NUCLEAR FORCES AND THE THEORY OF THE MESON

USPEKHI FIZ NAUK, No 2. 1947 V. L. Ginzburg

Under labora-

Introduction

The mesen theory comprehends all problems concerning, on the one hand, the path of the meson as observed in cosmic rays, and on the other hand, the meson theory of nuclear forces. Both of these divisions of the theory are far from finished and are still being worked out, in spite of great difficulties. It is therefore natural that a final statement cannot be made on this subject; our purpose is merely to elucidate its present state. (This article was written Sept 1946).

At present the mame meson or mesotron is given not only to the very heavy particles observed in cosmic rays, but also to the numberous hypothetical particles whose masses lie between the masses of the proton and the electron. We shall use the term "meson" to specify when necessary what sort of particle (hypothetical or observed) is under discussion.

Mesons were discovered in cosmic rays in 1937 [77]; the hard components of cosmic rays at sea level or low altitudes are basically composed of just these particles. Moreover, at sea level the meson hard component amounts to about 70% of all the particles in cosmic radiation.

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tory conditions, as far as known, mesotrens have not yet been obtained. The study of the properties of mesotrons in cosmic rays is rendered difficult by many circumstances, the first of which is that any large quantity of soft particles is lacking in them. Consequently, in spite of intensive experimental work, a whole series of basic characteristics hase not yet been established for the mesotren. Moreover, it is even impossible to affirm that only one sort of very heavy particles can be observed in cosmic rays or to say. whether there are A very heavy particles with a single value of the rest mass. The size of the charge and, ee a fortion; much the meter the value of the spin of the meson cannot be considered as reliably established by experient. Nevertheless, without taking into consideration the reliability of the data on hand, we can make the following assertions statements:

- 1. There are mesotrons with both positive and negative charges. The value of the charge, evidently, equals to, where e is the charge of an alectron. In any case the charge of the mesotron does not equal to and so forth;

 It may be assumed however, that the charge of the meso may be assumed to be close to te, but apart from this value, we have no starting point.
 - 2. The mass of the mesotron is approximately $m = 200 \text{ m}_0$ where m_0 is the mass of the electron. The most frequent values of m lie between 150 m_0 and 250 m_0 . Hence, in any case the overwhelming number of very heavy particles of cosmic rays at sea level have a mass close to 200 m_0 ; the hypothesis that the majority of particles have only one value for the mass does not seem contrary to experiment.
 - 3. The mesotren decomposes spontaneously, and the lifetime

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meson decay. The neutrino, fastest of all, is the second particle to fly off. But this is not preven and it is impossible altegether to exclude the possibility of the decay of the meson into an electron and photon.

If decay proceeds with the escape of an electron and a neutrino, the spin of the meson equals zero or one, since the spins of the electron and neutrino equal one half and a full spin must be conserved during decay. It is more probably that the value of the spin equals zero (See § 1). If the meson decays with the escape of an electron and a photon, the spin of the meson equals one half. (The spin is expressed in \(\tau\) units; i. e., if we say that the spin equals \(\frac{1}{2}\) or \(\frac{1}{1}\)).

Of basic importance in the study of meson preperties is the quantitative comparison of experimental data with theoretical results from assumptions as so the preperties of the meson. Thus, for example, in order to form an epinion as to the meson spin, the great ionization pulses observed in experiment compared with the pulses calculated on the hypothesis that the meson spin equals $\frac{1}{2}$ or 1. $\frac{1}{2}$

To calculate the various effects dependent on the interaction of mesons with matter, it is necessary to know the original properties of a meson

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(mass, spin) and the nature of its interaction with the electromagnetic field (phetons), light weight particles (electrons and neutrinos), and heavy nuclear particles (pretens and neutrons). At present no definite assertions can be made on either of these problems of the theory. But if the examination be limited to particles with definite values of spin and rest mass, the number of equations and expressions for the energy of interaction possible from the viewpoint of the requirements of relativistic invariance will prove to be relatively small. (This statement about/ means that variants of the theory permitting change in the spin and mass of particles (see $\sqrt{27}$) are not examined. The theory of particles with variable properties is relatively complicated and indefinite. Consequently the limitation at the start in all cases is perfectly natural.) Moreover, at least in the beginning, it is natural to limit the examination to particles with a spin not exceeding unity. The reason for this assumption is that the theory of particles with a spin greater than 1 appears to be very complicated and the value of a spin less than or equal to 1 is clearly differentiated not only by its simplicity, but also by certain essential peculiarities 4. Above, in speaking of the spin of mesons, we took this circumstance into consideration by assuming $\frac{1}{2}$ spin for a neutrino and meson spin not greater is unity (if, for instance, the spin of a neutrino equals 3/2, which is possible in principle, the decay of the meson into an electron and neutrino would be compatible with the hypothesis that the spin of a meson equals 2; similarly, the decay

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of a mesotron into an electron and photon is compatible with the status that the spin equals 3/2).

On the basise of the above statements, the theory of the mesoren and nuclear forces deals almost exclusively with particles with spins $0, \frac{1}{2}$ or 1.

The interaction of mesoness with the electromagnetic field is the simplest. This interaction is determined in the first place by the presence of an electric charge in the electron. The electromagnetic interaction of the mesons delta electrons, leading to the formation of electrons and "retardation" the mestron and will be discussed in § 1.

The most imp complicated and at the same time mask important problem is the interaction of mesotrons with nuclear particles as wells as with electrons and neutrinos.

The disintegration of the mesotron (if into electrons and neutrinos) and nuclear disintegration are the processes dependent upon these interactions and essential to cosmic rays. (see 157 for discussion). Further, inasmuch as mesotrons are unstable, they cannot come from universal outer space but must be generated mainly in the upper layers of the atmosphere; however, the formation of mesotrons by primary cosmic particles, which are probably always protons, obviously with mothers an electromagnetic nature but depends on nuclear interaction.

The importance of the problem of the interaction of meson meson with nuclear particles, however, is connected not only with cosmic ray processes but also, to a great extent, with the problem of nuclear forces. As we know, after the presentation of Termi's theory of -disinteraction, Tamm developed the theory of nuclear forces which remove the the appearance of these forces with the fact that heavy particles (** protons and neutrons) were interchanged with light-weight CONFIDENTIAL

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change the proton, for instance, gives off a positron, with the neutrino being converted into a neutron; then the neutron, absorbing the light particles, turns into a proton and so on.

