directed through the  
 flow is determined from the depths  $H_{u1}$  and  $H_{l1}$  that is,  
 from the readings of the upper and the lower depth gages in  
 the damping pipe, as well as from the width  $B$  of and of a pro-  
 priate formula. For quick practical computation of the dis-

$$B = 0.5 W + 1.20 \text{ meters}$$

$$D = 1.2 W + 0.48 \text{ "}$$

$$C = W + 0.36 \text{ "}$$

$$F = 0.6 \text{ meters}$$

$$G = 0.92 \text{ meters}$$

The walls of the inlet section are built on the top of the flood plain to a height of 1.10 meters above the side walls of the outlet section - a height of 0.60 meters. 20 minutes.

The height of the side walls is fixed, depending on the maximum possible depth E of water in the channel, so that the walls of the flood rise above the maximum water level in front of the flood by 0.1 to 0.15 meters. For discharges up to 3







SECRET

CONFIDENTIAL

CONFIDENTIAL

CONFIDENTIAL

CONFIDENTIAL

CONFIDENTIAL

(b) In case of emergency, it is possible to build  
a large number of simple structures and this is done in the  
case of war.

... ..  
... ..  
... ..  
... ..  
... ..

... ..  
... ..  
... ..  
... ..  
... ..

... ..  
... ..  
... ..  
... ..  
... ..