As a result of a similar interchange of charges, the proton and neutron, now at a certain distance one from the other, experience of the content of th

The situation here is similar to the interaction of two moving electrons, for example, which depends on photon interchange. In the electromagnetic case it is possible to proceed from the idea of waves instead of the local change of photons; from this standpoint each electron creates around itself a field which acts upon cother electron. Similar wave concepts are used from nuclear forces. Thus it may be said that a neutron creates around itself an electron electron.

In a quantitative relation the theory of discremine electron-neutrino beta neutrinic nuclear forces (or so-called forces). Seened inadequate since, because of the weakness of interaction, the forces proved less than necessary for a factor of the order of 10^{10} — 10^{12} (see $\sqrt{7}$).

To evide the difficulties in the theory of A-forces, in

1935 Yukawa formed a hypothesis about the existence of a

special field of nuclear forces. In quantization, this

field is sonnected with certain particles analogous to

protons, which appear when the electromagnetic field in quantized.

In the absence of photons the new particles, which we

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and, in addition, their mer rest mass will not equal zero. It
is easy to show (see § 2) that the mass of particles is directly related to the the radius ro of the action of the forces
dependent on the exchange of these particles, as follows:

 $\mathbf{r}_0 \approx \mathbf{1} = \frac{\mathbf{1}}{\mathbf{1}}$

It is known from experimental data that the radius of action of nuclear forces is of the order of $r_0 \approx 2 \cdot 10^{-13} \, \mathrm{cm}$ and accordance, hence, in experiment with (1), $m \approx 200 \, \mathrm{m_0}$. The mass of the new particles thus appears to be of exactly the same order as the mass of a cosmic mesotron. It is therefore understandable that after the discovery of very hard particles in the cosmic rays, the mesotron theory received a powerful stimulus towards further development.

According to this theory, these forces depend on the exchange of protons and neutrons with mesotrons. Hereins, if

the spin of the mesotron as integral and equals to 0 or 1,
the exchange can be considered by one mesotron, since the
spin of a proton (neutron) during conversion to a neutron
(proton) may change to 0 or 1. (But in the A-force theory
the exchange takes place through two particles, each with
a force 12.) The assumption that the spin of a mesotron

is an integer is, therefore, simpler and was accepted by Yukawa.

Theory the beta-decay, Yukawa

To include in his own

decay

that the mesothers could be disintegrated into electrons and

neutrinosp. Further, inasmuch as there are both

beta-negative (electron) and beta-positive (positron)

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disintegrations, mesons are assumed to have charges of both signs.

Both these assumptions are in agreement with the preperties of mesons as observed in cesmic rays. This fact gives additional correboration to the whole concept of the connection of nuclear forces with mesons.

However, the effort to construct a quantitative theory which would agree with all of the experimental data has not as yet been successful and has met with serious difficulties. In this connection there is no complete theory of nuclear forces and, properly speaking, a relation between mesons observed in cosmic rays and nuclear forces cannot be considered definitely established. Nevertheless, the combination of qualitative considerations mentioned above and the almost certain presence of the nuclear reaction of mesons in cosmic ray showers afford no serious occasion to doubt the interrelation of the whole group of problems in regard to mesons and nuclear forces.

The meson theory of nuclear forces will be taken up in more detail in \S 2.

§ 1. Wave Equations for Mesons.

Interaction with Electromagnetic Fields

The form of equations which must be satisfied by the wave function Ψ of a meson is determined by the value to be assumed by the spin of this particle. Therefore, the equations must be relativistic invariants and consequently the wave function becomes a spinor of some rank or other (or in the general case, it becomes a combination of spinors). The number

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be related to the number of possible projections of the spin in any direction—it is this that suggests the idea of describing particles by the aid of multicomponent functions. To a considerable extent what has been said above defines the character of the wave function and the corresponding wave equation.

If the meson spin equals zero, the wave function was but one com-

ponent and is thus either a scalar or a pseudoscalar. This, as we knew, is equivalent to a completely antisymmetric tensor of the fourth rank with only one independent component, for example, the component 4_{1234} . (A magnitude behaving like a tensor for all transformations of coordinates reduced to rotations is called a pseudotensor. When the sign of any space coordinate changes, the sign of the components of the tensor and the sign of the components of the pseudotensor.

penents of the tensor and the sign of the components of the pseudotensor penents of the tensor and the sign of the components of the pseudotensor of zero may undergo different changes. For example, a pseudotensor of zero rank, (that is, a pseudoscalar) has only component, the sign of which differs in the right and left systems of coordinates. A completely antisymmetrical tensor of the fourth rank φ_{iklm} with only one independent component

\$1234 = \$\text{\$\text{\$\gamma_{2341}}\$ = \$\text{\$\gamma_{2134}\$}\$ \cdots has the same properties.)

The wave equation for a particle of zero spin is:

 $\frac{\sqrt{p} \cdot 17\overline{9}}{(+o\hat{\rho})}$ (2)

If the wave function is pseudoscalar, it is necessary to

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substitute \mathcal{C}_{iklm} for \mathcal{C} in equation (2).

Equation (2) like other wave equations discussed below is the equation of some field—in the present case, the field of the scalar . The relation between the classic field and the combination of particles corresponding to it is established by quantizing this field; in quantizing, the field (in case 2)the field of the scalar φ) is considered an operator. We shall not linger here on the quantum theory of wave fields (see [9] and [10]) but limit ourselves to the simplest method, mentioned above, of relating the mass of the particles with the magnitude [1] appearing in equation (2).

A horizontal wave, the solution of equation (2), takes the form:

(p. 179)

(3)

Moreover, in accordance with the basic assumption of quantum mechanise; namely, de Broglie's relation between the momentum of a particle p = N k and the square of the energy, we have:

 $p_{179} \rightarrow E^2 = m^2 e^4 + p^2 = ()^2$

From this and from (3) it follows that equation (2) describes particles with a rest mass m determined by the equation

(4)

One of the important results of the quantum theory of the field is the deduction that particles of integral spin described by ordinary tensors must conform to Bose-Einstein statistics; particles of half spin, described by spinners of odd rank, must satisfy Fermi-Dirac's statistics 11,9.

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The well-known difference between the cases where the wave function is a scalar and a pseudoscalar appears if equation (2) be replaced by a system of equations of the direct order. For a scalar we shall have:

where, hereafter, i = 1,2,3,4; summation takes place, according to the usual rules of tensor analysis, when indices are the same.

In the pseudoscalar case

(6)

Systems (5) and (6) are equivalent to equation (2) for φ or φ iklm, as may readily be shown by eliminating from (5) or (6) the corresponding φ or φ in the difference between scalar and pseudoscalar mesons with the same spin, equaling zero, and the same mass (if the constants φ in (5) and (6) are equal, appears only on examining their interaction with particles of half spin (see § 2). With respect to interaction with the electromagnetic field, both systems (scalar and pseudoscalar) are absolutely equivalent. Hence, in this paragraph we shall simply speak about the meson (particle) of zero spin.

A particle of spin 1 must be described by a wave function with three independent components, as the projection of the spin in this case must take the values 0 and ± 1. Next to the scalar, the simplest tensor wave function—a four-dimensional vector—has four components.

Nevertheless, a particle of spin 1 is described by the vector wave function in which satisfies the equation:

 $\sqrt{\underline{p}} \cdot 18\overline{\underline{0}}$ (7)

This equation has four solutions, not three, one of which

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deals with a particle with a spin zero. To shut, out this assume the superfluous solution it is necessary also to apply to the following equation:

$$\frac{\partial \phi_i}{\partial x_i} = 0 \tag{8}$$

The system of equations (7) and (8) describes a particle with of spin 1 and a mass determined in accordance with (4).

In many cases, instead of equations (7) and (8) it is convenient to use the equivalent system of the first order:

$$\frac{\partial \phi_{k}}{\partial x_{i}} - \frac{\partial \phi_{i}}{\partial x_{i}} = gik$$

$$\frac{\partial \phi_{k}}{\partial x_{i}} - \frac{\partial \phi_{i}}{\partial x_{i}} = -\kappa^{2}\phi_{i}$$
(9)

A particle spin 1 may also be described by appseudovector, not a vector, wave function or, which is equivalent, by the wave function it, where it = -9kil = -9ilk. In this case, instead of (9), we alkall have;

$$\frac{\partial \phi}{\partial x^2} |k| = \int_0^1 |k| = |k|^2 \phi_{i,k} |k|. \tag{10}$$

The difference between the vector and pseudovector variants of the theory is essential only in examining the interaction with particle with a half spin (protons, neutrons, electrons and neutrinos). Hence in this section, unless otherwise specified, wave function ofta particle with a spin is considered a vector wave function.

Particles with spin # 2 conform to the well-known equation of Dirac:

$$y_{k} \frac{\partial \psi}{\partial x_{k}} + k \psi = 0 \tag{11}$$

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where V_k denotes setreserial matrices, V is a bispinor of four components and where, as before, the ratio V is a bispinor of V in the spin greater than unity V and simply variable spin V can also be written.

Observation, But interaction of these particles with the external outer field or other particles appears to be frought with the well-known difficulties V, 13V and little studied. Hence we

The interaction of particles with spins of 0, $\frac{1}{2}$ and 1 with an electromagnetic field described by the vector potential \mathbf{A}_k is introduced by substituting in equations (2), (5), (6), (9), (10) and (11)

shall not concern ourselves with this question here.

(181)
$$\frac{\partial}{\partial x_k}$$
 by $T_k = \frac{\partial}{\partial x_k} - \frac{i \mathbf{e}}{\hbar c} A_k$ (12)

where e is the charge attributed to the particle.

It is clearly possible to substitute (12), especially because the variance of and A_k is identical; hence, after such a substitution the equations remain relativistically invariant. It should be noted that in its application to the system of equations, the substitution of (12) must be carried out with precation so that the system may not become contradictory. This might happen, for instance, if (12) were substituted in the system of equations (7)—(8) but not in (9).

Interaction with the electromagnetic field by substituting (12) and also interaction with other fields

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(particles) are automatically introduced in employing the the variation principle, on which we shall not linger (see, for example, 15, 1107)

ransition to the second order shows that particles of the spins of and 1, the interaction of the second order shows that particles of the spins of and 1, the interaction of substitution of (12), behave as if they also had a magnetic moment equal to Bohr's integral magneton 10, 12

(P.181)

$$\mu_0 = \frac{e\hbar}{2mc}$$

013)

Thus, under the above conditions the relation of the magnetic moment to the spin moment of an about of an about of an about of a particles with a spin of a particles with a spin of 1.

But apart from "interaction with a charge" in the case of spins and 1, it is also possible to introduce interaction with "true" magnetic moment 1. For example, in the case of Dirac's equation in the presence of such a moment and of a charge e also, the equation of motion exquires the

form:

where $\mathbf{F}_{kl} = \frac{d\mathbf{A}_{l}}{d\mathbf{x}_{k}} - \frac{d\mathbf{A}_{k}}{d\mathbf{x}_{l}}$ is the tensor of the intensity of the

electromagnetic field, Strangth. .

In a non-relativistic approximation the magnetic moment of a particle described by equation (140) equals (see 16):

$$\begin{array}{ccc}
\mu_0 + \mu_1 = \gamma \mu_0 \\
\gamma = (1 + \frac{\mu_1}{\mu_0})
\end{array}$$
(15)

The introduction of the analogous in equation (14) con-Fining Fkl is possible also in the case of equation (9) for a spin of 1; the whole moment in this case can also be put in the form of (15).

Finally, in both (14) and (15) it is possible to introduce a term containing $\mathbf{F}_{\mathbf{k}\mathbf{l}}$ and derivatives of the wave functions. Here, however, the well-known complications arise.

In a non-relativistic approximation all the above equa-If $\frac{\partial \psi}{\partial t} = \left\{ \frac{1}{2m} \left[-i\hbar R - \frac{e}{e} \Lambda \right]^2 + e\phi - g R^{6} \right\}$ A and are there. tions are converted into an equation of the Pauli type:

List
$$\frac{3}{1}$$
 = $\left\{\frac{1}{2m}\left[-i\pi/Z-\frac{e}{e}\Lambda\right]^2+e\phi-9\mu^6\right\}$ (16)

where A and are three-dimensional vector and scalar potenmagnetic field and s is the tials; H is the intensity spin operator. For particles with a zero spin 7 = 0. For an electron, when the constant μ_i in (14) equals zero, the spin term takes the well-known form $\mu_0(\sigma H)$, where σ denoted the Pauli's two-serial matrices and I is a function with two components (Pauli's equation for a particle with spin 1; see, for instance, [14]). The difference between particles spins 0, 1 and 1 appears only in the form of the last term of (16); disregarding this term, we hobviously obtain Schredinger ordinary equation.

The simplest problem in which interaction is taken into account is the movement of a particle in a given field. the Coulomb field $\left(e^{-\frac{e^2z}{r}}\right)$ is the most interesting. The

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solution of this type of problem, based on the use of (16) forms the basis content of non-relativistic, quantum mechaniss.

The relativistic theory of the hydrogen atom is based on solving

the colution of the problem of the account of an electron motion, which

satisfies (equation)

conforming to (14): cul = 0, and A = 0 and exp = -iA_{||} = e^{2Z}

r

(P183)

(see $\sqrt{12}$). The agreement of theory with experiment which occurs in this case is a basic argument for the ape plication of Dirac's equation with $\mu_1 = 0$ to the electron. The problem of the movement of a particle with zero spin in a Coulomb field 12 is likewise solved. In both these (eigenfunctions) cases the proper functions of the problem form a complete orthogonal system and satisfy the obvious general requirements (they provide for the finiteness of energy, etc). In the case of particles with spin #1 with y= 1 and y= 1 and also particles with a spin # 1 with y = 1 (that is, with $\mu_1 \neq 0$), on the contrary, the problem of the movement in a Coulomb field has no solution $\sqrt{15}$, $16\sqrt{2}$, in the sense that the admissible solutions do not form complete system of functions, sponding to the fall of a particle on a force control. The cause principle of fall is that for a spin \$\frac{1}{2}\$ when \$\frac{1}{2}\$ and for 1 the case of spin 1 when 7 = 1 der, the particle has a magnetic moment even in a relativistic approximation y

pirac's electron, for which μ_1 in (14) equals zero, in acnon-relativistic approximation has a magnetic moment $\frac{e\hbar}{2mc}$; but in a highly relativistic approximation the electron behaves like a particle without a magnetic moment $\sqrt{13}$. 14, 15, $73\sqrt{13}$.

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The energy of interaction of this moment with a field possessing a central Coulomb force takes the form:

(p. 183)

(17)

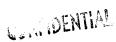
In a field of the type (17), both in the classic and the quantum theory, the motion is limited; that is, the fall of the particle takes place towards the center (for more detail see § 2). The presence of a moment in a particle leads to difficulties also in studying various radiational processes (light scattering, "retardation" radiation, etc.). The problem of the difficulties met in the theory will be discussed in more detail in § 3.

Let us now spend a few moments on the results of calculating the effective cross sections for various electromagnetic processes, carried out for particles of various spins and values of χ (summary of the results borrowed chiefly from Pauli's outline $\sqrt{107}$. (Some cross sections are compared also in the article by Rossi and Greisen.)

All cross sections are calculated in the first non-vanishing approximation according to the theory of perturbations.

Table 1 gives the effective cross sections for the scattering of mesons by a fixed Coulomb force center; Table 2, for the scattering by an electron (& -formation).

The spin is expressed throughout in units of $\frac{1}{2}$, and the magnetic moment in units of $\mathcal{U}_{\bullet} = \frac{1}{2\pi e^2}$.



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Table 1
Scattling of Mesomens by a Coulomb Center

(Title)

E and m are the initial energy and mass of the mesother; Θ is the angle of diffusion; $\gamma = \frac{1}{mc^2}$ (the energy E includes the potential energy); decrease a solid angle; $r_0 = \frac{e^2}{mc^2}$.

	Spin	Magnetic Moment (Value of	Scallering Oross Section for Diffusion	Reference to Bibliography
I				
11				
III				
A IIA IA			Tour p 18	34
٧	1	!		

In both tables the cross sections for each III and IV are of
a higher order relative to the value $J = \frac{E}{mc^2}$ than for each I and
II. For each V the cross section is even higher in order. Here we notice
the previously noted role of the magnetic moment, actively affecting the dependence of the cross-section on the energy, makes its

9 expressions. The each sections cited for each III, IV and V at for
high energies are shown to be wrongt [22, 23]. This is already
manifest from Table 1 because the problem of the motion

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a mesocian in a Coulomb field (for cases III, IV and V),

strictly speaking, has no solution and, therefore, the results

perturbations are in need of

the theory of disturbance are landing

to clarify complete elections their areas

of application. Cross sections for passed I and II are entirely

possible in every case and there is no good reason to doubt

corrections

Table 2

Table 2

Sattorna

Elastic Biffusion of Mesotmens in an Electron

EE deartes the energy given off by an electron. Terms of the order of $\frac{m}{m_0} \frac{mc^2}{\epsilon E}$ and less are discarded (m_0 is the mass of an electron). $E \geqslant mc^2$. For other notations see Table 1,

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	Spin Magnetic Moment (Value of y)	Cross Section of one soudaronity (in a system of coordinates where the electron is at rest at the societing)	Reference to Bibliography
I			
II			
111		[p,45]	σ.
٧			

Table 3 gives the differential and full cross sections for

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the scattering of light by a meson. The values appearing in the table for the initial and final energies of a photon are related to the wellknown expression

The effective cross sections for "retardation" radiation and the production of meson pairs from photons are given in Tables 4 and 5.

In it the nucleus is considered finite and of radius

The formulae in $\sqrt{29}$ for case II are shown with the change corresponding to this hypothesis.

The cross sections shown in Tables 3, 4, and 5 for cases I and II occasion no doubts as to the energies being as high as desired. On the contrary, for cases III and IV (Case V was not studied) cross sections were obtained with an inadmissible increase in energies. They were therefore correct only for energies not too high (see 21, 22, 23, 32 and 8 3). For instance, in the case of light scattering (Compton effect) cross-sections III and IV of Table 3 held good only if

or

(18)

We cite the corresponding cross-sections mainly to serve as a guide and to illustrate at a glance the effect of spin and magnetic moment on various processes.

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Table 3

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Scattering of Light by Mesons

It is assumed that the scattering meson is at first at rest. $k_{\rm o}$ and k are the initial and final energies of a photon. For other notations see Table 1.

			Cross Section of scattering for angle C. Holds good for all energies (except case III)	Complete dross section of scattering provided that k _e >> mc ²	Reference to Bibliegraphy
_	I				
The second secon	II				
	III	Part of the second seco	Ep. 186]	7	and the second s
	IA				

Experimental research on the processes carried out by a cosmic ray meson may make it possible, in principle to determine its spin. Up to the present the only effect which has been successfully used for this purpose is the formation of great ionization pulses under considerable thicknesses of lead and iron. If the ionization effect is assumed to be

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determined by the electromagnetic "retardation" radiation of mesons (the formation of --electrons seems unimportant), corresponding calculations can be made and compared with experiments (2, 34). Moreover, calculations are found in agreement with experiments if the spin of the meson is assumed to equal 0 or $\frac{1}{2}$ ($\gamma = 1$). It is as yet impossible to distinguish between 0 and $\frac{1}{2}$ spins since the accuracy of the experiments and the theoretical computations and insufficient and do not exceed 100%. It is also impossible completely to exclude the possibility that the spin of a meson equals 1 (or $\frac{1}{2}$ with $\frac{1}{2}$ 1). The fact is that in calculations it is necessary to make use of effective cross sections for "retardation" radiation in the high energy field, where it is not strictly applicable; furthermore, at a certain energy it is actually necessary to reduce this cross section. Under such conditions, the exclusion of spin value 1 may be conclusive only if the effective cross section employed is the smallest possible for this spin and also if excluding spin 1 leads to the formation of a considerably large or number of pulses than experimentally observed. According to many authors $\sqrt{2}$, $\sqrt{32}$, this is just what has taken place. But in my opinion $\sqrt{357}$, the cross section used $\sqrt{2,33}$ is not the minimum one, since it is based on the use of the formula for a Compton effect up to an energy of $\frac{1}{\sqrt{\alpha}}$ which is contrary to condition (18). Hence, the above-mentioned comparison of theory with experiment, properly indicates only that there is no particular basis for the hypothesis of unity meson spin from the viewpoint of experiments in cosmic ray studies.

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Furthermore, if the spin of a meson is equal after all to unity, then the calculations based on the perturbation theory are inapplicable in the case of energies less than those generally assumed 2, 347. Finally, it is possible to reach the conclusion that "retardation" radiation and other processes dependent on nuclear, not electromagnetic, forces do not have a great part to play, since already the minimum possible electromagnetic "retardation" radiation of a particle of zero spin permits an explanation of the observed ionization effects.

Table 4 .

"Retardation" Radiation of Mesons

Initial energy of a meson $E \gg nc^2$; E is the energy of an emitted photon; Z is the atomic number of the substance; $A = \frac{iZ(1-\epsilon)}{5mc^2z}\chi_3$, $A = \frac{e^2}{\hbar c}$,

(p. 11.877)

	[]	Magnetic Moment (Value of	Cross Section (in the system of coordinated where the nucleus is at rest)	Reference to Bibliography
I				
II				
III		The state of the s		
IV				

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Table 5

Production
Origin of Mesonate Pairs From Photons

E is the energy of a photon (E)mc²); EE is the energy of a positive mesoten; Z is the atomic number of the substance; $B = \frac{12\pi (1-\epsilon)}{5mc^2 Z^{\frac{1}{3}}}$.

\$	Spin	Magnetic Moment (Value ofy)	coordinates where the nucleus is at rest)	Reference to Bibliography
I	•			
II	A CONTRACTOR OF THE PROPERTY O			
III				
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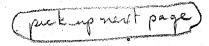
\$ 2. Nuclear Forces

Special nuclear forces act between the nuclear particles (protons and neutrons); in the nucleus these forces not only compensate for the electry repulsion between protons but serve to stabilize the nucleus. The diffusion of neutrons of protons and the diffusion of protons by protons from the diffusion of protons by protons from the cattering expected whether presence of only the coulomb interaction are explained by the action of nuclear forces. These forces have a very short period of action, during which their radius of action to the content of the order of $r_0 \approx 10^{13}$ cm. At short distances (order of r_0) the energy of interaction, corresponding to the nuclear forces is very great and reserves MeV. Furthermore, nuclear forces depend on the reciprocal orientation of the spin of nuclear par-

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ticles and has the property of saturation. This means that the energy connected with a large number A of nuclear particles increases in proportion to A, not to A² as happens, for instance, in the case of Coulomb interaction in a system of charges. For this reason, the volume of the nucleus is approximately proportional to A, in contrast to the atom, whose dimensions are but slightly dependent upon Z.

The problem of the theory of nuclear forces obviously amounts to explaining the above-mentioned qualitative properties of these forces and to establishing the relation between the various nuclear dimensions measured experiment. For quantitative proof of the theory, data may be used which refer to protons, neutrons, and deuterons (calculation of the heavier nuclei, because of its extreme complexity, is not interesting from this standpoint). The following points are known by experiment: the energy associated with a deuetron equals 2.18 meV 5367; the quadripole moment of the deuteron $Q = 4.7 \cdot 10^{-27} \text{ cm}^2$ (see, for example $\boxed{37}$); the constants characterising proton-neutron and proton-proton scatterings (see 38, 39). Taken in a broader sense, the theory of nuclear forces also includes problems referring to separate protons and neutrons and their interaction with other particles. In this experimental field, values are known for the magnetic moment of a proton [40] and a neutron III, respectively equaling $/_p = 2.789/_e$ and $/_N = -1.93/_e$, where $c_0 = \frac{e^{\frac{1}{h}}}{2Mc}$ is the nuclear magneton and M is the mass of a proton. (The negative sign of wa magnetic moment signifies that this moment is in a direction contrary to that of the spin; that is, to proper mechanical moment of the neutron.) In addition, we know the





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constants of beta-decay in various nuclei, which permit one on the basis of certain hypotheses (see, for example, /\(\tilde{\textstyle{\textsty

Inasmuch as nuclear forces also act between uncharged neutrons, it is generally considered obvious that these forces are absolutely separate from electromagnetic forces. Such a viewpoint is not necessarily true, since it is conceivable that nuclear forces are explained by the specific properties of the motion of particles of spin 1 in an electric field [42]. However, the existence of non-electromagnetic reactions, evidenced by the very fact of beta-decay and many other considerations, forces us to think that nuclear forces cannot be reduced to electromagnetic forces and that they are explained by the meson theory, as indicated in the introduction.

The classic form of the meson theory is especially simple and graphic. It utilizes the concept of a non-quantized meson field.

Moreover, the detailed classic scheme has not only an illustrative, but a completely real importance, since in a static approximation, where the state of nuclear particles is assumed to be unchanged, the results of the classic and the quantum theories coincide \(\frac{37}{37}, \frac{43}{32} \). The situation here is the same as in electrodynamics where the Coulomb interaction - \(\frac{27}{42} \).

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can be taken the from the classic theory, as is usually photon done, or obtained as a result of examining exchanges.

[44]. The use of static interaction is justified when non-static feaction is disregarded in the generally procking, admissible on the deutron theory (inasmuch as the velocities of the proton and the netron in the the deutron are small as in compared with the velocity of light). Of course, for a more complete and exact study of the problem of nuclear forces, it is necessary to utilize the theory of a quantum meson of the scattering of the particles, etc.

Our intention in what follows is merely to explain the special moments of the theory and to discuss results. So we shall only go into detail on the classical theory mentioned (quantizing the mesourm field as applied to the theory of nuclear forces, see [9, 45, 46]).

In classic terminology, the explanation of nuclear forces is connected with the fact that protons and neutrons are the sources of certain fields (meso wants fields), which, action on other nuclear particles, provide an interaction of forces. If the field is scalar, in the absence of sources it conforms investigate to equation (2). The presence of forces means that on the right side of the equation there must be a function which plays the part of the density of a charge or current in electrodynamics. In this latter case, for a point particle the current density equals $e \delta (r - r_0)$, where δ is the delta-function $\int \delta dr = 1_{\Lambda} \delta = 0$ when $r \neq r_0$ and r_0 is the position of the charge.

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In the static case which interests us, equation (2) is converted into $r = \sqrt{r} = 0$ and the density of the "meson charge" equals g = r = r = 0, where ro is the position of the nuclear particle. Hence the equation for the field takes the form:

(19) <u>p. 191</u>/

Since the position of a nuclear particle is considered fixed, it is clear that it is considered sufficiently heavy and hence capable of classical description. Let us note that in the quantum theory we have for the general case of a non-static scalar field:

 $\boxed{191}$ (20)

where we must be regarded as an operator and where is a Dirac matrix. The emergence of the is connected with the fact that we consider nuclear particles to be in confermity with Dirac's equation.

(Let us note that on the right side of equation (20) one more term is omitted which contains derivatives of delta-functions and is proportional to a constant factor independent of g.)

The solution of equation (19) is as follows:

<u>/p. 191/</u> (21)

Utilizing the expression for the energy of the field, we can demonstrate [7] that two nuclear particles creating a field of and and their energy of the scalar field in a static situated at a distance r, are attracted (The scalar field in a static approximation is similar to Newton's field of gravitation, to which formal transition is made by setting X equal to zero. Hence it is clear that also in the scalar theory of nuclear forces particles are attracted (see remark below on the assumption that a scalar field is not charged.))

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(22)

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The radius of the forces, as is clear from (22), is of the order

1. Since in the quantum theory = mc (see \$1), we thus obtain
a relation (1) between the radius of the forces and the mass of the
meson. It should be noted that we did not draw any distinctions between
protons and neutrons. This can be done only if the field is not
charged, and, consequently, the particles associated with it are not
charged (neutral mesons or neutrettos). This subject will be taken
up later.

 $\sqrt{p} \cdot 192$ (23)

With this notation (23), equation (9) will take the following form:

 $\sqrt{p} \cdot 192$ (24)

When $\chi = 0$, equations (24) will be transformed into the usual Maxwell's equations for a vacuum. This also holds true for equations (7) and (8), which, in the new notation, become:

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(25)

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Let us now assume that nuclear particles create a vector field, having a "mesoment" charge" g and a mesoment moment". Now, in the general case of the quantum theory instead of (25) the following equations occur:

(26)

where β , β and β are matrices of the Dirac theory and (β, A) a quantum field.

In the static case which interests us, pend A are classical magnitudes. Moreover:

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(27)

In (27) both the fields of and A and the westor of the spin on can be treated classically. The solutions of system (27) is as follows:

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(28)

In electrodynamics the energy of a particle with a of charge e and a magnetic moment μ , situated in the field (Φ , A), equals eq. (μ H). The form is the same for the interaction energy in the case of a vector mesotron field; wherever, e corresponds with g and μ corresponds with $\frac{f}{2}$. Hence the interaction energy of two identical nuclear particles with of spins σ , and σ_2 , as π follows from elementary expressions,

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provesto equal <u>[37</u>7 to:

(29)

where r is the radius-vector of one of the particles in relative obviously to the other. The interaction with the energies (29) reduces to forces dependent on the reciprocal orientation of the spins, and also to off contex forces dependent on the orientation of the spins in relative to r.

moments of nuclear particles, and in the quantum theory the vectors are operators—the well-known Pauli matrices (for any momentum) is the proper mement of the amount of motion of the particle).

Considering the vectors as operators makes no change in the classical solution of (29).

Above we examined the interaction of nuclear particles with scalar and vector fields. Two other cases, when the are of fields/karr a pseudoscalar and pseudovector type (see \$1), can be studied in a similar menner and reduced to the energy of interaction, expressed by a linear combination of the terms U₁, U₂ and U₃ (see (29)). Thus, the general expression of the mesonment theory for interaction energy will take the form:

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$$\mathbf{v} = \mathbf{c}_1 \mathbf{v}_1 + \mathbf{c}_2 \mathbf{v}_2 + \mathbf{c}_3 \mathbf{v}_3, \tag{30}$$

where $^{\text{C}}_{1}$, $^{\text{C}}_{2}$ and $^{\text{C}}_{3}$ are derivatives.

Until now we have condidered the mesotiment field as not followed; the difference such a vector field from the electromagnetic field only amounts to saying that the resting mans of

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"quantum, mesottonte field"-a mesotton- is equal to m = X since the resting mass of a photon equals zero. We are studying the central field net only because of its greater simplicity and but because of deeper considerations. If the field is charged (in this case, when it is quantized, charged meso meso correspond with it), an expression of type (30) is obtained also for the forces, but only in case of the interaction of protons and neutrons. But for the case of identical nuclear particles (two protons and two neutrons) the interactive energy is equal to zero in the approximation under consideration. This result is completely understandable from the viewpoint of the quantum scheme operating on the concept of an exchange of mesomens between nuclear particles, since the proton is make capable of emitting only a positive meso mon, which can be absorbed by a neutron but cannot be absorbed by other protons, etc. Hence exchange by one charged meso meso between identical nuclear particles cannot occur, but can occur between different nuclear particles. This explains the character of interactive energy already mentioned. Meanwhile, experimental data furnish evidence that proton-proton and proton-neutron forces are of the same order of magnitude. $\sqrt{38}J$. Within the framework of the softeme developed here, this fact can only be explained by assuming that a neutral mesowien (neutretto) exists. It is the attack Pessible to avoid the assumption that a neutretto exists, only by theories which operate on the basis of an exchange by pairs of particles or excited charged states (see § 3). 9 In general, It must be admitted that becarging a consequence of wor

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in experiments and, a ove mil, in commic rays, now definite indications have as yet been obtained in favor of the presence of the indications have as yet been obtained in favor of the presence of the of neutrettos. If there is really a neutretto and/it plays an important part in nuclear forces, its mass must be of the order of the mass of a charged mesotopen (this follows from (1)) and its interaction with a nucleus must be relatively strong.

Whence it follows that in/earth's atmosphere an appreciable number of neutrettos must be formed, just as in the case of with charged mesotopens. The reverse process should also be noted; that is calture of the neutretto is detained by the nucleus, which leads to nuclear fission. These statements force us to assume that the nuclear fissions ("stars") observed in cosmic rays may to a considerable extent be produced by neutrettos. Present experimental data do not contradict this assumption [48].

Clarification of the problem of the existence of neutrettos is highly essential; the primary interest from this viewpoint obviously lies in the stude of the "stars" in cosmic rays $\sqrt{\frac{1}{4}g}\overline{f}$.

neutral mesons ("neutral" theory) is not satisfactory, since in this way the connection is lost between nuclear forces and the behavior of charged mesotrons in the cosmic rays, as wella as the connection with disintegration.

The interaction of nuclear particles and charged mesotrons also makes it possible to show the way to explain the anomalous magnetic moments of a proton and a neutron (as we saw above, these moments are not equal to a nuclear magneton for a proton or to

zero for a neutron. This follows from Dirac's theory) 467.

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most attractive features of the mesocratis theory of nuclear forces. For this reason a combination theory in which both charged and neutral mesocratis theory is the so-called "symmetrical" theory [49, 9, 37], in which the proton-proton and proton-neutron nuclear forces with respect are exactly equal (in a state of symmetry taxxelation/to

In the general theory which takes into account both charged and neutral mesotrons, the static energy of interaction takes the form of (30) and the constants C₁, C₂, C₃ likewise depend on the "charged state" of the proton or the "state" of the neutron.

The "exchange" character of the nuclear forces, which is conmnected with continuous charge exchange between nuclear particles (from which the term "exchange" force comes), also provides for the saturation of the nuclear forces (see above and,
in more detail, in 11).

in more detail, in 11.

The colution of problems of nuclear physics in a non-relativistic approximation amounts to integrating Schredinger's equations for protons and neutrons with potential energy (30).

The basic problem here, of course, is that of the deutron and examination of the proton-proton and proton-neutron and examination. But research on these problems meets with a in important difficulty at the very first stages. The fact is that nuclear energy takes the form in (17); it is proportional to 1, and in this case Schroedinger's equation has a in-

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COMPLETE on one another? Or we might put it that, if the potential has a the higher pole than 1/2, the problem of calculating the whole system of stationary states has no solution. To a certain extent this result is classical in type, since in classical mechanics the potentials $\frac{1}{r^2+\epsilon}$ ($\epsilon \geqslant 0$) also senduces to the fall of a particle on the center (see /54). It is easy to reach this conclusion by quantum mechanics. A particle cannot fall on the center if lits awerage kinetic energy in approaching the center increases more rapidly than the average potential energy dimenishes. Moreover, the average kinetic energy of a partible situated in a field radius r from the center equals $T = \frac{p^2}{2} \approx \frac{\text{const.}}{2}$ region of the order of since, by virtue of the retire of indeterminacy relation 2 to receive the retire of indeterminacy relation 2 to receive the retire of indeterminacy relation 2 to receive the retire of Whence it is clear that, if the enverage potential energy as rapproaches when r o diminishes more slowly than 1 the fall is impossible; but if $U \approx -\frac{1}{r^2+\epsilon}$ ($\epsilon > 0$) A lower level will not exist, since, when the region danks as in which the particle is situated grows smaller, its energy converges toward negative toward . Of course, this also holds true for the problem of two bodies, As we know, with relative coordinates, the statter problem amounts to the the problem of the motion of one para center-force field the

Thus, if in (30) $^{\circ}$ $_{3} \neq 0$, the problem of the deutron insoluble. It is also impossible to assume that $^{\circ}$ $_{3} = 0$ without more ado, since in all variants of the theory with one type of mesorral, mesotrone, the constant $^{\circ}$ $_{3}$ is proportional to $^{\circ}$ $_{2}$ $_{45/}$. Hence, in assuming that $^{\circ}$ $_{3} = 0$, we leave in (30) only the term $^{\circ}$ $_{1}$ $^{\circ}$ $_{4}$ $^{\circ}$ does not allow spin dependence of the forces, this is contrary to experiment. To assume that $^{\circ}$ $^{\circ}$ $^{\circ}$ $^{\circ}$ while simultaneously

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retaining 02 = 0 is possible only on the hypothesis that there are at least two types of mesotrons. Such a variant of the theory, in which both vector and pseudoscalar mesetrons were introduced, achieved a certain amount of circulation $\sqrt{14}3$, 51 . In it the symmetrical" theory was employed and, EXE as a result of it all, four types of mesotrons were introduced: neutral(vector and pseudoscalar) and charged (vector and pseudoscalar). The masses of vector and pseudoscalar particles may differ 517. Aside from the fact that the introduction of various types of mesotrons causes a feeling of dissatisfaction, the theory FERRALIES to difficulties which make its success exclusion of the term with $U \approx -\frac{1}{r^3}$ merely an illusion. First serset, the 12 type term is eliminated only in a static approach and appears with corresponding complications again Secondly, the theory leads to a cernonstatic standpoint [52]. tain result direct contradiction to experiment; namely, it follows from the theory 153, 547 the alffacton of neutrons on protons must be stronger at the angle /2 than at an angle close to zero (in the coordinate system, where the proton is at first at rest). But in experimenting with neutrons with energies higher than 10 MeV, when the effect of asymmetry becomes marked, a reverse dependence is observed 455].

Third and lastly, if the indecated method of eliminating the term with 1/r³ answered the purpose of the theory of nuclear forces, it would not permit eliminating the other, not less important difficulty connected with the first one. The truthfis that study of the diffusion of mesetrons into proton-neutron leads us to the conclusion that, if there is in heart particles

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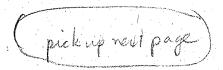
a "quasimagnetic" moment f/x (see above) in a heavy particle, the effective cross section for scattering would grow with energy without limit.

[46, 35], which is inadmissible. (More accurately, unlimited growth of cross section with energy contradicts the general position of the theory only under certain additional conditions [22], which, however, are satisfied in the cases of interest to us.)

This very real difficulty, which we shall consider further under \$ 3, is not eliminated by introducing two types of mesons, because either type of meson may be scattered independently of the other; and because (though C₃ = 0), this scattering will increase without limit with energy. Hence, the "combination" symmetrical" theory of "Moller".

Rosenfeld \$\int_7\ilde{\infty}\$, Schwinger/51/ and others is unsatisfactory for a number of reasons.

Another group of variants of the theory of nuclear forces was based on "cutting" an inadmissible potential of type $1/r^3$. This means that the expression for the potential $U_3 = -1/r^3$ is considered true only up to some scattering of r_0 . When $r < r_0$, this potential is "cut"; that is, it is replaced by some other potential which does not contain an inadmissible feature, for example, by the potential U = a const. (when $r < r_0$). The "cutting" operation has a formal character; it is non-relativistic and can be justified only because a complete and exact theory leads automatically to some change, or cutting in the potential (or even a deeper change in the entire ordinary system of the introduction of nuclear forces) (see $\sqrt[37]{}$ and 8/3). Connected with "cutting" is the introduction



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of a new constant \mathbf{r}_{o} or, more accurately, a new function $\mathbf{U}(\mathbf{r})$ when $r < r_o$. At first glance it might seem that with an arbitrary choice of U(r) any results might be obtained. However, this is not true, since and the form of the function U(r) on any reasonable hypotheses has no very great effect on the results 2377. After the "cutting" and comparison of the calculations with experimental data, it is possible to exclude dertain theoretical possibilities. Thus the "symmetrical" theory with certain vector (charged and neutral) mesons 377 proves unsatisfactory, since to obtain correctly the level of a deuteron and the cross section for neutron-proton scattering it is necessary to assume that $r_o \gtrsim \frac{1}{mc}$ and that the principal sign of the quadripole moment of a deuteron proves incorrect, but its value is approximately 10 times greater than the value observed. (The quadripole moment of a deuteron has a positive sign 407, which corresponds to the elongated cigar-shaped form of the deuteron.) On the contrary, the "neutral" vector theory is in good agreement with data on deuterons 277. However, as already indicated, utilization of some neutral mesons is unsatisfactory. Besides, it is obviously entirely possible in this scheme to introduce additional and relatively weak proton-neutron interaction with a charged meson. A similar variant of the "unsymmetrical" thency (vector neutrettes plus charged mesons), although known to us, was not verified. A similar, but in some respects simpler and more attractive variant of the "unsymmetrical" theory

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was recently // studied by Hulthen /547, though not very thoroughly. In this scheme the neutral mesowon is scalar and the comparatively weakly interactive, charged mesowon chosen is pseudoscalar. The type 1/r3 term is present for the pseudoscalar mesowon and thus "cutting" is necessary.

while in the "symmetrical" theory, neutron-proton and the proton-proton forces in S /1/ state are absolutely equal, but in the "unsymmetrical" theory this equality is only approximate in character; which does not run contrary to experiment (see 54, 38, 39/). Besides, in the "summetrical" theory with one type of charged mesotrons, difficulties arise in comparing the data on distintegration in the nucleus and the disintegration of the mesotron in cosmic rays /51,53/. In the "unsymmetrical" theory these difficulties disappear. /54/.

Furthermore, the above-mentioned conclusion that the diffusion of neutrons on protons must first be weaker these at a larger angle is very general and obviously, inheren in any theory in which the main part of the nuclear forces are of an "exchange" type; (dependent on the "exchange" of charged mesotorns). 157. The fact isthat in an echange of interaction the proton and neutron are changed in places in the act of Scallerung, More accurately, because of the exchange in the charge, the particle, formerly a proton, turns into a neutron and vice versa. During southerenity a small deflection of the particle is, generally emeking most probable and so diffusion occurs most frequently at small angles; the diffusing particle in the case of a quickly falling particle generally flies off at angle to the latter. But in exchanges the diffused and diffusing particles in the specified sense are changed here and there. This explains the prevalence of neutron diffusion It is essentially in this case that a proton de ob-

served, after first being at rest, transmitting its charge, to the falling neutron. This general reasoning as well-as calculations 53 show that , if the expermiments on diffusion are correct, the basic/interaction is not of an "exchange" type. The simplest theory of nuclear forces without exchanges is based on the introduction of the neutrettb which in itself ≥6 to some extent an argument in favor of its own introduction and of investigation of the "unsymmetrical" theory. One of the basic problems confronting the "neutral" and also the "unsymmetrical" theories consists in explaining the saturation of nuclear forces. It is very difficult to explain saturation in these cases $\sqrt{377}$ and $\sqrt{1}$ in the majority of cases, especially those cited by Hulthen 1547, saturation does not take place . However, At present, quite independently of the problem of saturation, it is still impossible to tell whether the "uxsymmetrical" theory with "cutting" will explain all existing data. As we have seen, in spite of the introduction of "cutting", it is not easy to satisfy all these data. Itseveryedifficulty imparts a certain interest to such efforts.

It is also necessary to bear in mind that in theories which include "cutting" are still faced by the difficulty connected with the unlimited growth of the section for the mesotopen diffusion, which, apparently, of itself renders these theories unsatisfactory. But here the same argument may be advanced as in the case of "cutting" the 1/r3 potential and we may

assume that a more complete theory leads to "cutting" the Cross

valuable militations on this embject.

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This does not take place in metrical" theories and the cross section appears to be larger than that changed when $\mathbb{E} \approx mc^2 \sqrt{35}$, 58^{7} . In Hulthen's "ansymmetrial" theory, in view of the comparative weakness of the interaction with charged particles, the difficulty under consideration obviously drops out 154 (in $\sqrt{54}$, $f^2/\hbar c \approx 0.01$, but in the "symmetrical" theory, for instance, $f^2/\hbar c \approx 0.1$). In addition, of course, even the recoprocally coordinated cutting of expressions for the potential and the diffusion is a very slight success and afor the most part, only shifts the problem's center of gravity to the field of the "cutting" operations. With in the general gramywork of the theory of nuclear forces, previously discussed, there is another tempting possibility /597, Thereaculation of based on the study of non-static forces; the relativistic effects. This theory is "ansymmetrical" a neutral meso won is considered scalar a charged exem pseudoscalar. The essential difference is that the interaction of a pseudoscalar mesodon and a proton-neutron is so expressed that it is absent in the warelativistic approximation. (Since Un C3 in (30) equals 0 the "11/r3" difficulty disappears) In the relativistic approximation, however, the charged

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mesome conditions and interaction which appears to be very important. In its qualitative aspect Tamm's theory 597 agrees